

Introducing SPHINX- MHD

The impact of primordial magnetic fields on the first galaxies, reionization, and the global 21cm signal

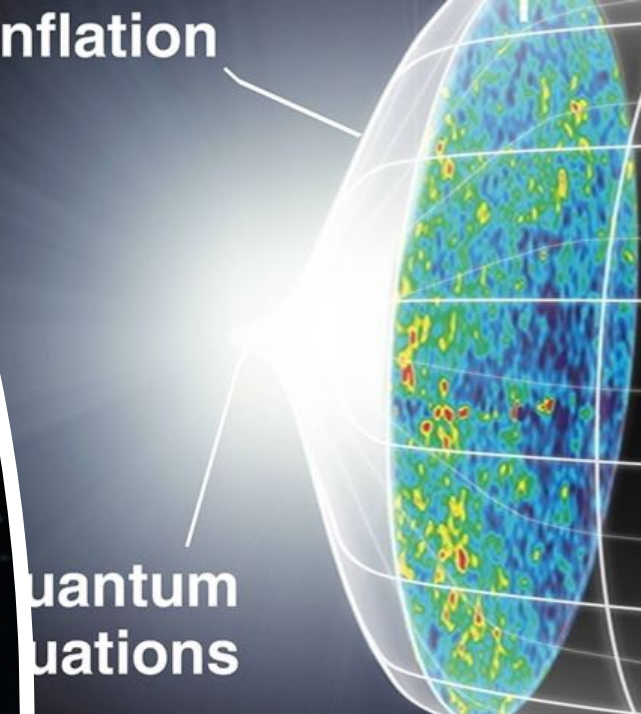
Harley Katz | March 5, 2020 | arXiv 2101.11624

Magnetic fields are everywhere, but we don't know what generated them

Supernovae

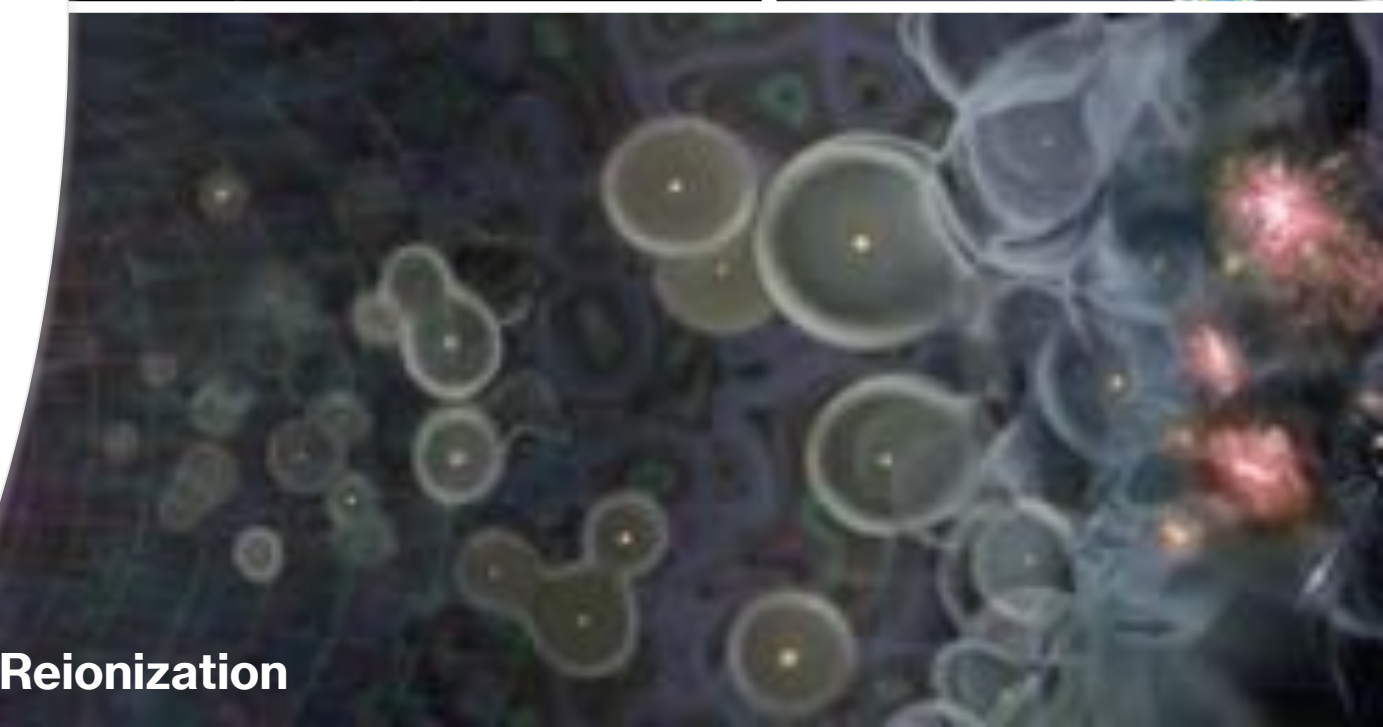


Inflation

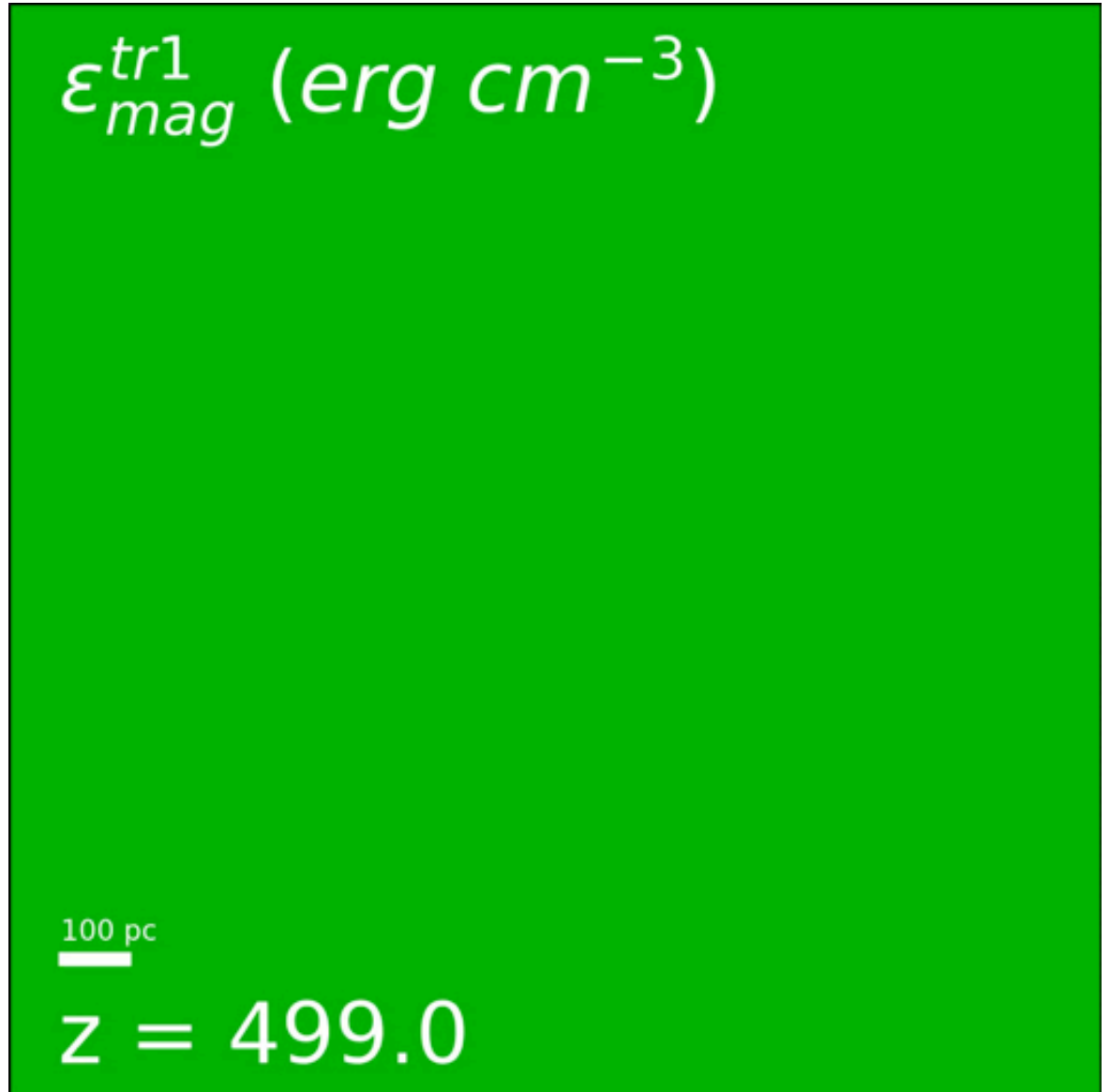


Quantum
fluctuations

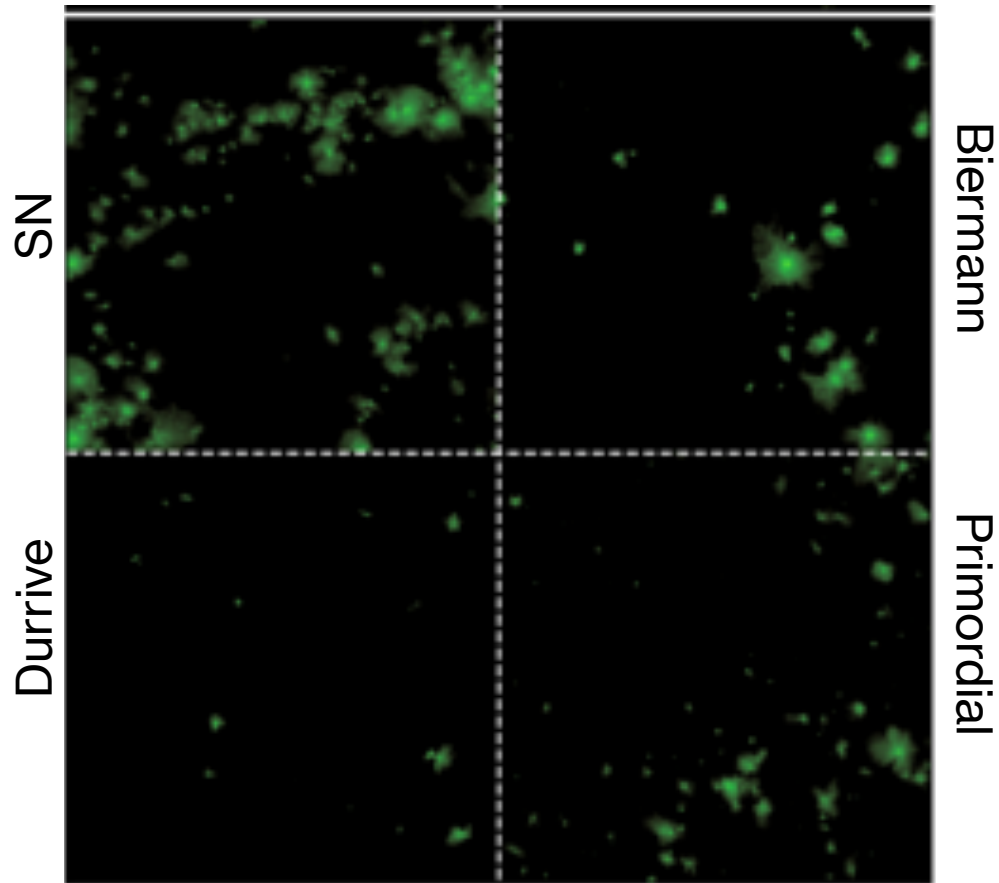
Reionization



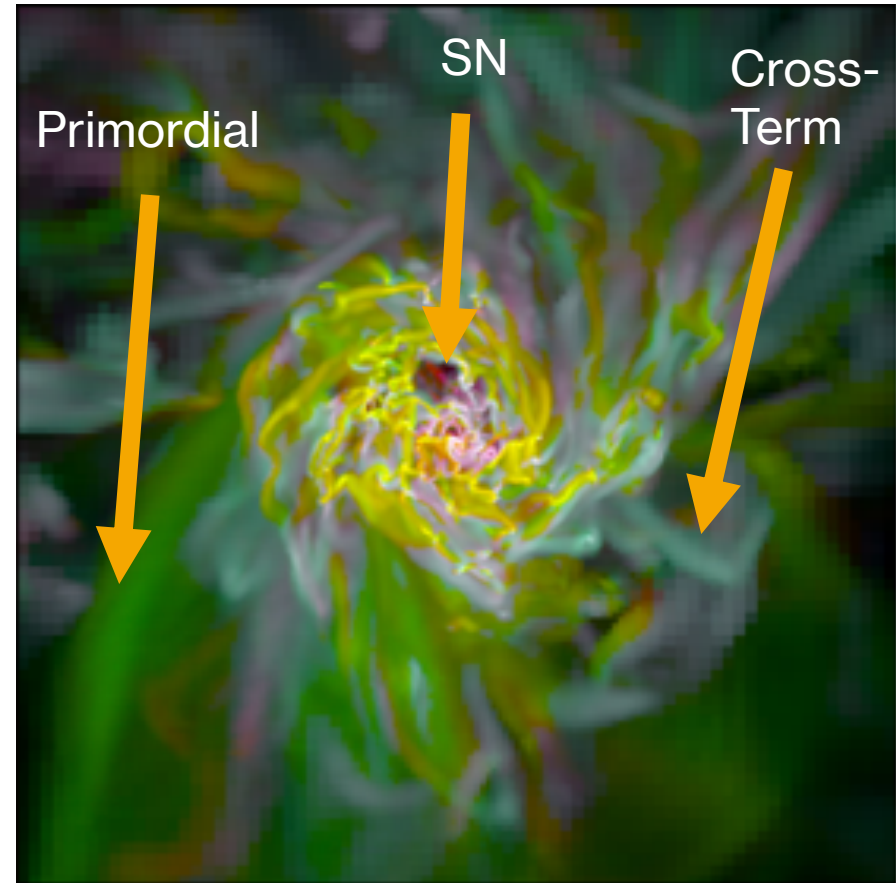
Magnetogenesis in simulations



No agreed upon scenario



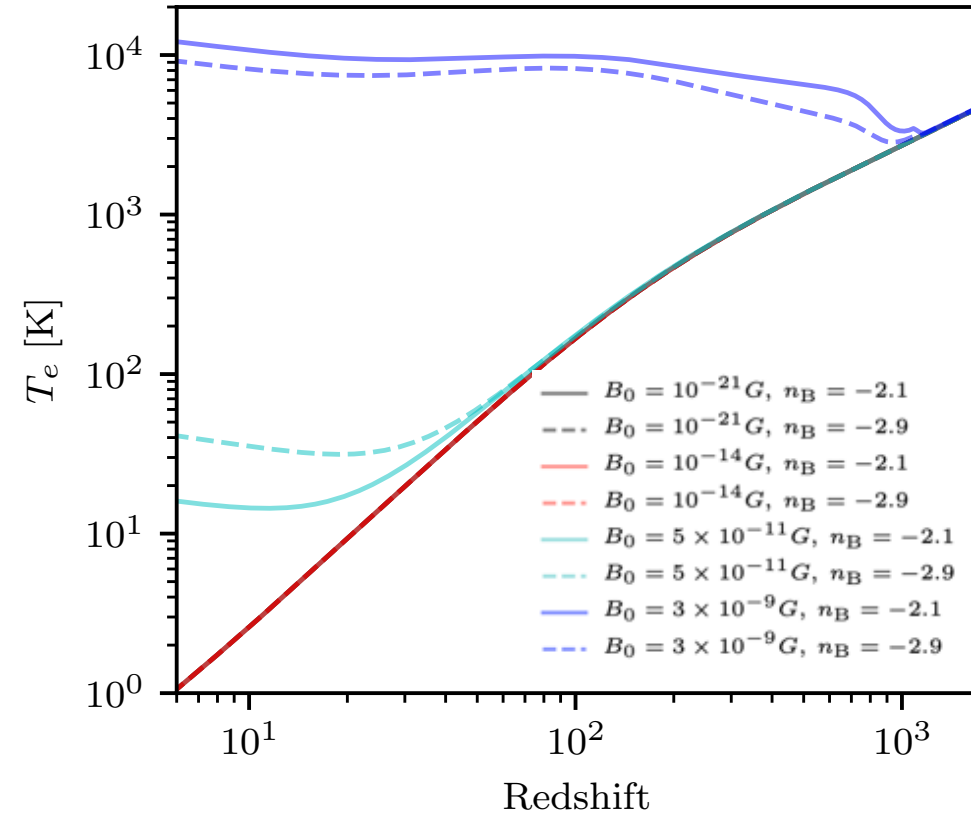
Garaldi+ 2021



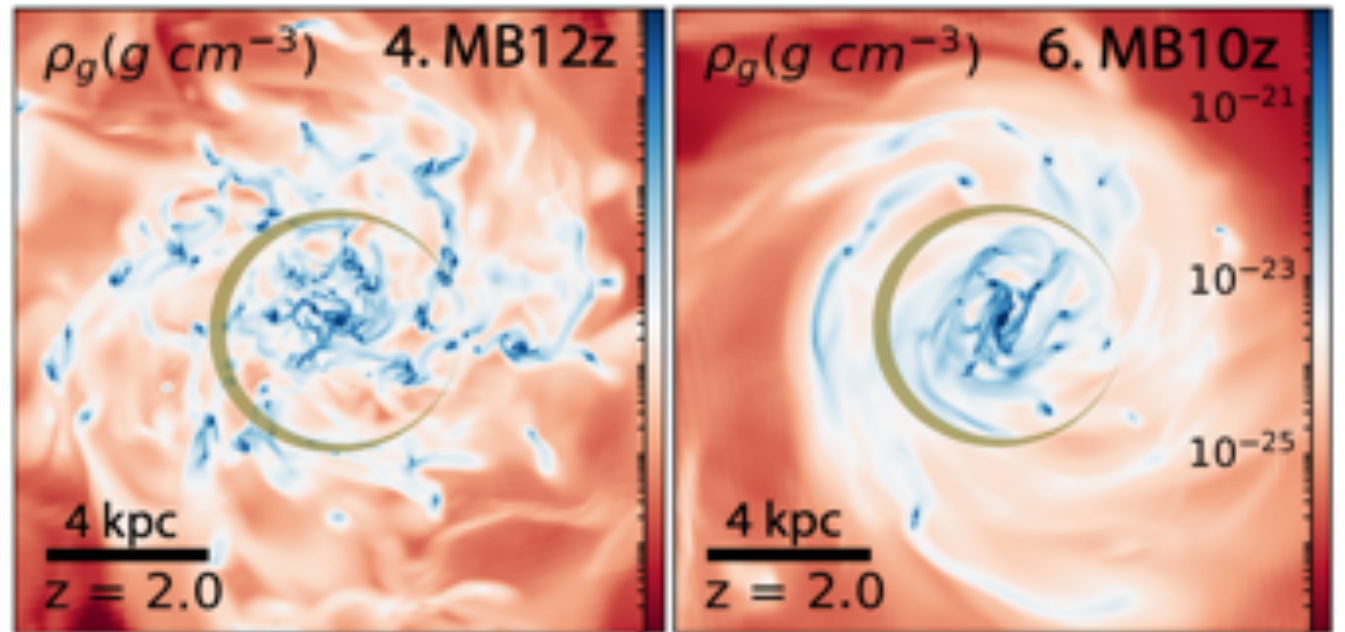
Martin-Alvarez, HK+ 2021

**Strong PMFs
can drive
reionization**

Decaying magnetic turbulence +
ambipolar diffusion heat the IGM

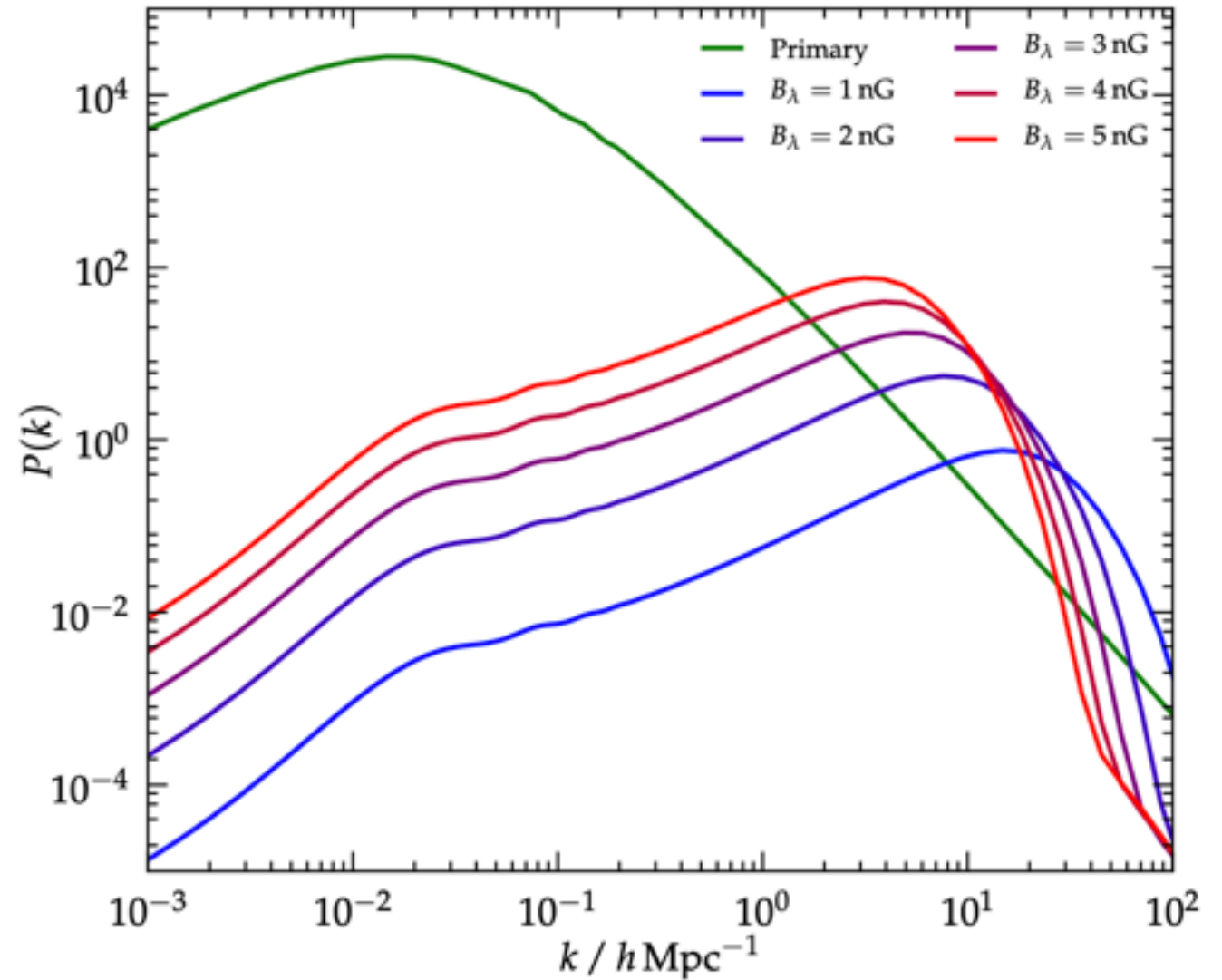


PMFs impact the structure of the ISM



Martin-Alvarez+ 2020

PMFs can modify the matter power spectrum



Shaw+ 2012

How PMFs modify the matter power spectrum (see Kim+ 1996)

Ideal MHD equations:

$$\partial_t \mathbf{v} + \frac{\dot{R}}{R} \mathbf{v} = -\frac{\nabla \psi}{R} + \frac{(\nabla \times \mathbf{B}_b) \times \mathbf{B}_b}{4\pi R(t) \rho_b(t)},$$

$$\partial_t \delta + \frac{\nabla \cdot \mathbf{v}}{R} = 0,$$

$$\nabla^2 \psi = 4\pi R^2 G \rho_b \delta,$$

$$\nabla \cdot \mathbf{B}_b = \nabla \cdot \delta \mathbf{B} = 0,$$

$$\partial_t (R^2 \mathbf{B}_b) = 0,$$

$$\partial_t (R^2 \delta \mathbf{B}) = \frac{\nabla \times (\mathbf{v} \times R^2 \mathbf{B}_b)}{R}.$$

Evolution of baryon density perturbations

$$\frac{\partial^2 \delta_b}{\partial t^2} + 2 \frac{\dot{a}}{a} \frac{\partial \delta_b}{\partial t} - 4\pi G (\rho_{DM} \delta_{DM} + \rho_b \delta_b) = \frac{\nabla \cdot [(\nabla \times \mathbf{B}) \times \mathbf{B}]}{4\pi a^2 \rho_b}$$

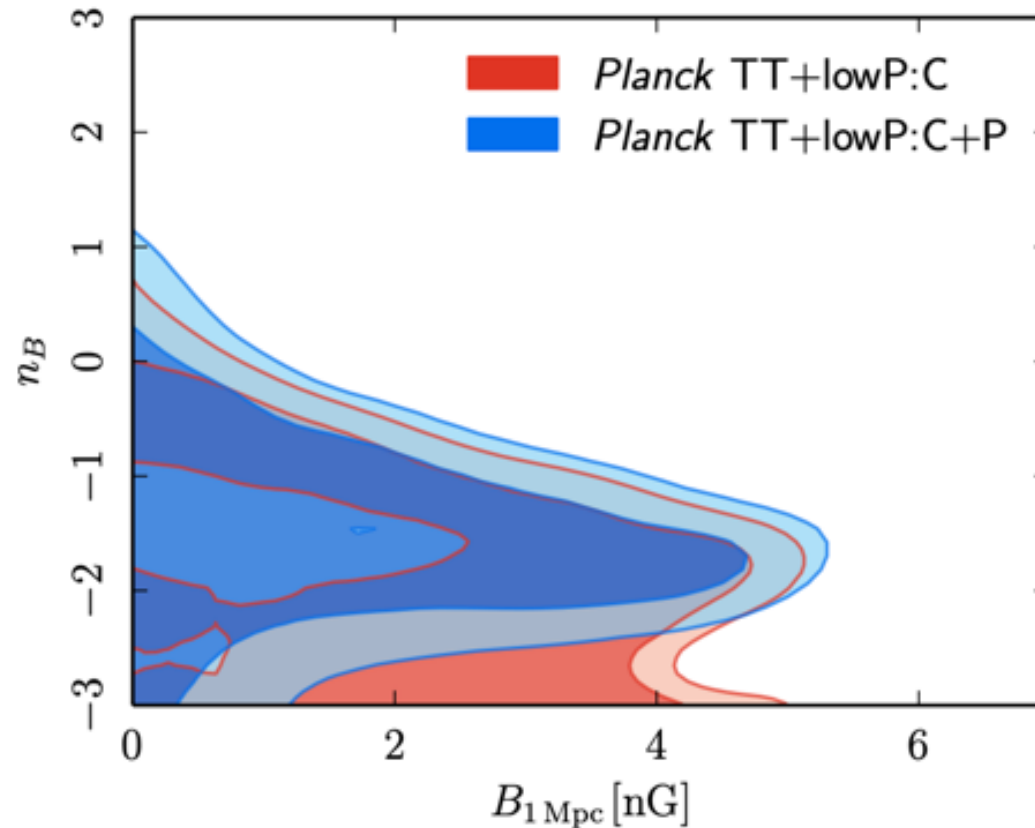
Evolution of DM density perturbations

$$\frac{\partial^2 \delta_{DM}}{\partial t^2} = -2 \frac{\dot{a}}{a} \frac{\partial \delta_{DM}}{\partial t} + 4\pi G (\rho_{DM} \delta_{DM} + \rho_b \delta_b)$$

Constraints from Planck

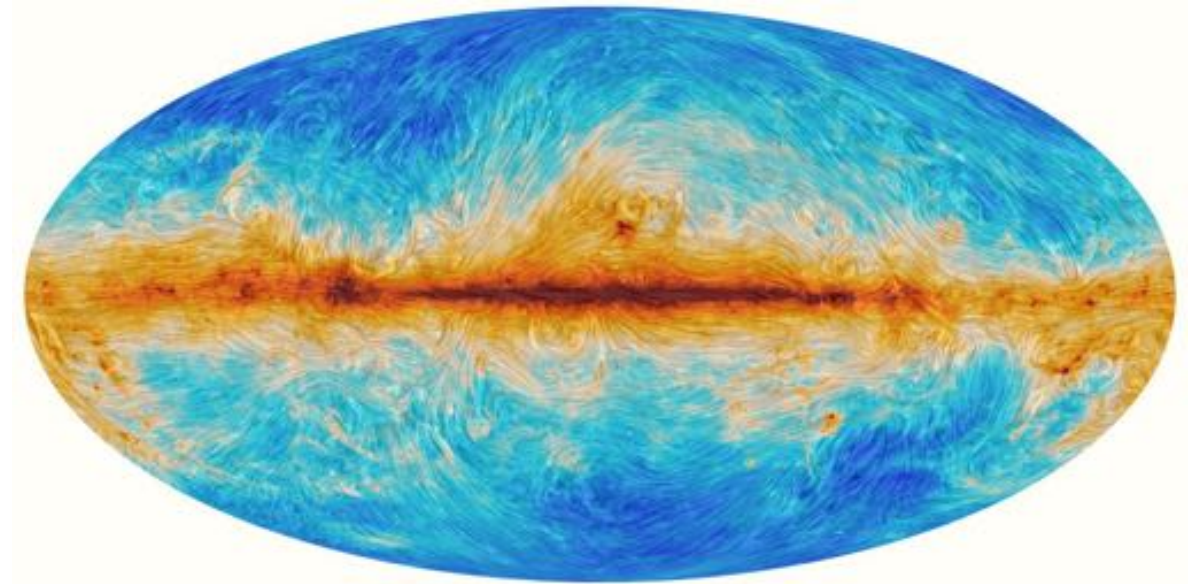
$$P(k) = A k^{n_B}$$

$$A = \frac{(2\pi)^{n_B+5} B_{1\text{Mpc}}^2}{2\Gamma\left(\frac{n_B+3}{2}\right) k_{1\text{Mpc}}^{n_B+3}}$$

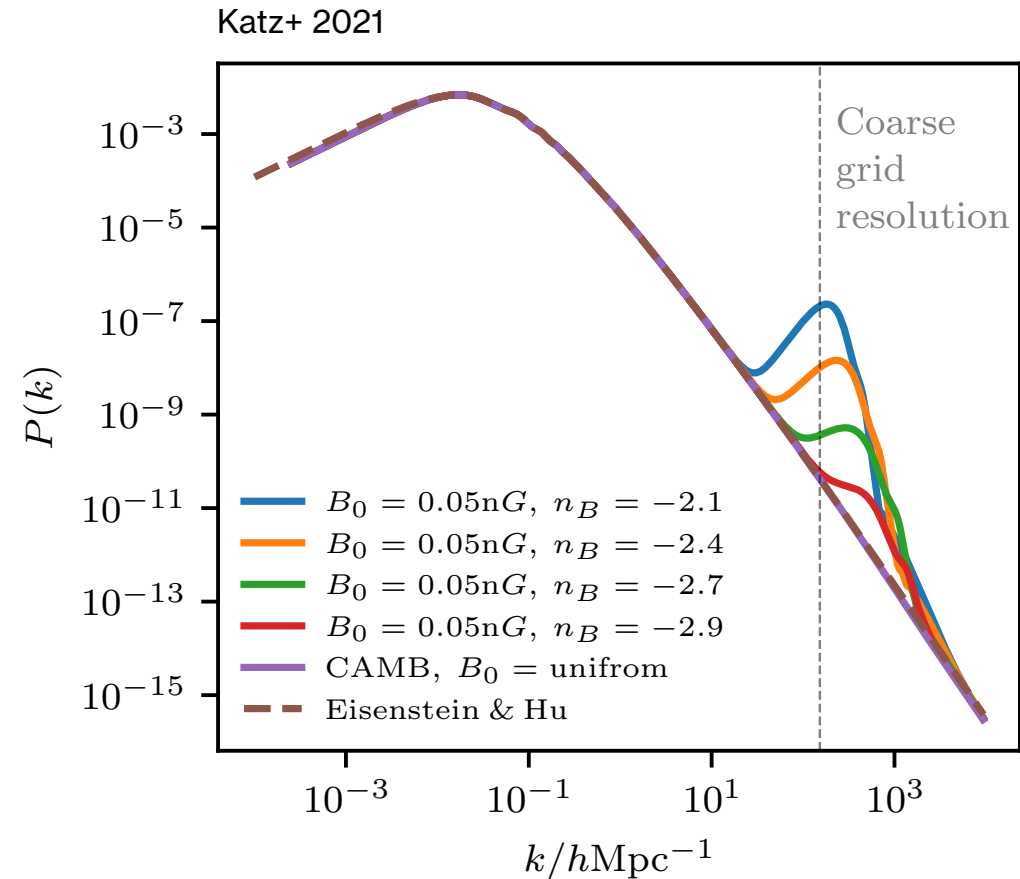


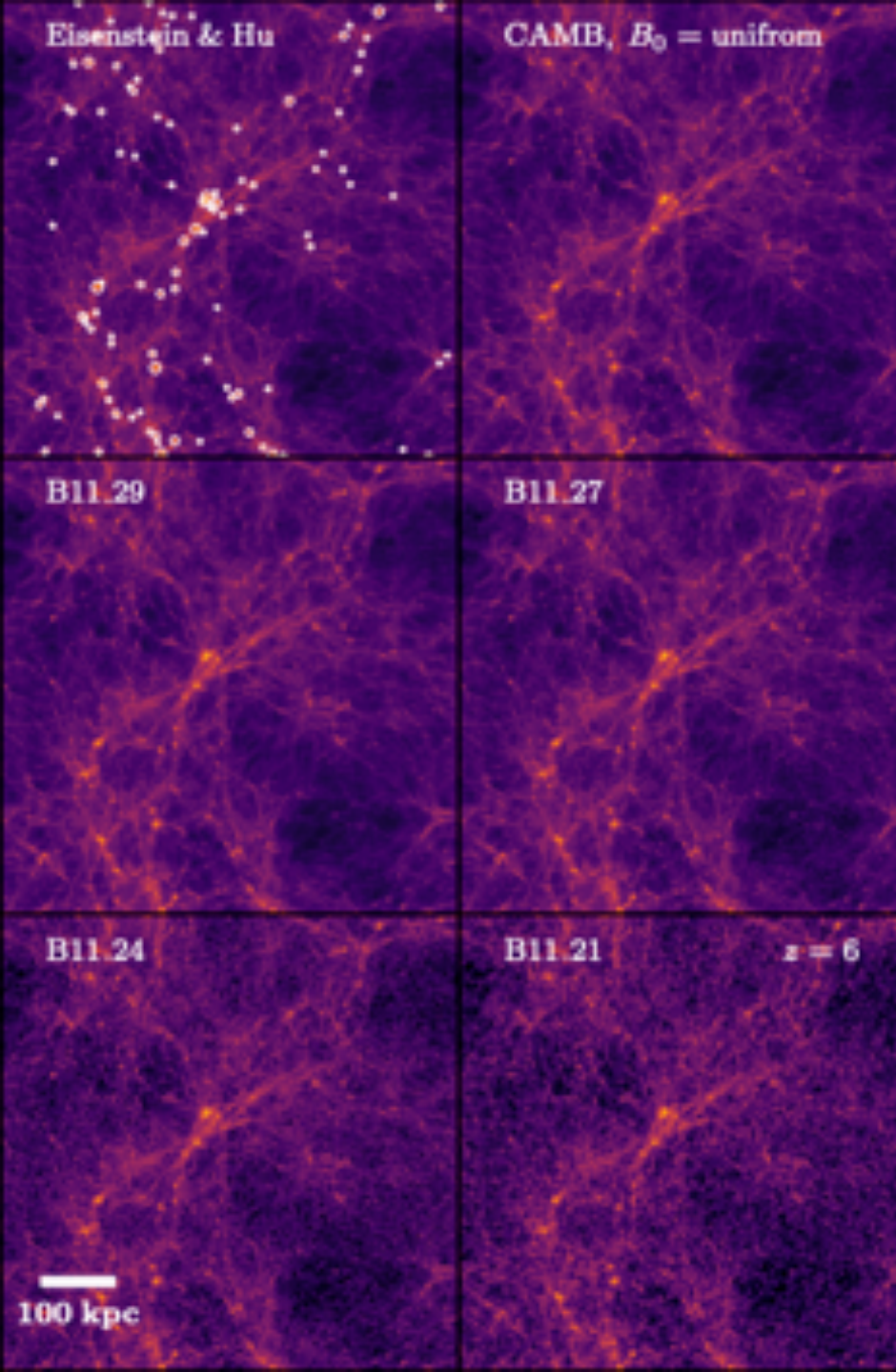
CMB (and other phenomena) puts strong constraints on primordial magnetic fields

Principal effect	Upper limit
Spectral distortions	30 – 40 nG [14–17]
Anisotropic expansion	3.4nG [18]
CMB temp. anisotropies:	
Due to magnetic modes	1.2 – 6.4 nG [19–40]
Due to plasma heating	0.63 – 3 nG [16, 38, 41–44]
CMB polarization	1.2nG [21–23, 40, 45–54]
Non-Gaussianity bispectrum	2 – 9 nG [38, 55–64]
Non-Gaussianity trispectrum	0.7nG [65]
Non-Gaussianity trispectrum with inflationary curv. mode	0.05nG [66]
Reionization	0.36 nG [41, 67–70]

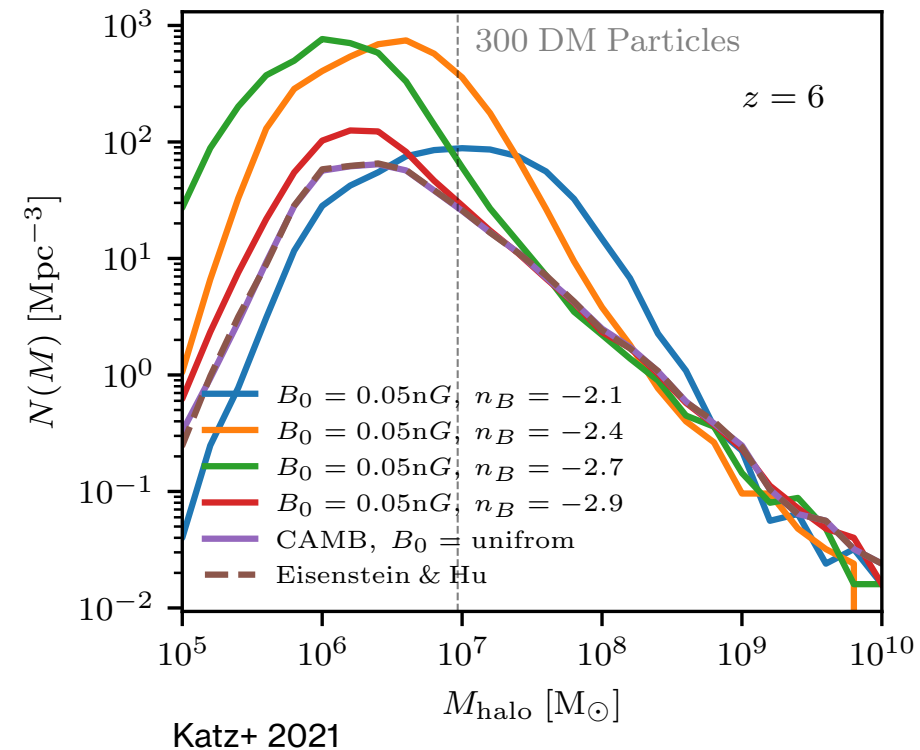


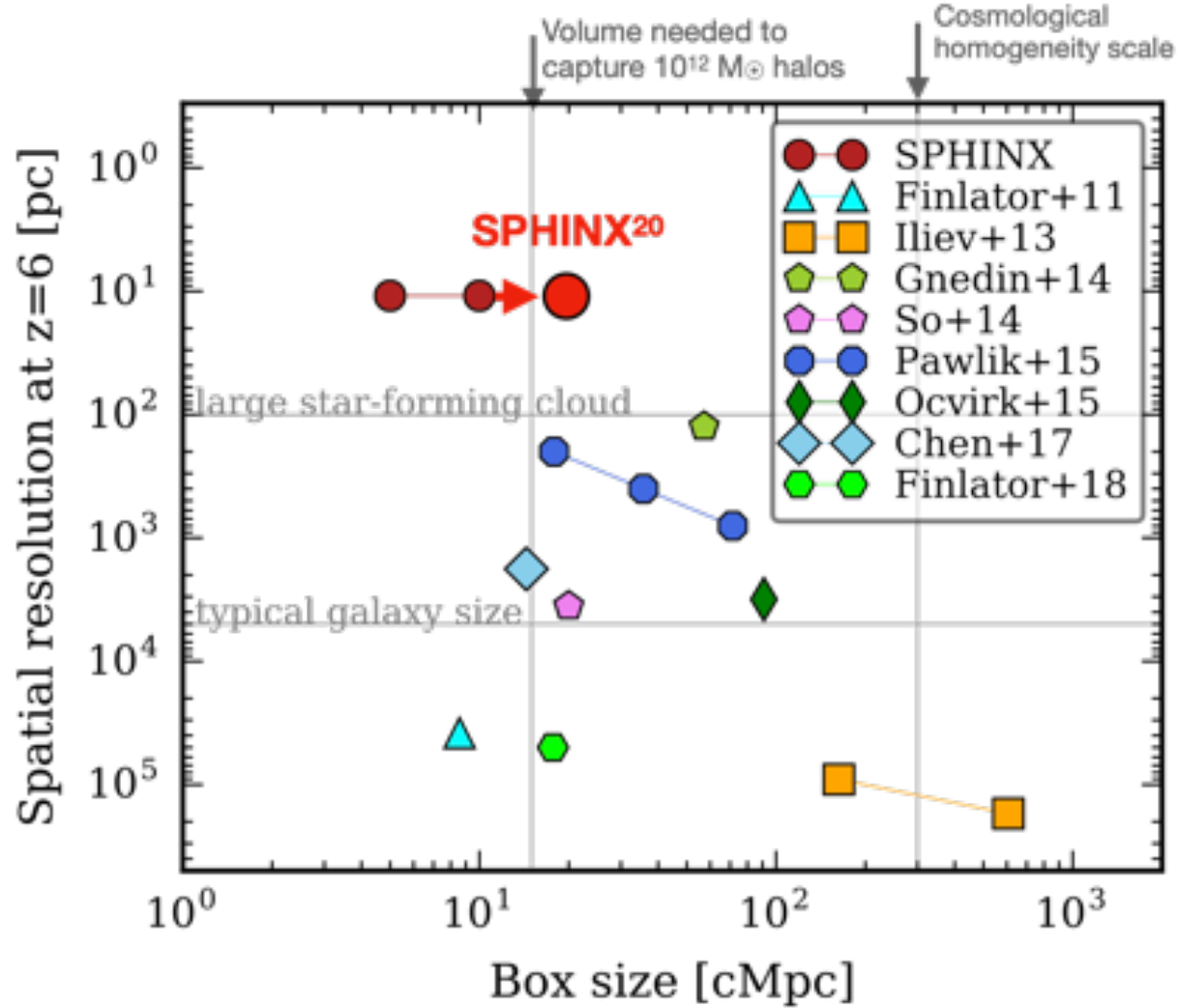
Within the constraints, the impact is primarily in the dwarf galaxy regime





The modified matter power spectrum can drastically alter the DM density field

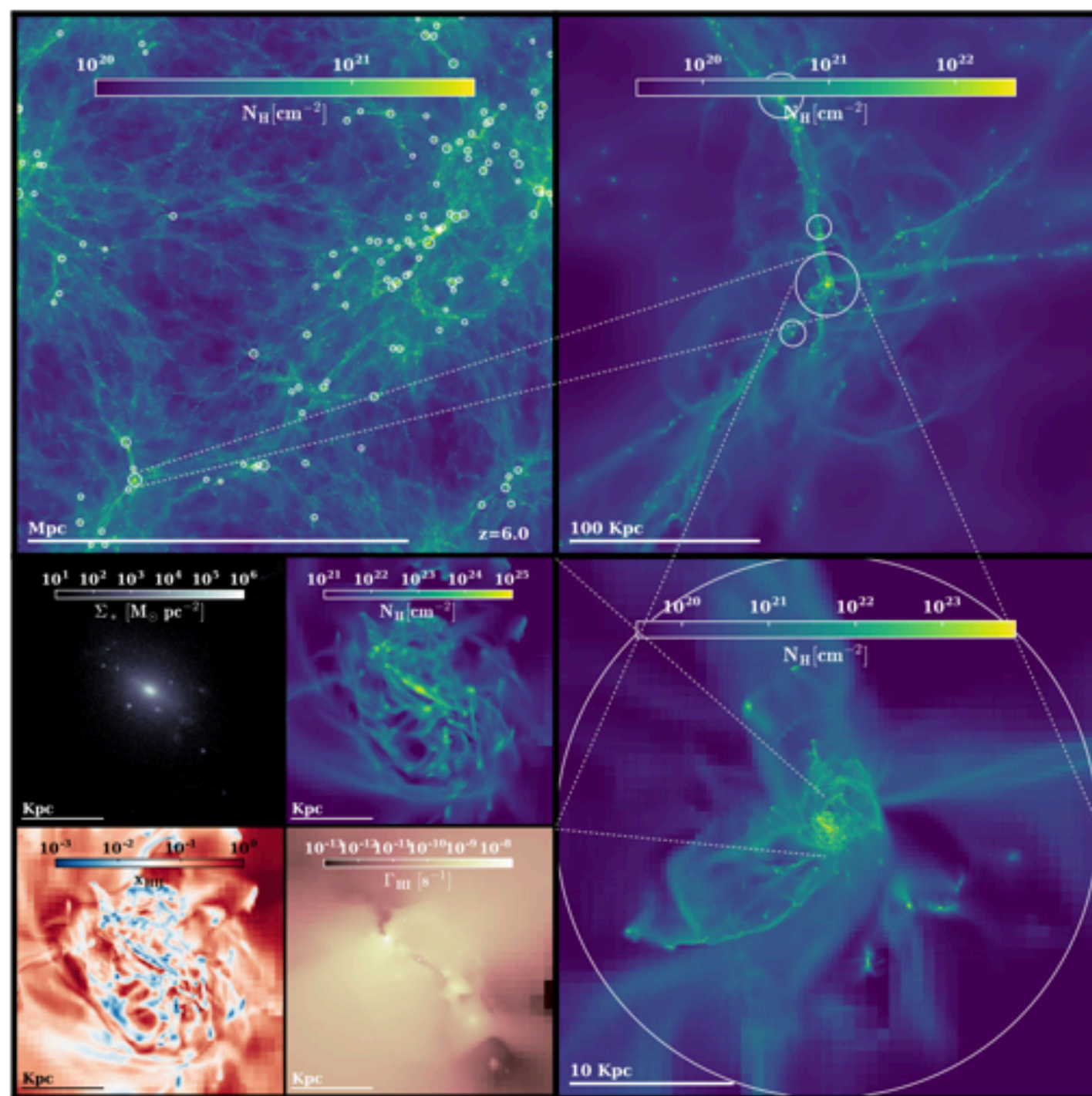




Introducing SPHINX

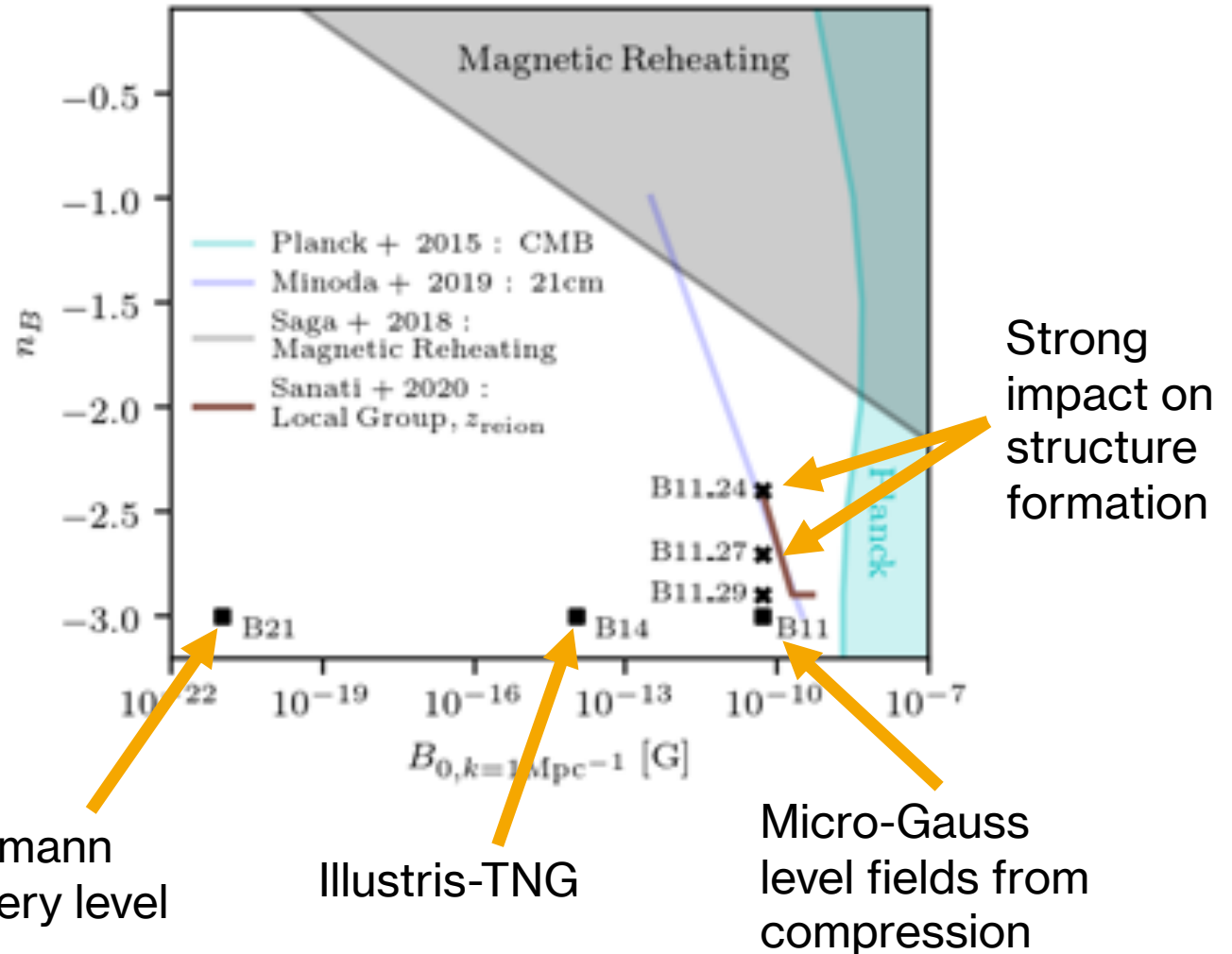
SPHINX-MHD sim details

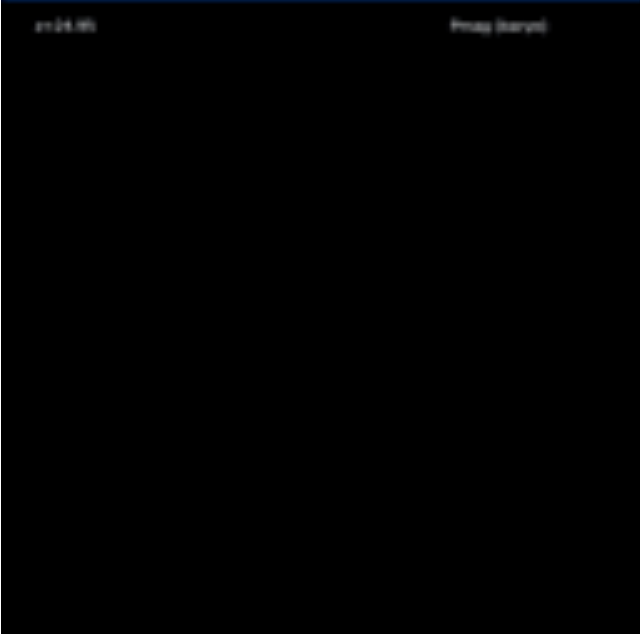
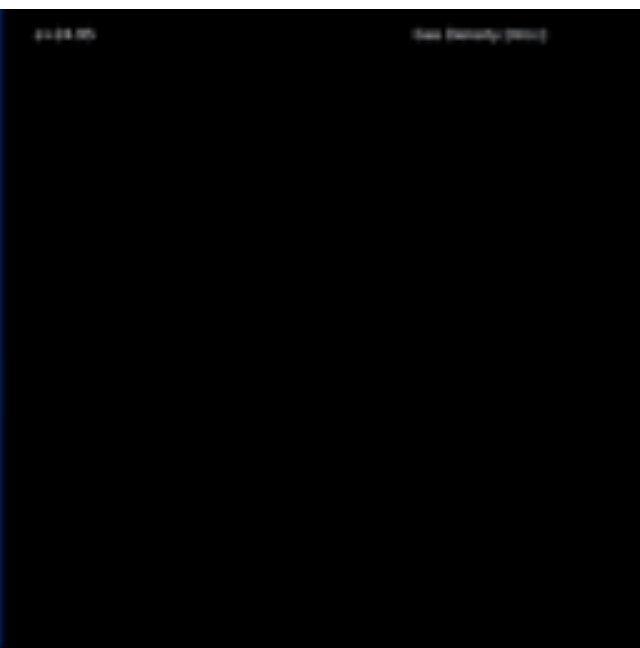
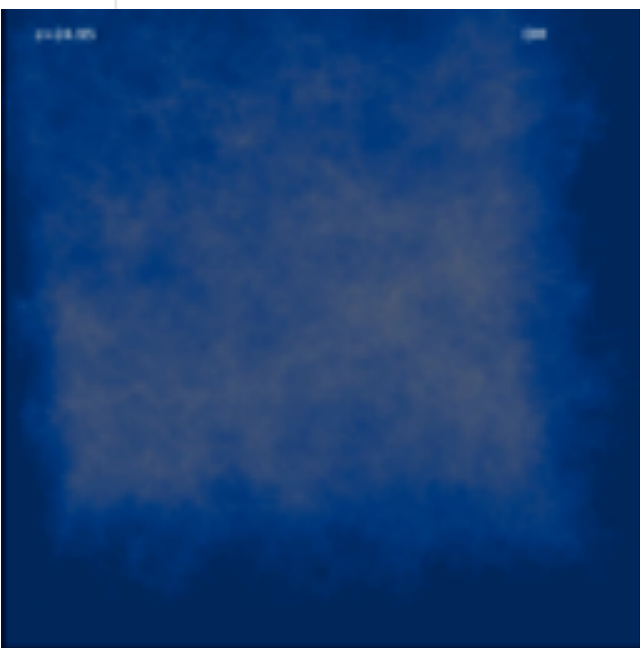
- Almost identical to the original hi-res version of SPHINX (Rosdahl et al. 2018)
- 5 Mpc box
- 10 pc physical resolution
- 6-species non-equilibrium chemistry and 3-bin radiation transfer
- 1,000 M_{sun} star particles, $3.1e4 M_{\text{sun}}$ DM particles
- Constrained transport ideal MHD
- Star formation criteria and efficiency includes the impact of magnetic fields



6 simulations varying the strength and structure of the primordial magnetic field

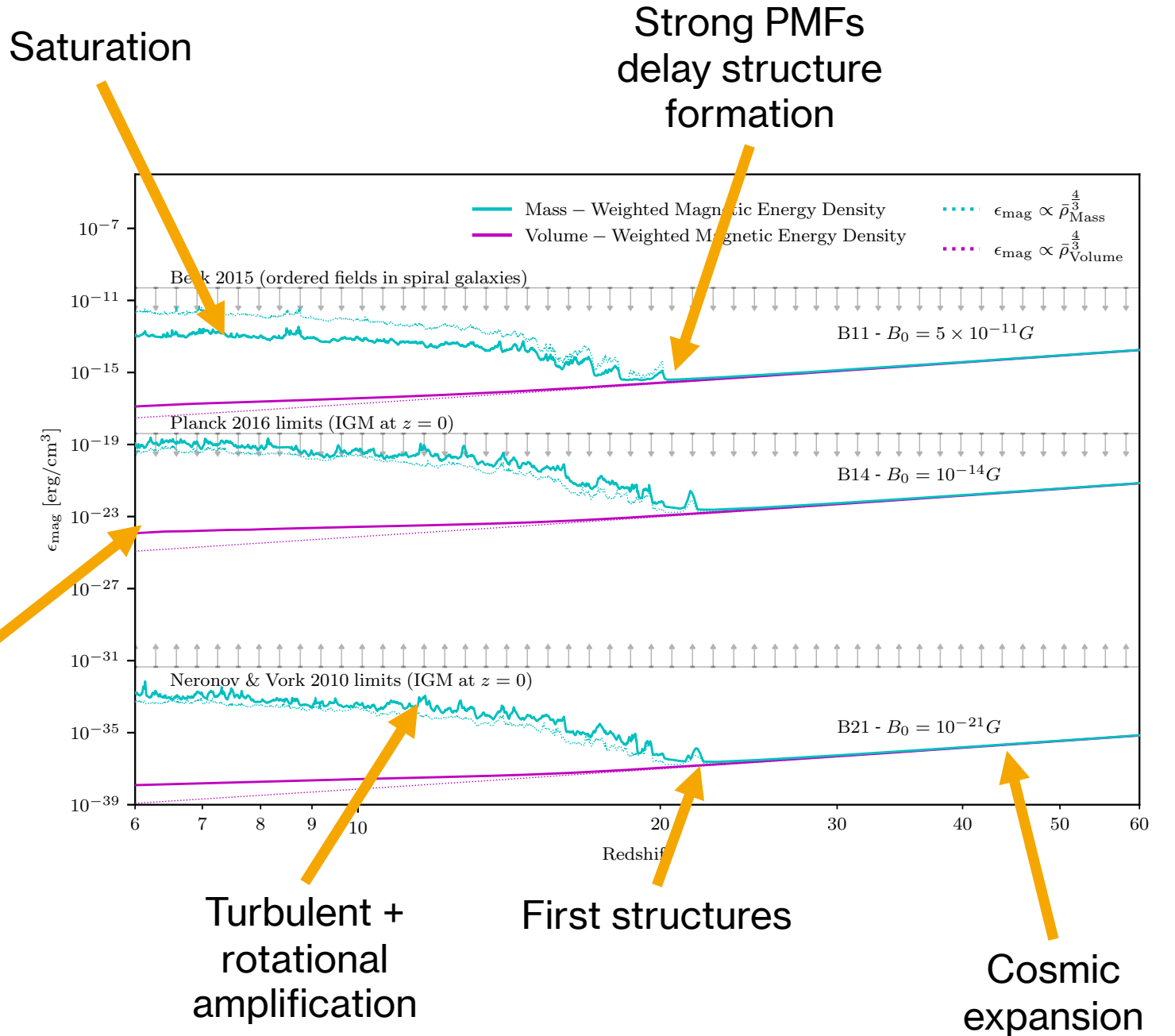
$$P(k) = Ak^{n_B} \quad A = \frac{(2\pi)^{n_B+5} B_{1\text{Mpc}}^2}{2\Gamma\left(\frac{n_B+3}{2}\right) k_{1\text{Mpc}}^{n_B+3}}$$





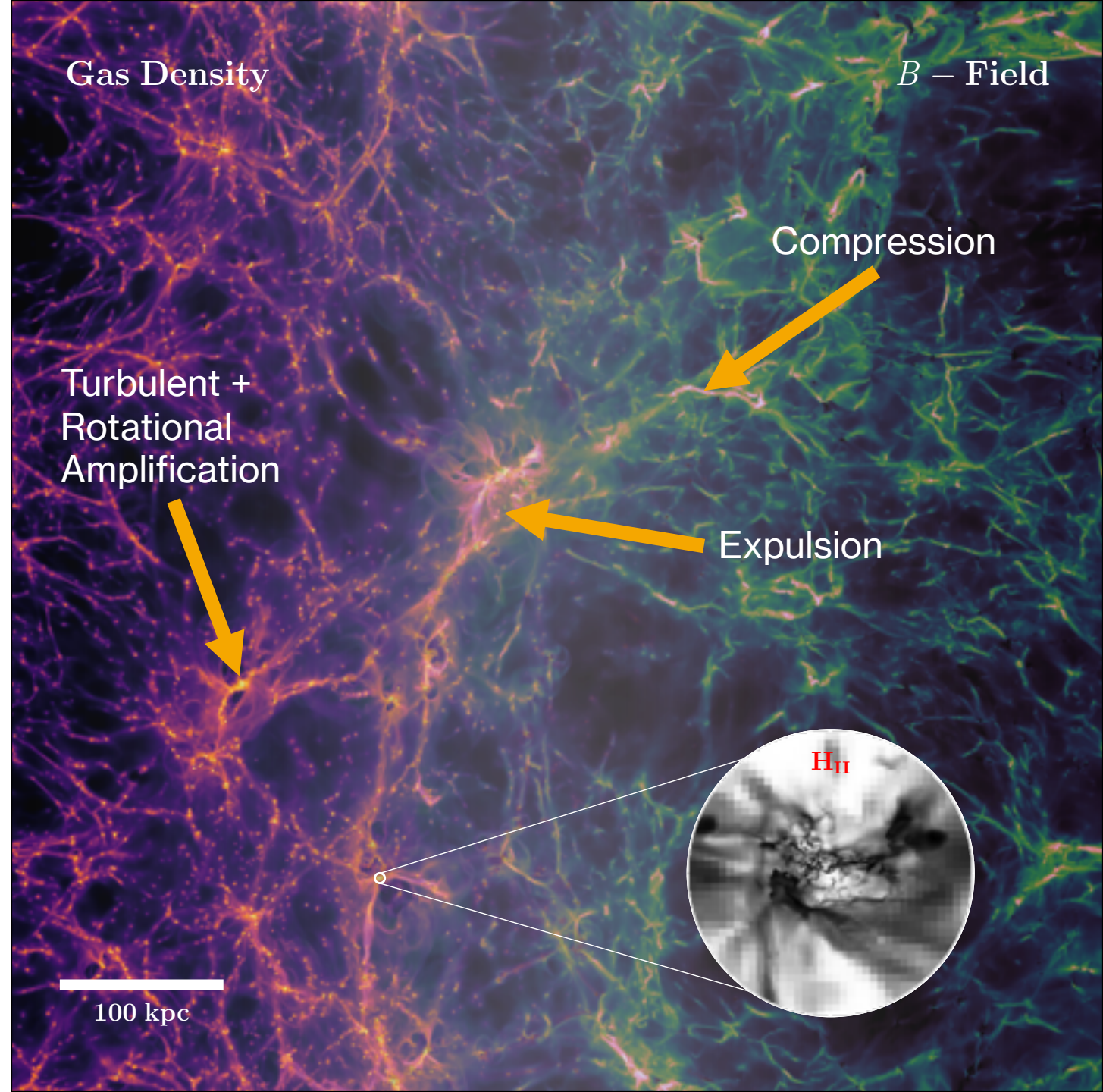
Magnetic fields grow due to compression and turbulent/rotational amplification

Expulsion into the IGM



PMF amplification follows the ρ – field

- Compressional amplification: $B \sim \rho^{2/3}$ due to flux conservation
- Turbulent and rotational dynamos occur in galaxies
- Amplified magnetic fields are expelled into the IGM



Star formation depends on the local properties of the magnetic field

Can stars form?

$$\lambda_{J,MTT} = \frac{\pi\sigma_V^2 + \sqrt{36\pi c_{s,\text{eff}}^2 G\Delta x^2 \rho + \pi\sigma_V^4}}{6G\rho\Delta x},$$

$$c_{s,\text{eff}} = c_s \sqrt{1 + \beta^{-1}},$$

$$\beta = P_{\text{thermal}}/P_{\text{mag}}$$

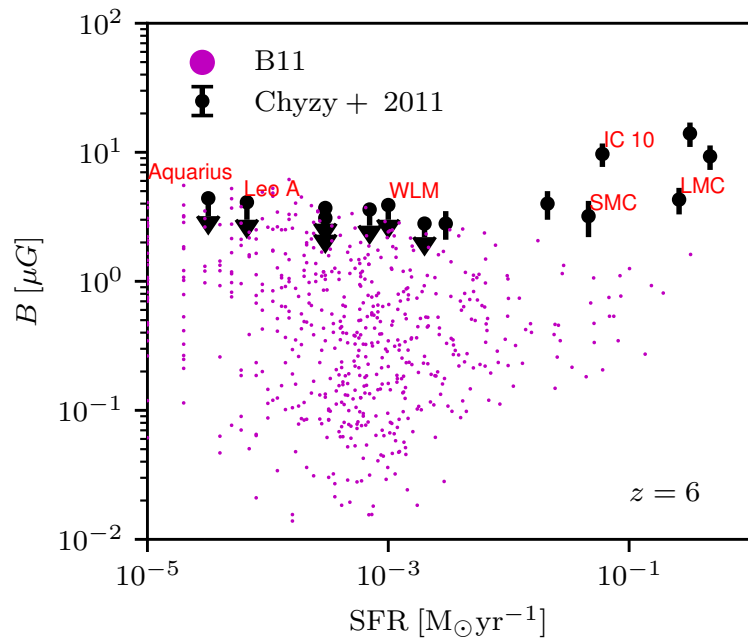
How efficiently do they form?

$$\dot{\rho}_{\text{star}} = \epsilon_{\text{ff}} \frac{\rho}{t_{\text{ff}}}$$

$$\epsilon_{\text{ff}} = \frac{\epsilon_{\text{cts}}}{2\phi_t} \exp\left(\frac{3}{8}\sigma_s^2\right) \left[1 + \text{erf}\left(\frac{\sigma_s^2 - s_{\text{crit}}}{\sqrt{2}\sigma_s}\right) \right]$$

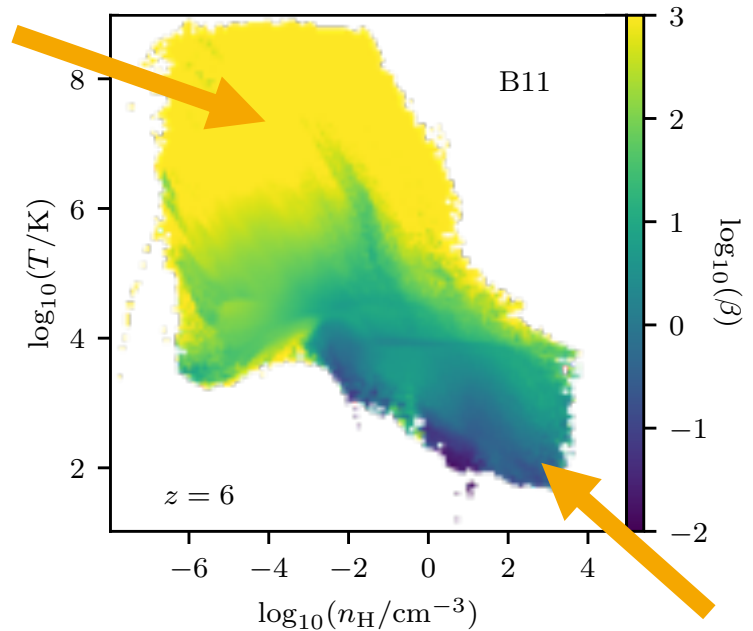
$$s_{\text{crit}} = \ln\left(0.067 \theta^{-2} \alpha_{\text{vir}} \mathcal{M}^2 f(\beta)\right)$$

Our strongest PMFs result in micro-Gauss level B-fields in galaxies and impact star formation



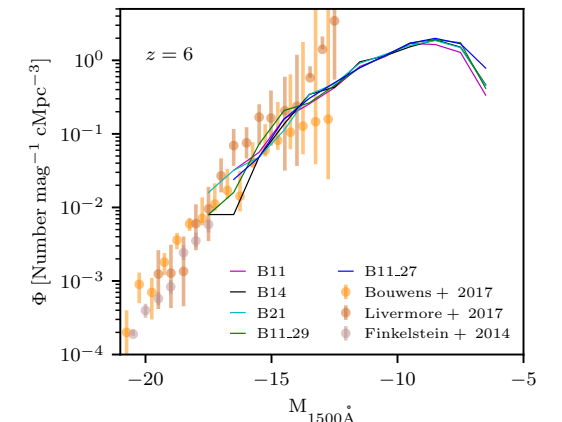
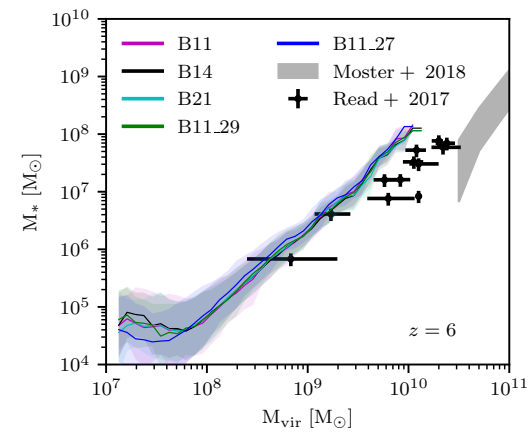
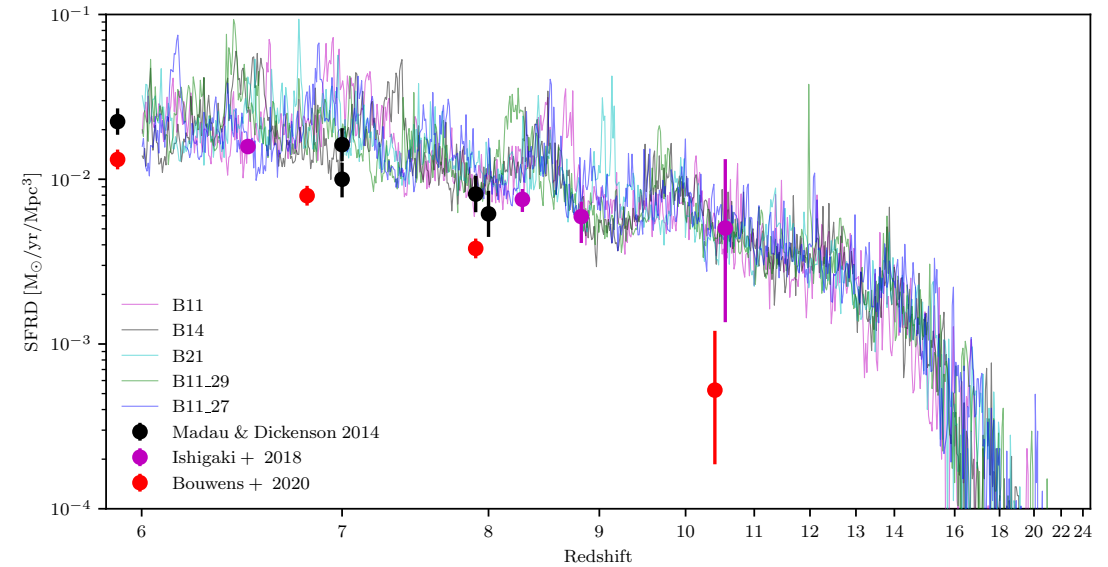
Thermal pressure dominates

$$c_{s,\text{eff}} = c_s \sqrt{1 + \beta^{-1}}$$

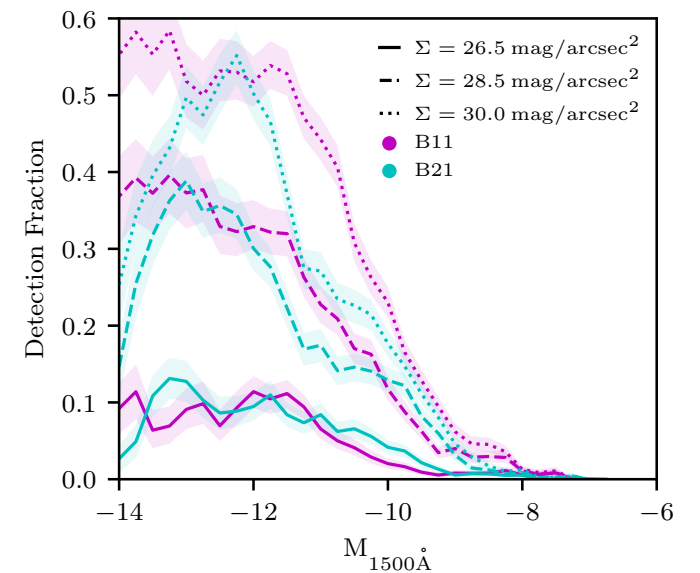
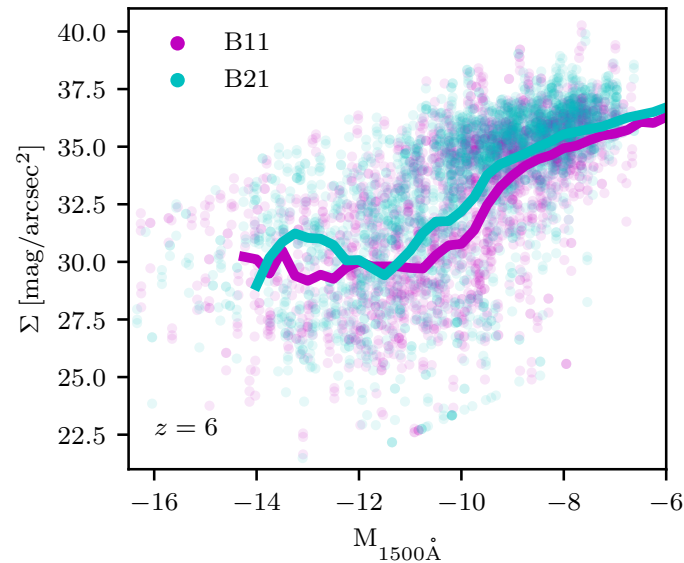
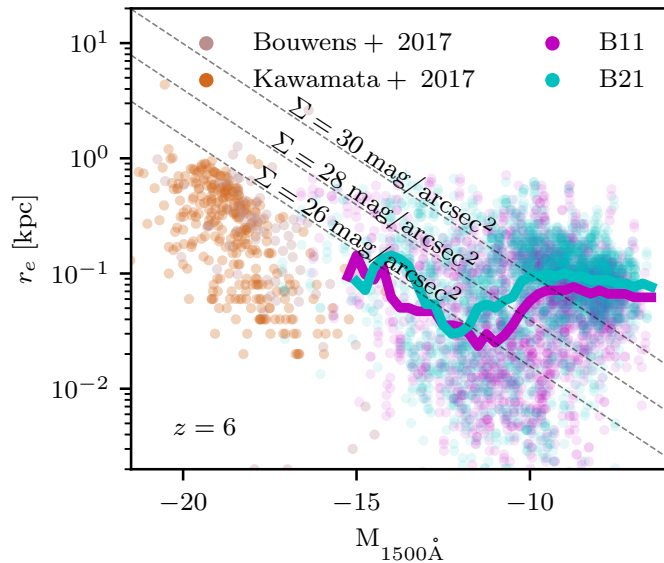


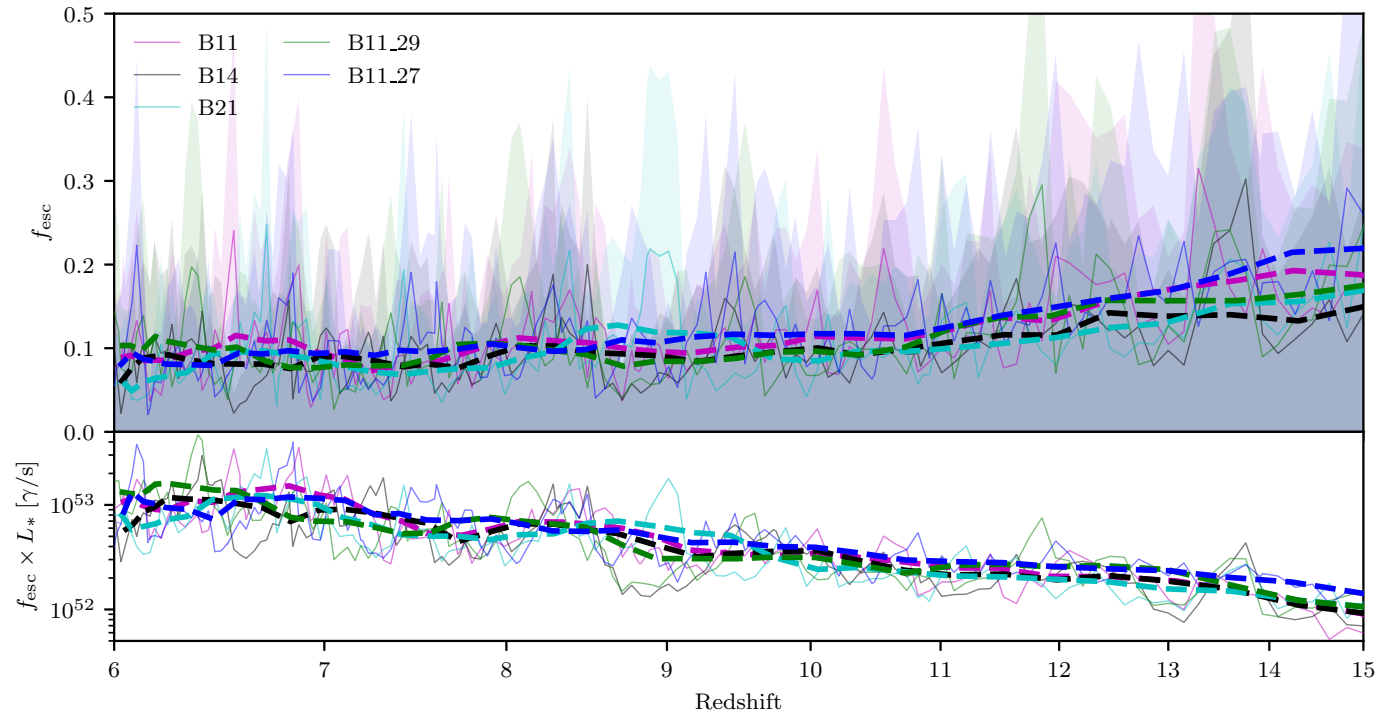
Magnetic pressure dominates

Despite the additional pressure and number of dwarf galaxies, star formation is not strongly impacted



Strong PMFs shrink the effective radii of galaxies and increase their surface brightness

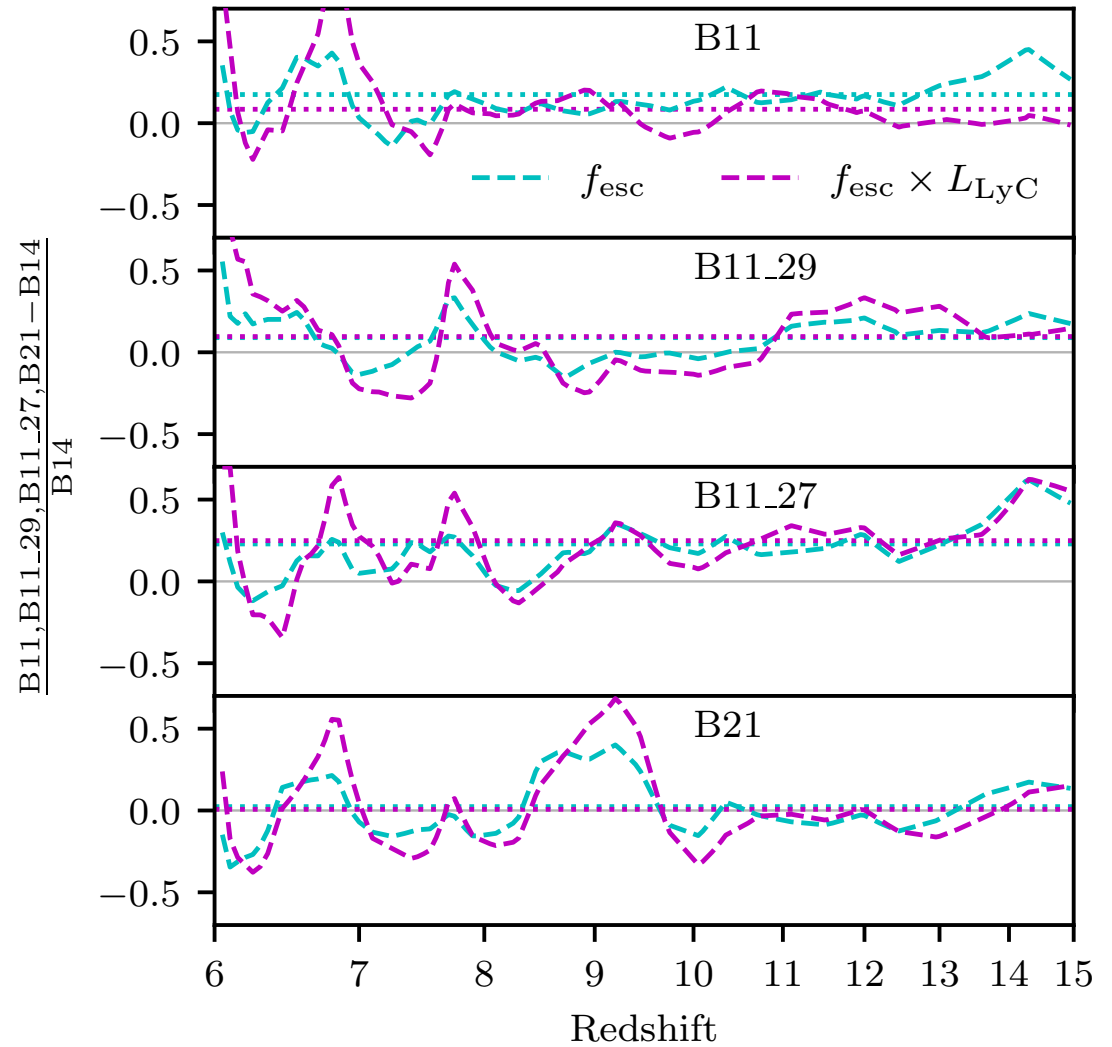




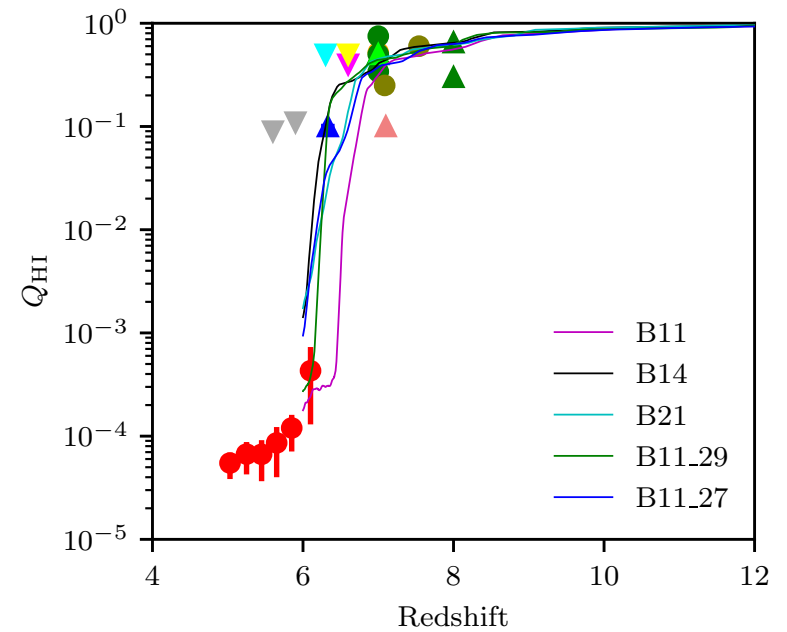
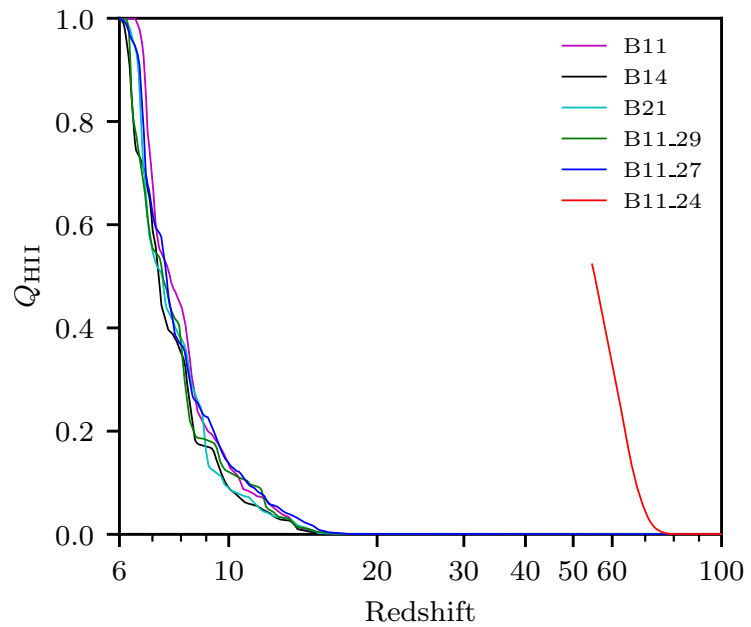
To first order, the LyC escape fractions appear very similar



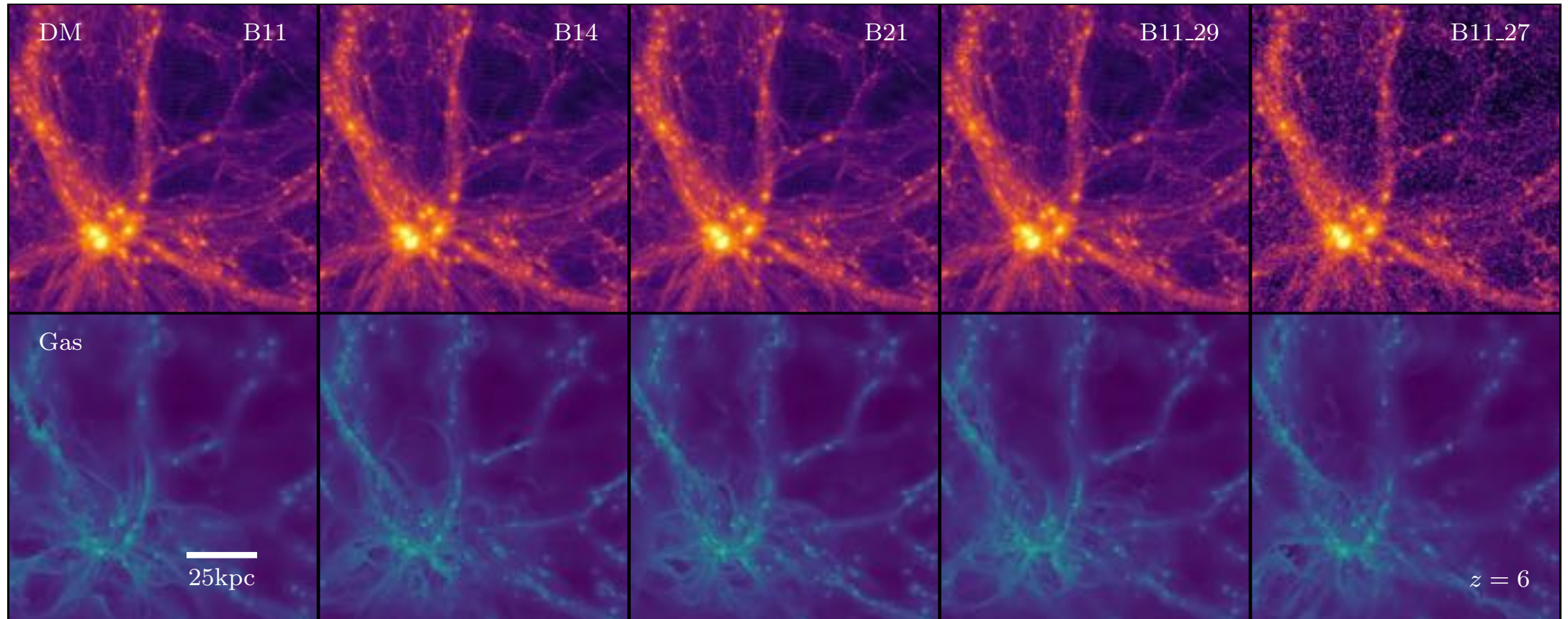
**Strong PMFs
increase f_{esc}
by up to 25%**

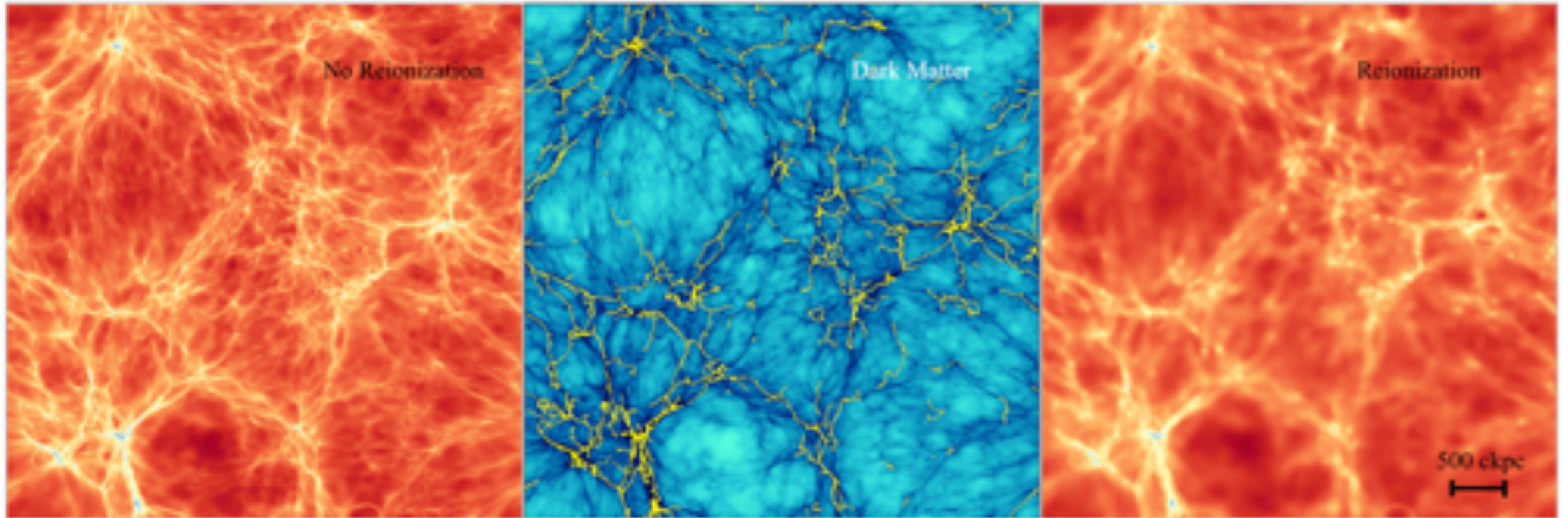


Reionization history is strongly impacted by flat spectral indices



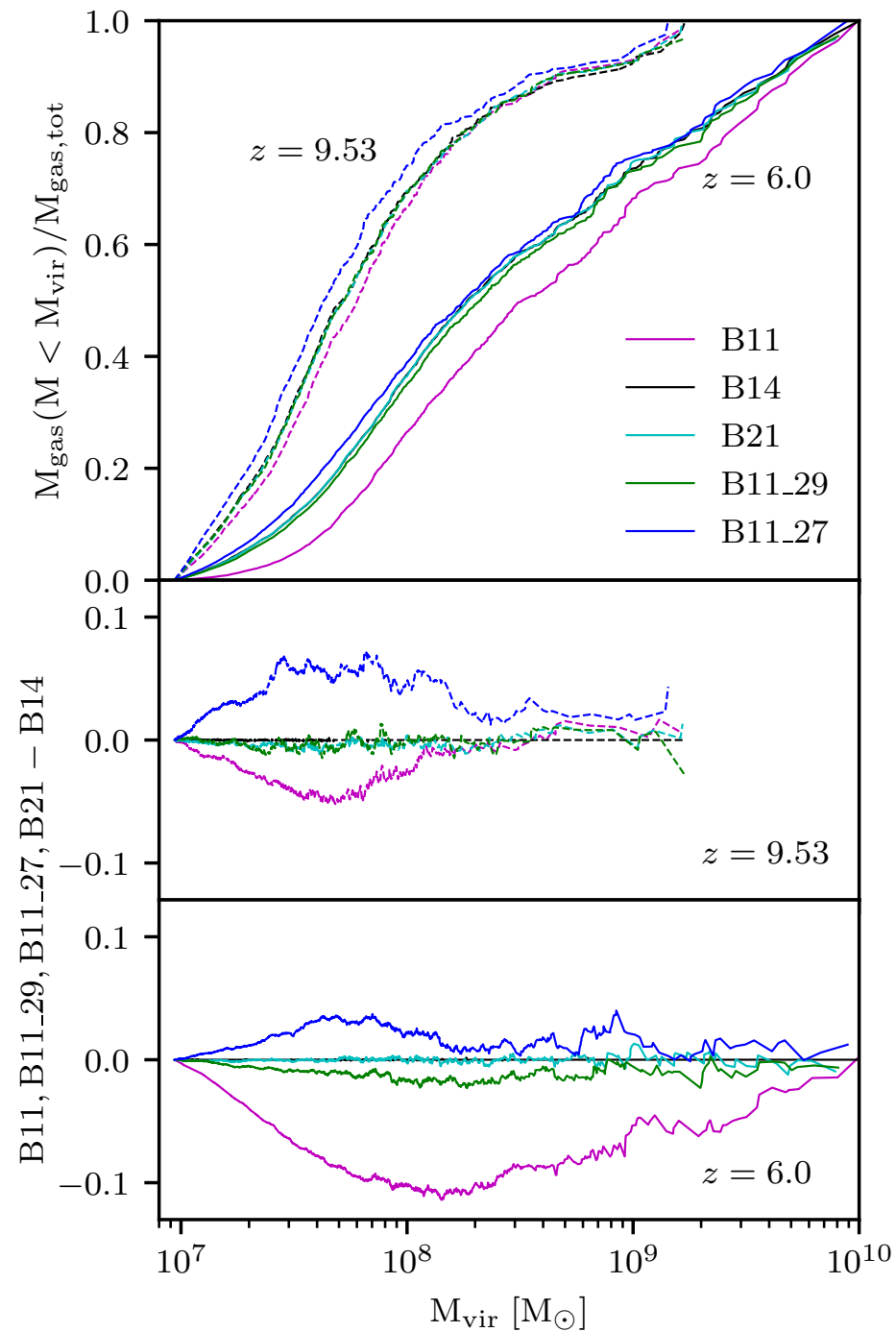
Do PMFs impact the Ly α forest?





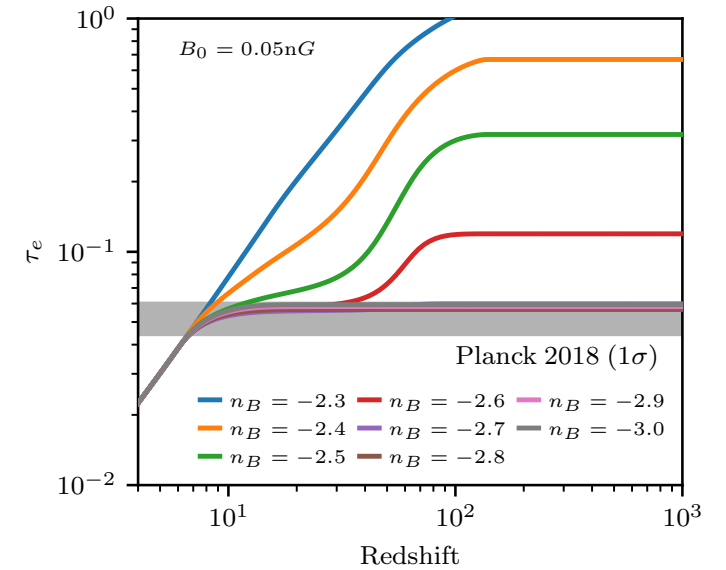
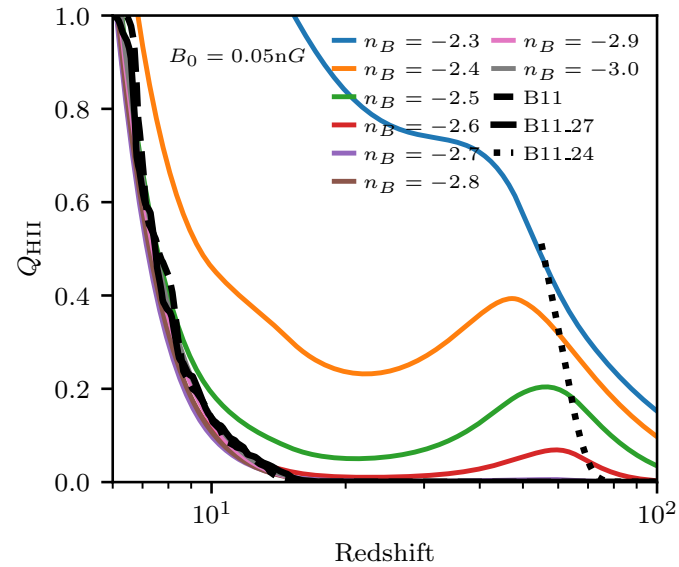
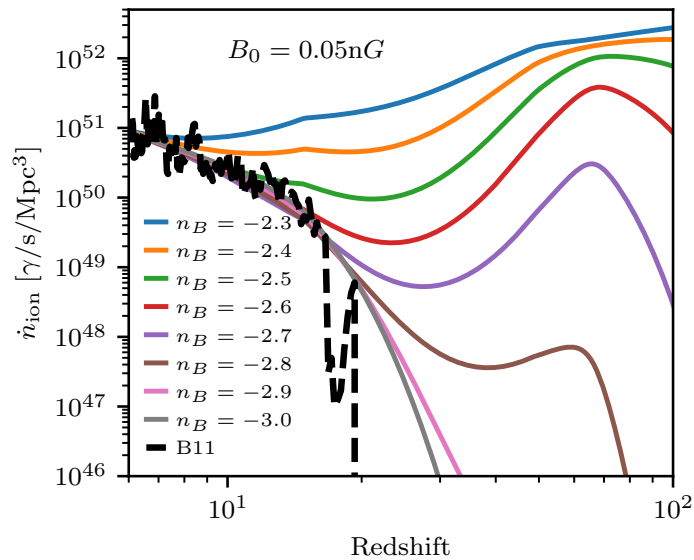
Reionization efficiently smooths the density field

**We predict
only a very
minor impact
on the Ly α
forest**

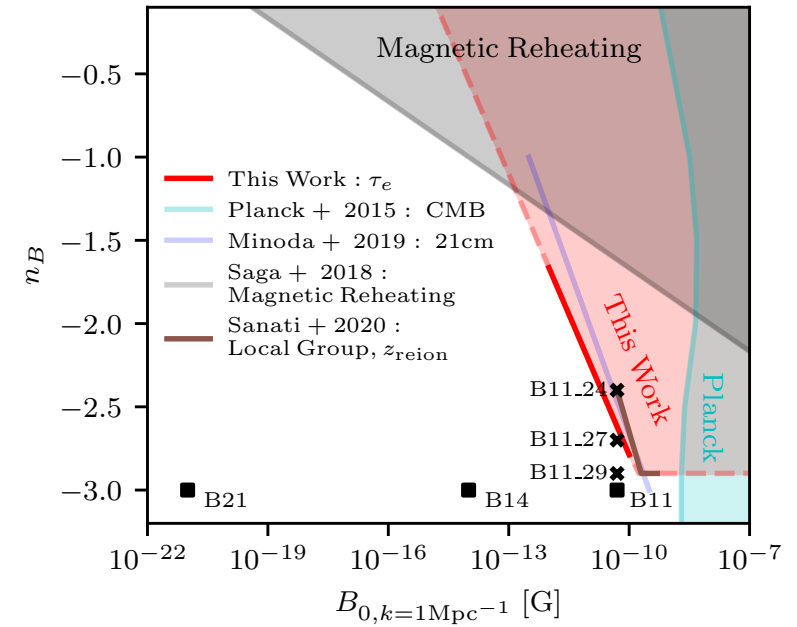
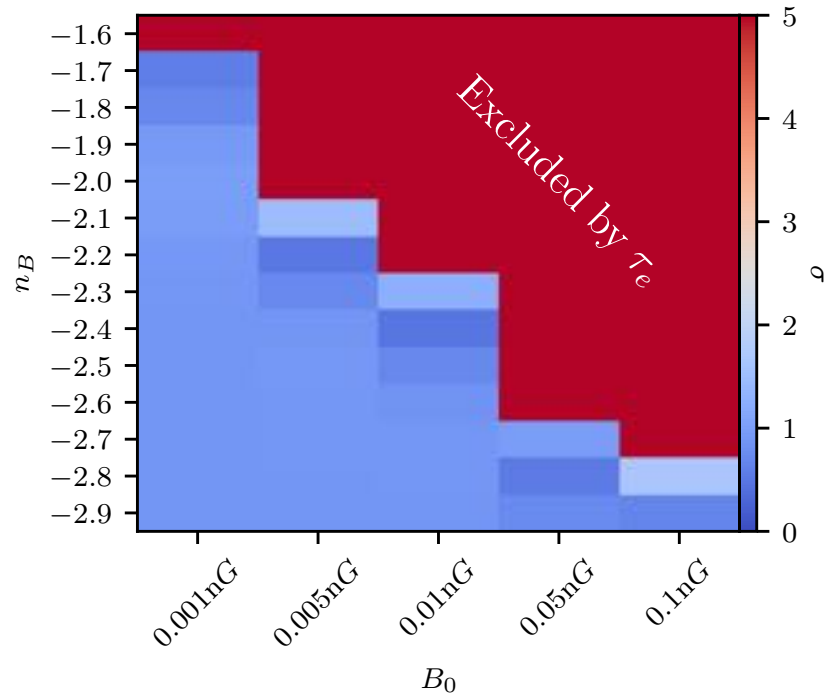


Constraining the properties of PMFs

$$\frac{dQ_{\text{HII}}}{dt} = \frac{\dot{n}_{\text{ion}}}{\langle n_{\text{H}} \rangle} - \frac{Q_{\text{HII}}}{\bar{t}_{\text{rec}}(C_{\text{HII}})}$$

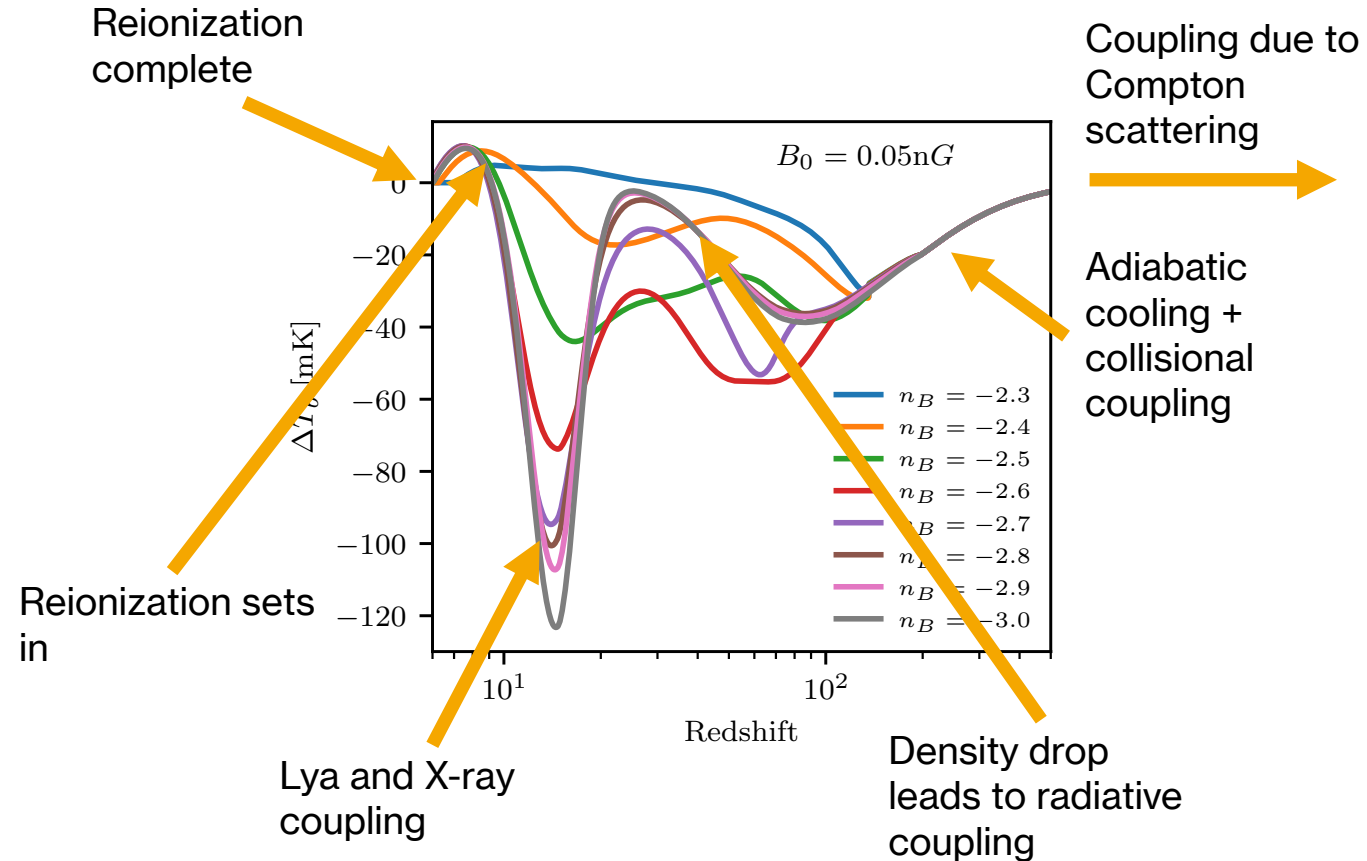
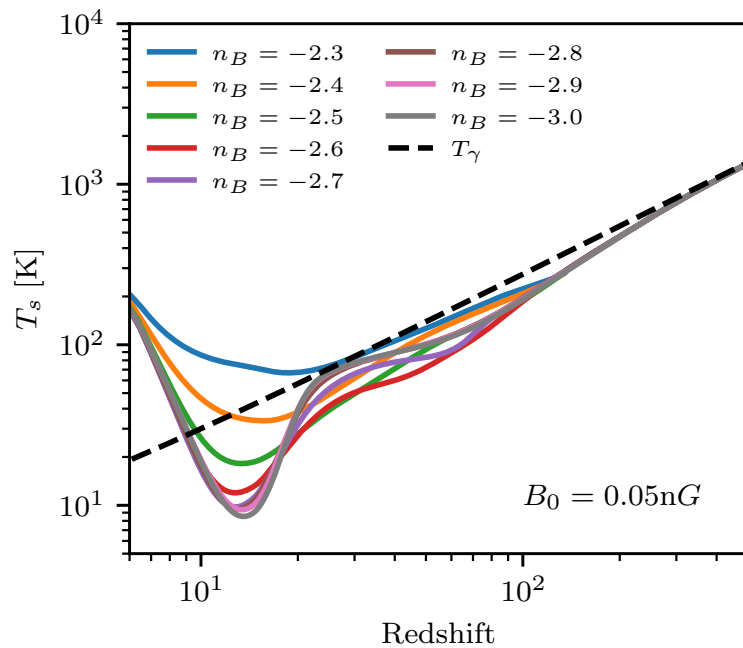


The effective optical depth provides the strongest constraints on PMFs



Stronger constraints can come from 21cm observations

$$\Delta T_b = 27 Q_{\text{HI}} (1 + \delta) \left(\frac{\Omega_b h^2}{0.023} \right) \left(\frac{0.016}{\Omega_m h^2} \right) \left(\frac{1+z}{10} \right)^{0.5} \left(1 - \frac{T_\gamma}{T_s} \right) \text{mK},$$



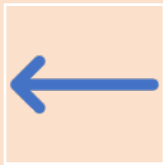
Conclusions



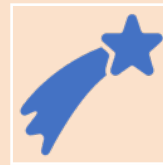
Reionization + global 21cm signal place strong constraints on the properties of PMFs



The PMFs that we studied don't strongly impact the stellar properties of reionization era galaxies or the Ly α forest



Strong PMFs can shrink the effective radii of by ~44% which changes the size-luminosity relation



LyC escape fractions can increase by up to 25% due to small changes in star formation and ISM properties