

# Supernova neutrino oscillations

Probing neutrino-neutrino interactions in dense media

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International Workshop on  
Frontiers in Electroweak Interactions of Leptons and Hadrons  
Aligarh Muslim University, Nov 4th, 2016

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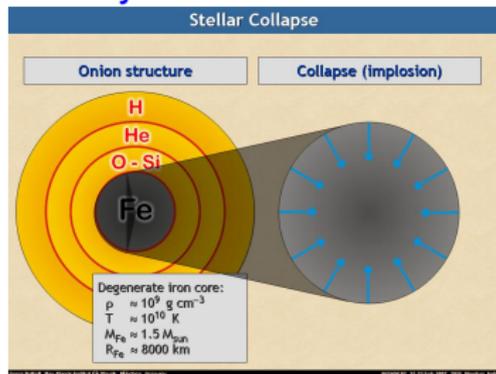
- 1 Supernova explosion and neutrino fluxes
- 2 Collective flavor conversions
- 3 MSW flavor conversions
- 4 Supernova neutrino observables

# Neutrinos and SN astrophysics

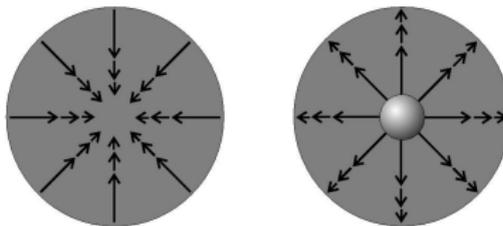
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# A collaboration of all fundamental forces

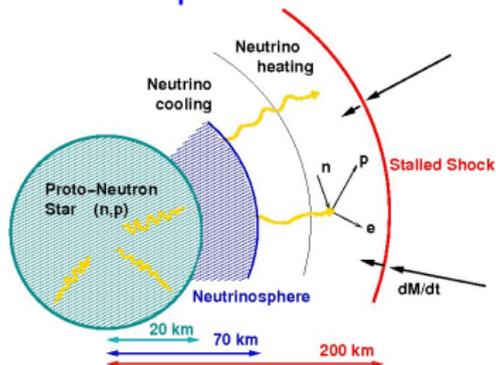
Gravity  $\Rightarrow$



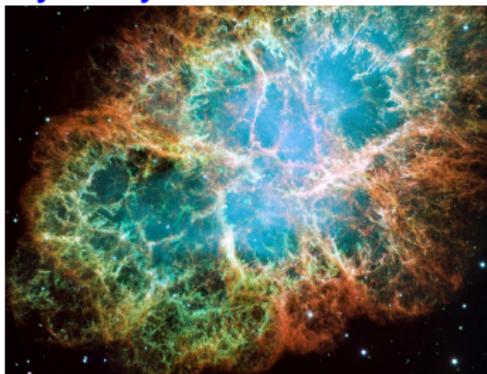
Nuclear forces  $\Rightarrow$



Neutrino push  $\Rightarrow$



Hydrodynamics  $\Rightarrow$

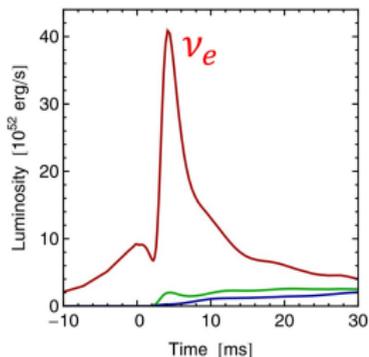


(Crab nebula, SN seen in 1054)

# Neutrino fluxes in three phases

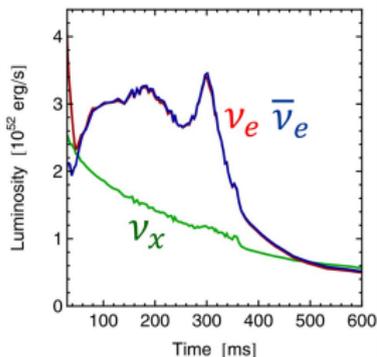
## Three Phases of Neutrino Emission

### Prompt $\nu_e$ burst



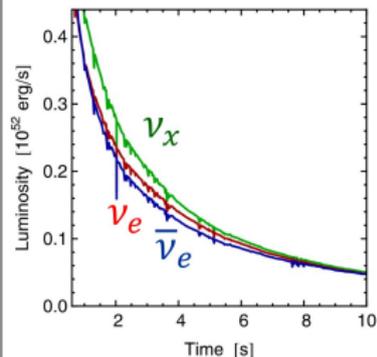
- Shock breakout
- De-leptonization of outer core layers

### Accretion



- Shock stalls  $\sim 150$  km
- Neutrinos powered by infalling matter

### Cooling

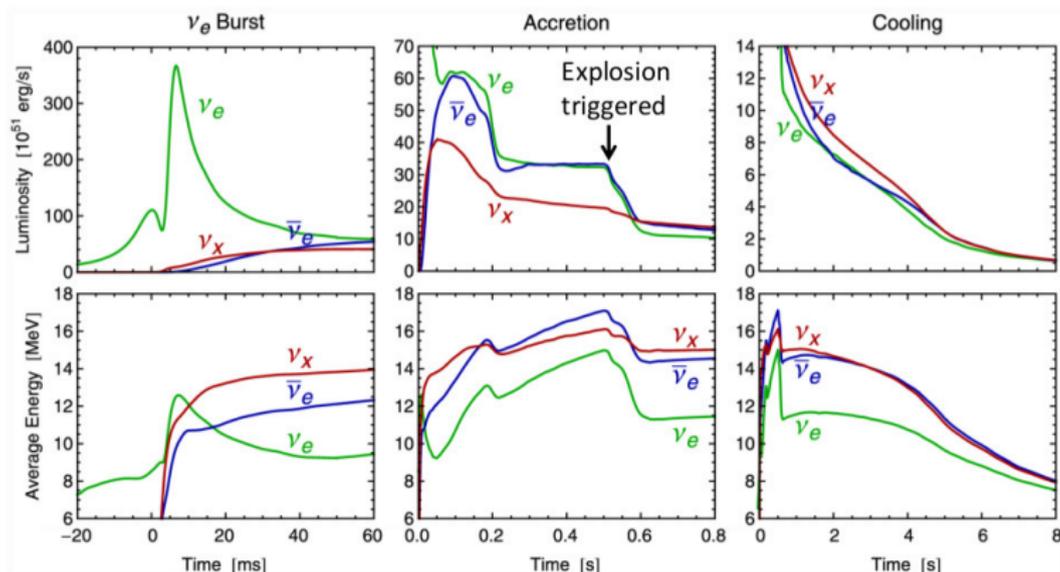


Cooling on neutrino diffusion time scale

- Spherically symmetric model ( $10.8 M_{\odot}$ ) with Boltzmann neutrino transport
- Explosion manually triggered by enhanced CC interaction rate

Fischer et al. (Basel group), A&A 517:A80, 2010 [arxiv:0908.1871]

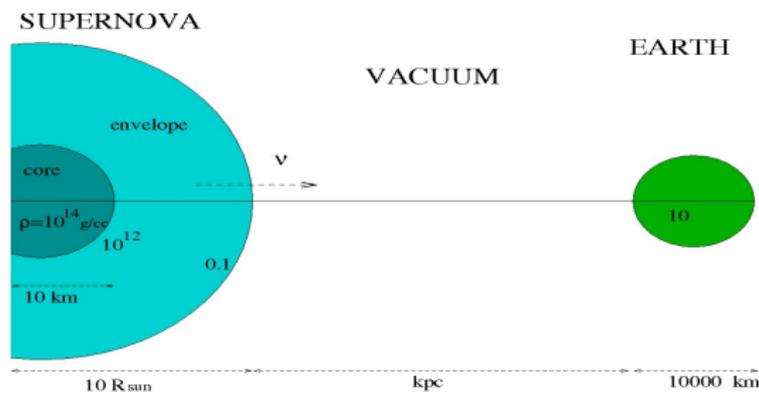
# Luminosities and energy spectra



Garching group

- Approximately thermal spectra
- $\langle E_{\nu_e} \rangle < \langle E_{\bar{\nu}_e} \rangle < \langle E_{\nu_\mu, \nu_\tau, \bar{\nu}_\mu, \bar{\nu}_\tau} \rangle$

# Oscillations of SN neutrinos



Inside the SN: *flavor conversion*

Collective effects and MSW matter effects

Between the SN and Earth: *no flavor conversion*

Mass eigenstates travel independently

Inside the Earth: *flavor oscillations*

MSW matter effects (*if detector is shadowed by the Earth*)

# Changing paradigm of supernova neutrino oscillations

## MSW-dominated flavor conversions (pre-2006)

- Flavor conversions mainly in MSW resonance regions :  
( $\rho \sim 10^{3-4}$  g/cc, 1–10 g/cc)
- Non-adiabaticity, shock effects, earth matter effects
- Sensitivity to mass hierarchy (MH), as long as  
 $\sin^2 \theta_{13} \gtrsim 10^{-5}$

## Collective effects on neutrino conversions (post-2006)

- Significant flavor conversions due to  $\nu$ - $\nu$  forward scattering  
Near the neutrinosphere : ( $\rho \sim 10^{6-10}$  g/cc)
- Synchronized osc  $\rightarrow$  bipolar osc  $\rightarrow$  spectral split
- Sensitivity to MH even at much smaller  $\sin^2 \theta_{13}$

Now that  $\theta_{13}$  is known to be large,  
strong sensitivity to mass hierarchy due to both effects

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## Multi-angle collective effects (post-2010)

- Suppression of oscillations by high matter density
- Linear stability analysis: Onset of oscillations analytically interpreted as an exponentially growing instability
- Asymmetries and fluctuations leading to instabilities
- Will flavour instabilities affect explosions ?

# Neutrinos and SN astrophysics

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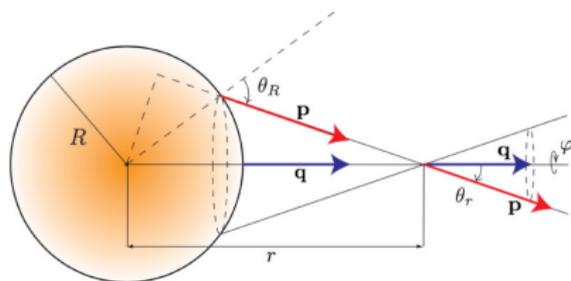
# Non-linearity from neutrino-neutrino interactions

- Effective Hamiltonian:  $H = H_{vac} + H_{MSW} + H_{\nu\nu}$

$$H_{vac}(\vec{p}) = M^2/(2p)$$

$$H_{MSW} = \sqrt{2}G_F n_{e^-} \text{diag}(1, 0, 0)$$

$$H_{\nu\nu}(\vec{p}) = \sqrt{2}G_F \int \frac{d^3q}{(2\pi)^3} (1 - \cos \theta_{pq}) (\rho(\vec{q}) - \bar{\rho}(\vec{q}))$$



Duan, Fuller, Carlson, Qian, PRD 2006

- Equation of motion:

$$\frac{d\rho}{dt} = i [H(\rho), \rho]$$

- Dimension of  $\rho$  matrix:  $(3 \times N_{E\text{-bins}} \times N_{\theta\text{-bins}})$

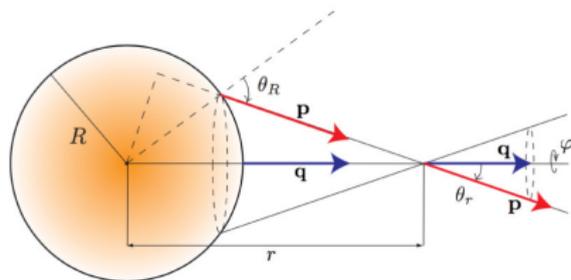
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# “Collective” effects: qualitatively new phenomena

## Synchronized oscillations:

$\nu$  and  $\bar{\nu}$  of all energies oscillate with the same frequency

S. Pastor, G. Raffelt and D. Semikoz, PRD65, 053011 (2002)

## Bipolar/pendular oscillations:

Coherent  $\nu_e \bar{\nu}_e \leftrightarrow \nu_x \bar{\nu}_x$  oscillations

S. Hannestad, G. Raffelt, G. Sigl, Y. Wong, PRD74, 105010 (2006)

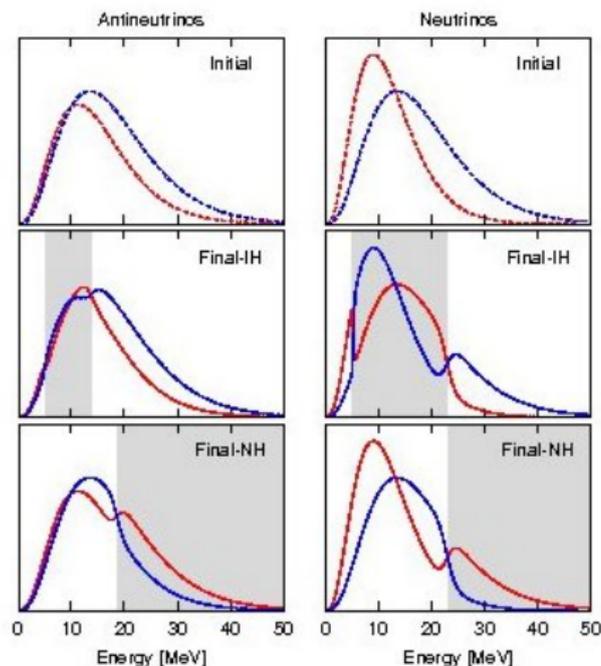
## Spectral split/swap:

$\nu_e$  and  $\nu_x$  ( $\bar{\nu}_e$  and  $\bar{\nu}_x$ ) spectra swap completely,  
but only within certain energy ranges.

G.Raffelt, A.Smirnov, PRD76, 081301 (2007), PRD76, 125008 (2007)

B. Dasgupta, AD, G.Raffelt, A.Smirnov, PRL103,051105 (2009)

# Multiple spectral splits

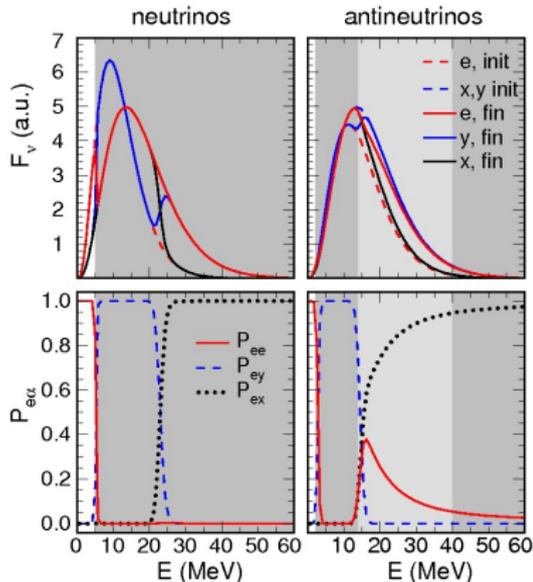


- Spectral splits as boundaries of swap regions
- Splits possible both for  $\nu_e$  and  $\bar{\nu}_e$
- Split positions depend on NH/IH

B. Dasgupta, AD, G.Raffelt, A.Smirnov, arXiv:0904.3542 [hep-ph], PRL

# Three-flavor collective effects

$$\nu_x \equiv \cos \theta_{23} \nu_\mu + \sin \theta_{23} \nu_\tau, \quad \nu_y \equiv -\sin \theta_{23} \nu_\mu + \cos \theta_{23} \nu_\tau$$



- $\nu_e \leftrightarrow \nu_y$  swap first
- Additional  $\nu_e \leftrightarrow \nu_x$  swap
- Can sometimes effectively reverse earlier  $\nu_e \leftrightarrow \nu_y$  split
- $\nu_e \leftrightarrow \nu_x$  swap more likely to be incomplete / non-adiabatic

A. Friedland, PRL 2010

Dasgupta, Mirizzi, Tamborra, Tomas, PRD 2010

# Things are not that straightforward....

- Most analyses with **single-angle approximation**:  
(All neutrinos at a point face the same average  $\nu\nu$  potential)  $\Rightarrow$  [Effective averaging of  $(1 - \cos \theta_{pq})$ ].

## Multi-angle effects

- At extremely high matter densities instabilities are completely suppressed  
Chakraborty et al., arXiv:1105.1130
- Collective oscillations are suppressed by the multi-angle effects of neutrinos themselves at large densities  
Duan et al., PRL 2011
- But the final spectra may still be similar to single-angle, with smoothening of sharp features  
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# Linear stability analysis: do instabilities grow ?

- Azimuthally symmetric emission, large distance from neutrinosphere, small amplitude expansion  $\Rightarrow$   
Linearized equations of motion

$$i\partial_r S_{\omega,u} = [\omega + u(\lambda + \epsilon\mu)] S_{\omega,u} - \mu \int du' d\omega' (u + u') g_{\omega'u'} S_{\omega',u'},$$

Banerjee, AD, Raffelt

$$\omega \equiv \Delta m^2 / (2E)$$

$$u \equiv \sin^2 \vartheta$$

$$\epsilon \equiv \int du d\omega g_{\omega,u},$$

$$\lambda \equiv \frac{\sqrt{2} G_F [n_e(r) - n_{\bar{e}}(r)]}{2r^2},$$

$$\mu \equiv \frac{\sqrt{2} G_F \Phi_{\bar{\nu}_e}(R) R^2}{8\pi r^4}.$$

# Complex solutions and instabilities

- Look for solutions of the form

$$S_{\omega,u} = Q_{\omega,u} e^{-i\Omega r} .$$

- A complex solution  $\Omega \equiv \gamma + i\kappa$ , with  $\kappa > 0$ , would indicate an exponentially increasing  $S_{\omega,u}$ .
- In terms of  $Q_{\omega,u}$ , the EoM becomes

$$(\omega + u\bar{\lambda} - \Omega)Q_{\omega,u} = \mu \int du' d\omega' (u + u') g_{\omega' u'} Q_{\omega', u'} .$$

This is the eigenvalue equation, to be solved for  $\Omega$  to check if it is complex

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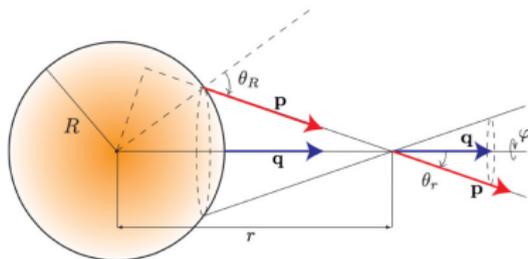
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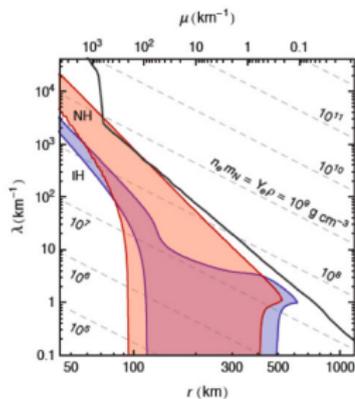
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# Instability footprints

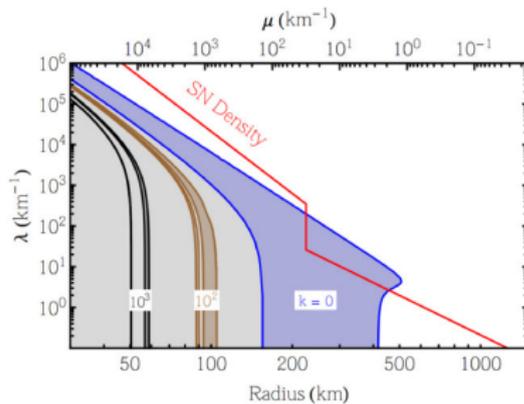


Angular symmetry breaking



Raffelt, Sarikas, Seixas,

Spatial fluctuations

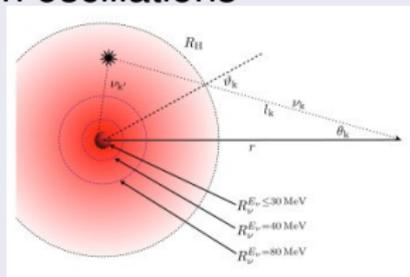


Chakraborty, Hansen, Izzaguirre, Raffelt

# Some other developments

## Halo effect

Neutrinos that undergo scattering outside the neutrinosphere can have an effect on oscillations



## Fast oscillations

- Different angular distributions for different flavours  $\Rightarrow$   
Instabilities grow as  $\mu \equiv \frac{\sqrt{2} G_F \Phi_{\nu_e}(R) R^2}{8\pi r^4}$   
as opposed to  $\omega \equiv \Delta m^2 / (2E)$

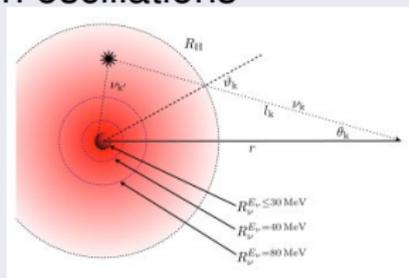
Sawyer, PRD 2005, PRL 2016, Chakraborty, Hansen, Izzaguirre, Raffelt

- Oscillations are effective deeper inside the star  $\Rightarrow$   
Explosion may be affected !

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**Explosion may be affected !**

# Current understanding of collective oscillations

## Work in progress...

- Multi-angle effects, matter effects, halo effects, ...
- Development of instabilities, fast oscillations, ...
- Will spectra have distinct features ?
- Will explosion be affected ?

## Till situation is resolved: explore MSW effects

- The post-collective fluxes may be taken as “primary” ones on which the MSW analysis may be applied.
- Neutronization burst: only  $\nu_e$ , so no collective effects
- Shock-effect and earth-effect analyses remain unchanged.

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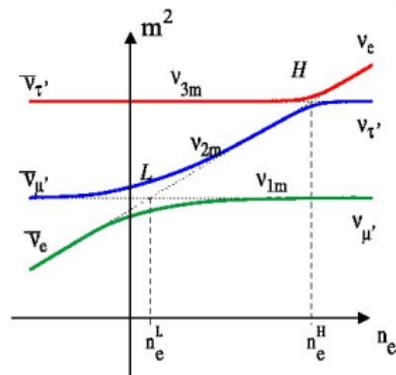
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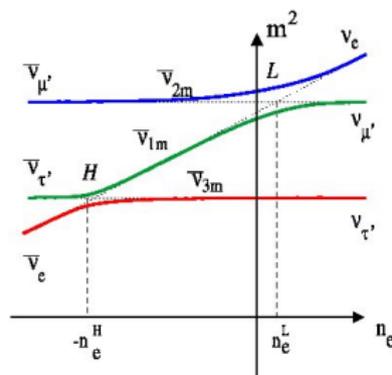
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# MSW Resonances inside a SN

## Normal mass ordering



## Inverted mass ordering



AD, A.Smirnov, PRD62, 033007 (2000)

**H resonance:**  $(\Delta m_{\text{atm}}^2, \theta_{13}), \rho \sim 10^3\text{--}10^4 \text{ g/cc}$

- In  $\nu(\bar{\nu})$  for normal (inverted) hierarchy
- Now that  $\theta_{13}$  is known to be large, adiabatic except during the passage of the shock wave

**L resonance:**  $(\Delta m_{\odot}^2, \theta_{\odot}), \rho \sim 10\text{--}100 \text{ g/cc}$

- Always adiabatic, always in  $\nu$

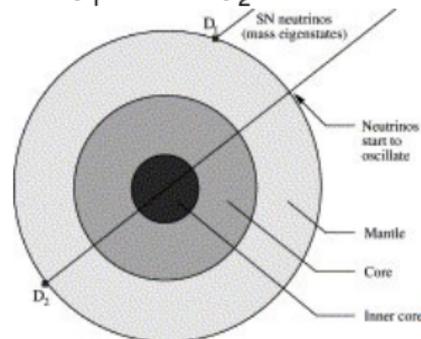
# Survival probabilities $p$ and $\bar{p}$

$$F_{\nu_e} = p F_{\nu_e}^0 + (1 - p) F_{\nu_x}^0, \quad F_{\bar{\nu}_e} = \bar{p} F_{\bar{\nu}_e}^0 + (1 - \bar{p}) F_{\nu_x}^0$$

- Approximately constant with energy  
(except during the passage of the shock wave)
- Unless the primary fluxes have widely different energies, it is virtually impossible to determine  $p$  or  $\bar{p}$  given a final spectrum
- Zero / nonzero values of  $p$  or  $\bar{p}$  can be determined through indirect means (earth matter effects)

# Earth matter effects

If  $F_{\nu_1}$  and  $F_{\nu_2}$  reach the earth,



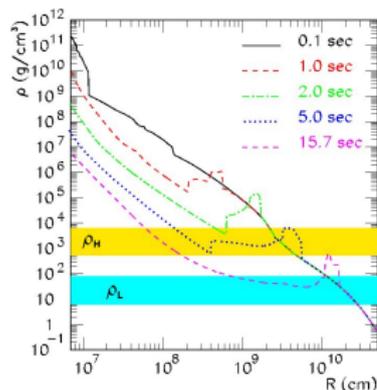
$$F_{\nu_e}^D(L) - F_{\nu_e}^D(0) = (F_{\nu_2} - F_{\nu_1}) \times$$

$$\sin 2\theta_{12}^{\oplus} \sin(2\theta_{12}^{\oplus} - 2\theta_{12}) \sin^2 \left( \frac{\Delta m_{\oplus}^2 L}{4E} \right)$$

(Sign changes for antineutrinos)

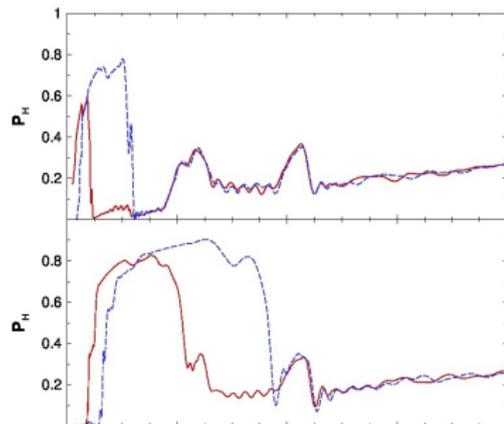
- $p = 0 \Rightarrow F_{\nu_1} = F_{\nu_2}$ ,  $\bar{p} = 0 \Rightarrow F_{\bar{\nu}_1} = F_{\bar{\nu}_2}$
- Nonzero Earth matter effects require
  - Neutrinos:  $p \neq 0$
  - Antineutrinos:  $\bar{p} \neq 0$
- Possible to detect Earth effects since they involve oscillatory modulation of the spectra
- An indirect way of determining **nonzero  $p$  or  $\bar{p}$**

# Shock wave imprint on neutrino spectra



- When shock wave passes through a resonance region, **adiabaticity may be momentarily lost**
- Sharp, time-dependent changes in the neutrino spectra

Schirato and Fuller, astro-ph/0205390, Fogli et al., PRD 68, 033005 (2003)



$t = 2, 2.5, 3, 3.5$  sec

- With time, resonant energies increase
- Possible in principle to **track the shock wave** to some extent

Tomas et al., JCAP 0409, 015 (2004)

Kneller et al., PRD 77, 045023 (2008)

# Turbulence

- Turbulent convections behind the shock wave  $\Rightarrow$  gradual depolarization effects
- 3-flavor depolarization would imply equal fluxes for all flavors  $\Rightarrow$  No oscillations observable

Friedland, Gruzinov, astro-ph/0607244; Choubey, Harries, Ross, PRD76, 073013 (2007)

- For “small” amplitude, turbulence effectively two-flavor
- For large  $\theta_{13}$ , shock effects likely to survive
- Jury still out

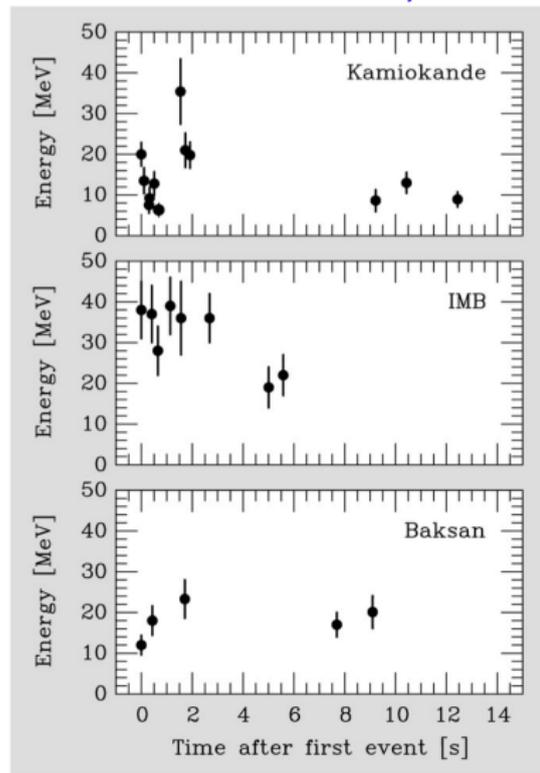
Kneller and Volpe, PRD 82, 123004 (2010)

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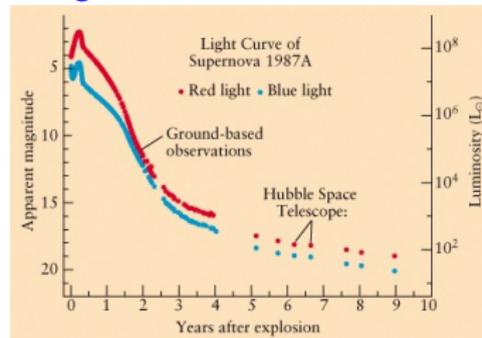
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# SN1987A: neutrinos and light

Neutrinos: Feb 23, 1987



Light curve: 1987-1997



# SN1987A: what did we learn ?

Hubble image: now



- Confirmed the **SN cooling mechanism** through neutrinos
- **Number of events too small** to say anything concrete about neutrino mixing
- Some **constraints on SN parameters** obtained
- Strong constraints on **new physics models** obtained (neutrino decay, Majorans, axions, extra dimensions, Lorentz violation...)

# Major reactions at the large detectors (SN at 10 kpc)

## Water Cherenkov detector:

- $\bar{\nu}_e p \rightarrow n e^+$  ( $\sim 300$  events per kt)
- $\nu e^- \rightarrow \nu e^-$  ( $\sim 5$  events per kt)
- $\nu_e + {}^{16}\text{O} \rightarrow X + e^-$  ( $\sim 3 - 15$  events per kt)

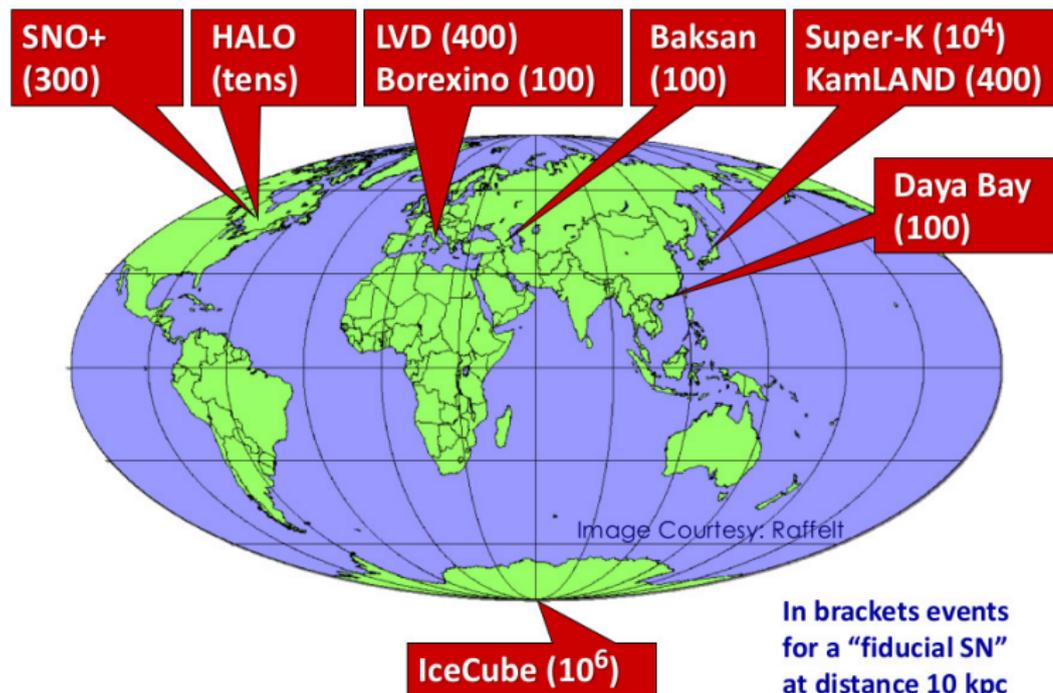
## Carbon-based scintillation detector:

- $\bar{\nu}_e p \rightarrow n e^+$  ( $\sim 300$  events per kt)
- $\nu + {}^{12}\text{C} \rightarrow \nu + X + \gamma$  [15.11 MeV]
- $\nu p \rightarrow \nu p$

## Liquid Argon detector:

- $\nu_e + {}^{40}\text{Ar} \rightarrow {}^{40}\text{K}^* + e^-$  ( $\sim 300$  events per kt)

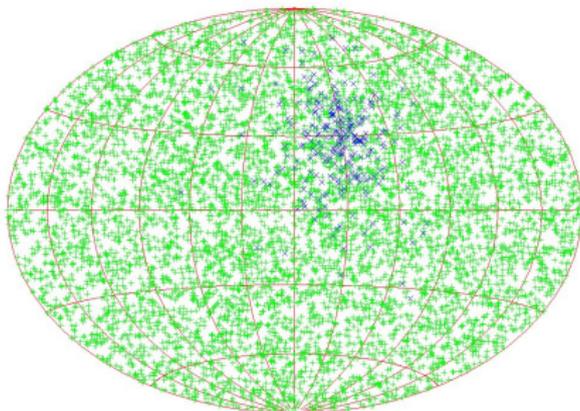
# SN detectors around the globe



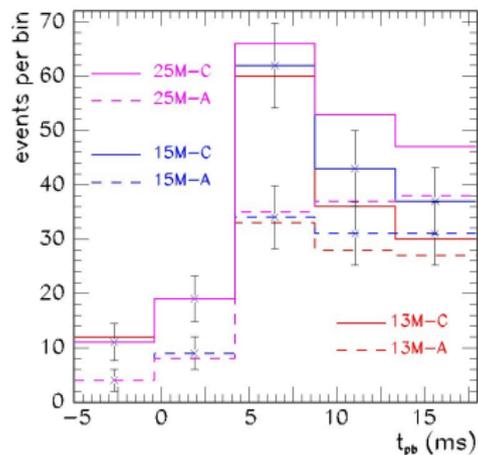
# Pointing to the SN in advance

- Neutrinos reach 6-24 hours before the light from SN explosion (SNEWS network)
- $\bar{\nu}_e p \rightarrow n e^+$ : nearly isotropic background
- $\nu e^- \rightarrow \nu e^-$ : forward-peaked “signal”
- Background-to-signal ratio:  $N_B/N_S \approx 30-50$
- SN at 10 kpc may be detected within a cone of  $\sim 5^\circ$  at SK
- Adding Gd may make the pointing much better...

Beacom, Vogel 1999, Tomas et al 2003



# Suppressed neutronization ( $\nu_e$ ) burst



- Flux during the neutronization burst well-predicted (“standard candle”)

M. Kachelriess, R. Tomas, R. Buras,

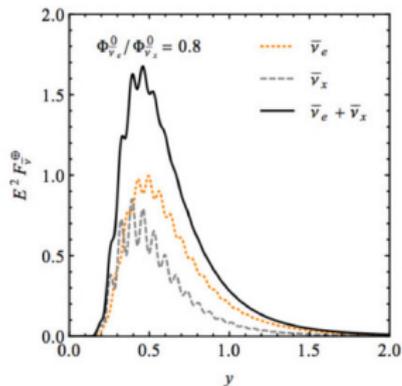
H. T. Janka, A. Marek and M. Rampp

PRD 71, 063003 (2005)

## Mass hierarchy identification (now that $\theta_{13}$ is large)

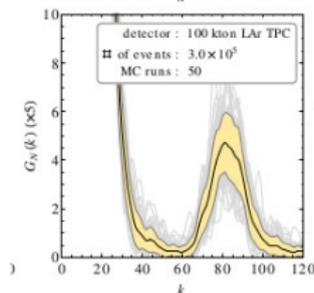
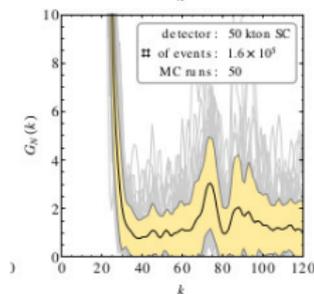
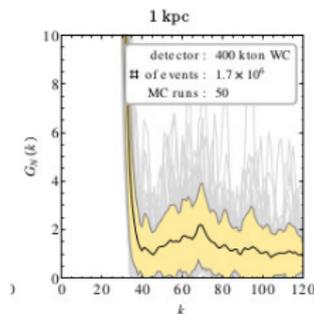
- Burst in CC suppressed by  $\sim \sin^2 \theta_{13} \approx 0.025$  for NH, only by  $\sim \sin^2 \theta_{12} \approx 0.3$  for IH
- Need liquid-Ar detector (DUNE !)
- Time resolution of the detector crucial for separating  $\nu_e$  burst from the accretion phase signal

# Earth effects through spectral modulations

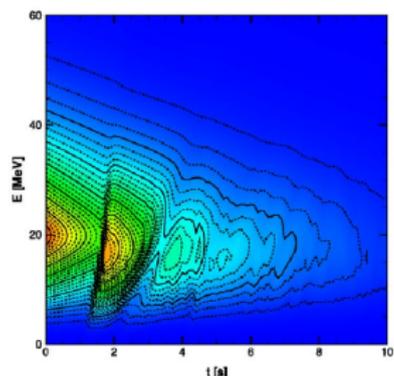


- Peak expected in Fourier transforms...
- Ratio of luminosities at two large detectors
- Not so encouraging results.

Boriello, Chakraborty, Mirizzi, Serpico, Tamborra



# Shock wave effects



2D simulation  
Positron spectrum  
(inverse beta reaction  
 $\bar{\nu}_e p \rightarrow e^+ n$ )

Kneller et al., PRD77, 045023 (2008)

## Observable shock signals

Time-dependent dip/peak features in  $N_{\nu_e, \bar{\nu}_e}(E)$ ,  $\langle E_{\nu_e, \bar{\nu}_e} \rangle$ , ...

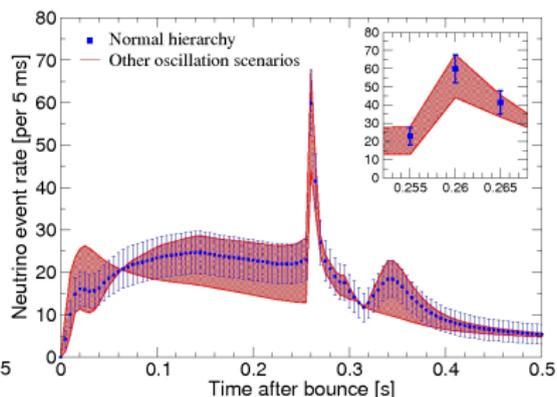
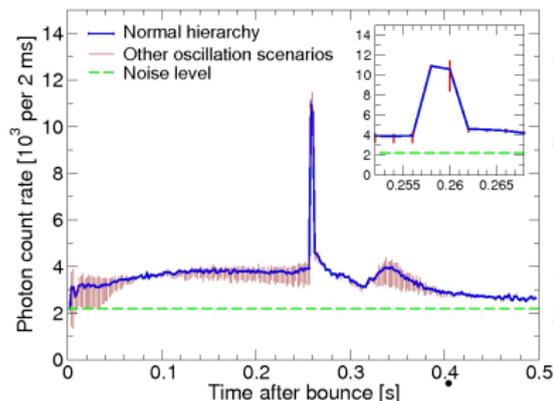
R.Tomas et al., JCAP 0409, 015 (2004), Gava, et al., PRL 103, 071101 (2009)

## Identifying mixing scenario: independent of collective effects

- Shock effects present in  $\nu_e$  only for NH
- Shock effects present in  $\bar{\nu}_e$  only for IH
- Absence of shock effects gives no concrete signal.  
primary spectra too close ? turbulence ?

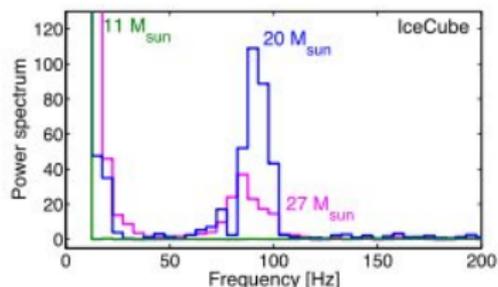
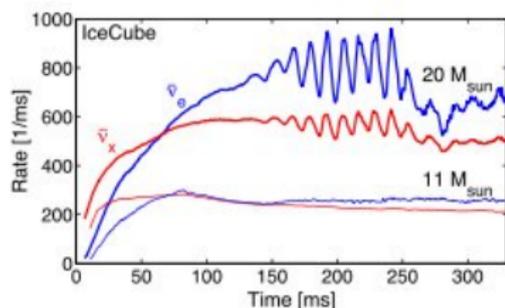
# QCD phase transition

- Sudden compactification of the progenitor core during the QCD phase transition
- Prominent burst of  $\bar{\nu}_e$ , visible at IceCube and SK / HK



Dasgupta et al, PRD 81, 103005 (2010)

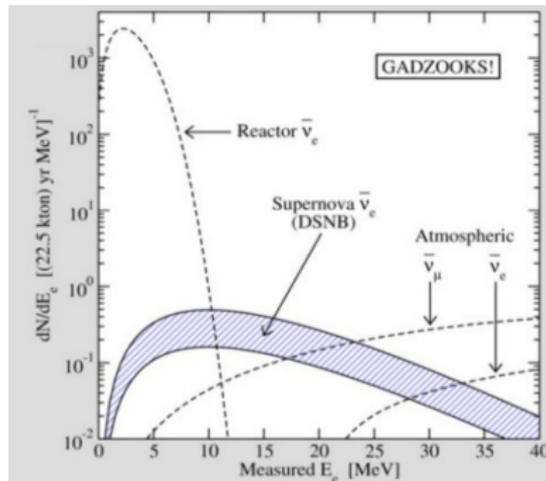
# Detection of SASI instabilities



- **Standing Accretion Shock Instability:** global dipolar and quadrupolar deformations at the shock front
- Imprints even on top of the turbulent motion of matter
- Observable in Icecube event rate, as a high-frequency signal

Tamborra et al, PRL 2013

# Diffused SN neutrino background



- Collective effects affect predictions of the predicted fluxes by up to  $\sim 50\%$

Chakraborty, Choubey, Dasgupta, Kar, JCAP 0809, 013 (2009)

- Shock wave effects can further change predictions by 10 – 20%

Galais, Kneller, Volpe, Gava, PRD 81, 053002 (2010)

# Concluding remarks

## SN neutrinos for particle physics

- With large  $\theta_{13}$ , mass hierarchy easier to identify!
- Neutronization burst suppression
- Shock wave effects / earth matter effects
- Collective effects and flavour conversion instabilities

## SN astrophysics through neutrinos

- Primary fluxes, density profiles, shock wave propagation, QCD phase transition, nucleosynthesis, explosion mechanism... a plethora of astrophysical information in the neutrino signal
- For extracting this information from the neutrino signal, a better understanding of collective effects is essential !

All new experiments should be ready for a SN burst !

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