

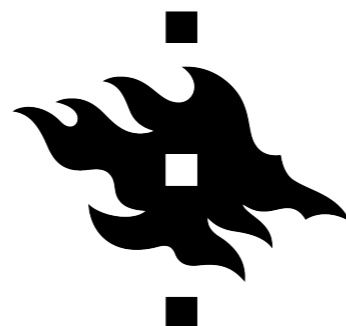
# Lyman- $\alpha$ data as a probe of dark matter interactions

Deanna C. Hooper

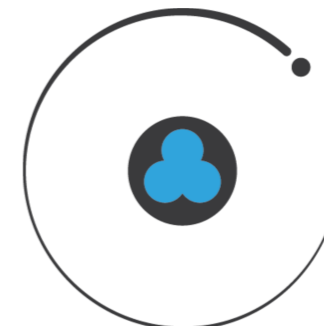
*Based on 1907.01496 and 2110.04024*

**SOTU, TIFR**

**25<sup>th</sup> February 2022**



HELSINGIN YLIOPISTO  
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INSTITUTE OF  
PHYSICS

# Overview

## 1. DM paradigm revisited

- Small-scale crisis
- Tensions

## 2. Lyman- $\alpha$ data

- What is Lyman- $\alpha$  data
- How to use Lyman- $\alpha$  data

## 3. DM - DR interactions

- Why this model
- Bounds from Lyman- $\alpha$

## 4. DM - neutrino interactions

- Model and pipeline
- Hints of interactions

# The CDM paradigm

# The dark matter paradigm

- ~85% of the matter content in the universe is invisible (see intro slide of every dark matter talk)
- Current dark matter paradigm: cold, collisionless, non-baryonic matter that interacts gravitationally
- “Cold dark matter” = velocity dispersion is so small that the corresponding free-streaming length  $\lambda_{\text{fs}}$  is negligible for cosmological structure formation
- Most likely candidate: WIMPs  $\rightarrow$  particles interacting weakly, produced via freeze-out at  $T_{\text{fo}} \sim m_{\chi}/20$

# Cosmological failings of CDM

A crisis on the smallest scales: mismatch between simulations and observations of structures in our local neighbourhood

- Missing satellite problem: we observe fewer satellites than expected from simulations
- Too-big-to-fail problem: most massive sub-halos that should be big enough have not ignited
- Core-cusp problem: we see cored flat profiles, simulations predict cuspy profiles peaked at the centre
- Diversity problem: we see too many different galaxy profiles

# Cosmological failings of $\Lambda$ CDM

- Expansion rate of the universe,  $H_0$ , can be measured different ways
- $\sim 5\sigma$  tension between early and late measurements
- Systematic errors have been rigorously checked. CMB measurements assume  $\Lambda$ CDM

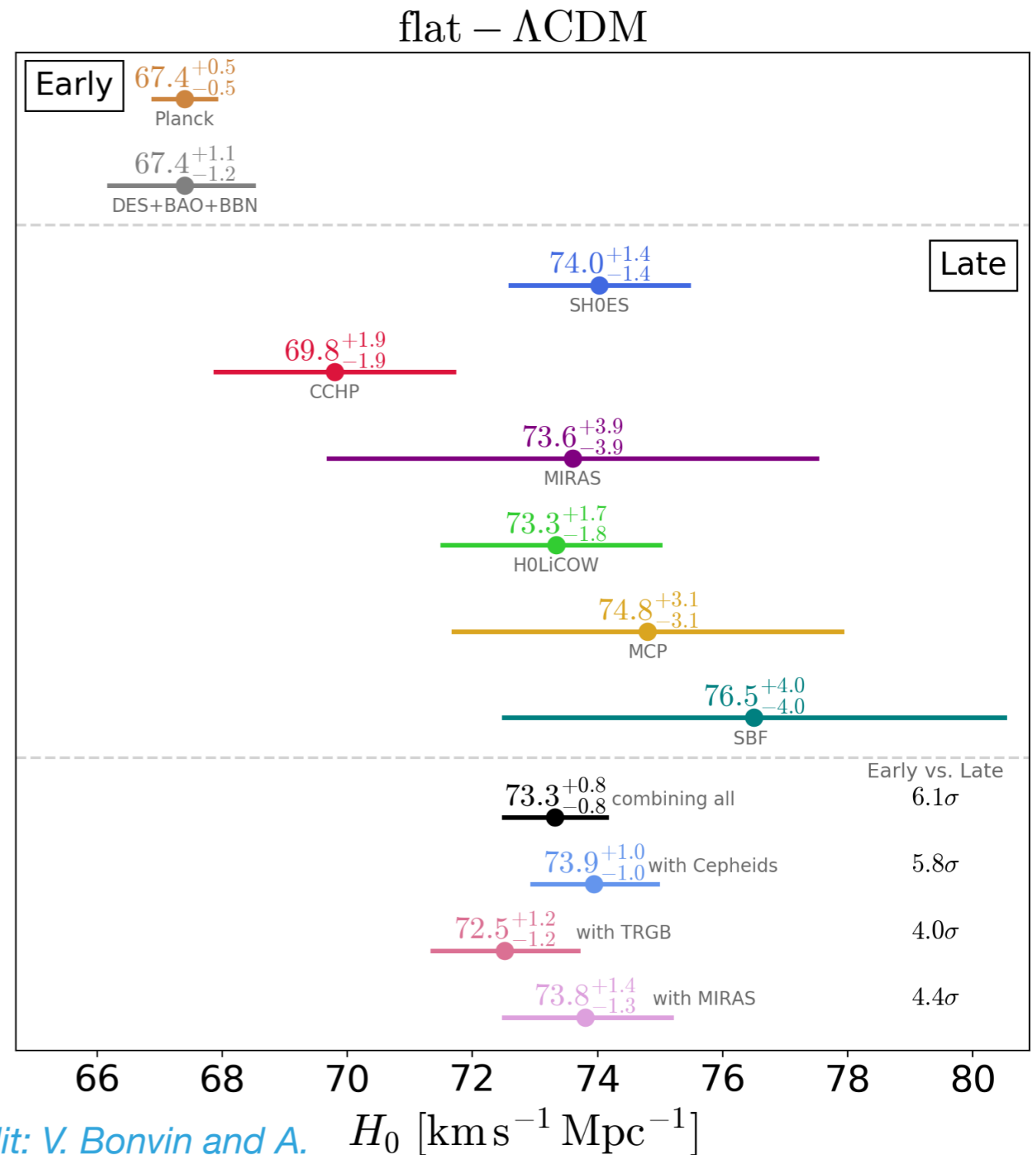
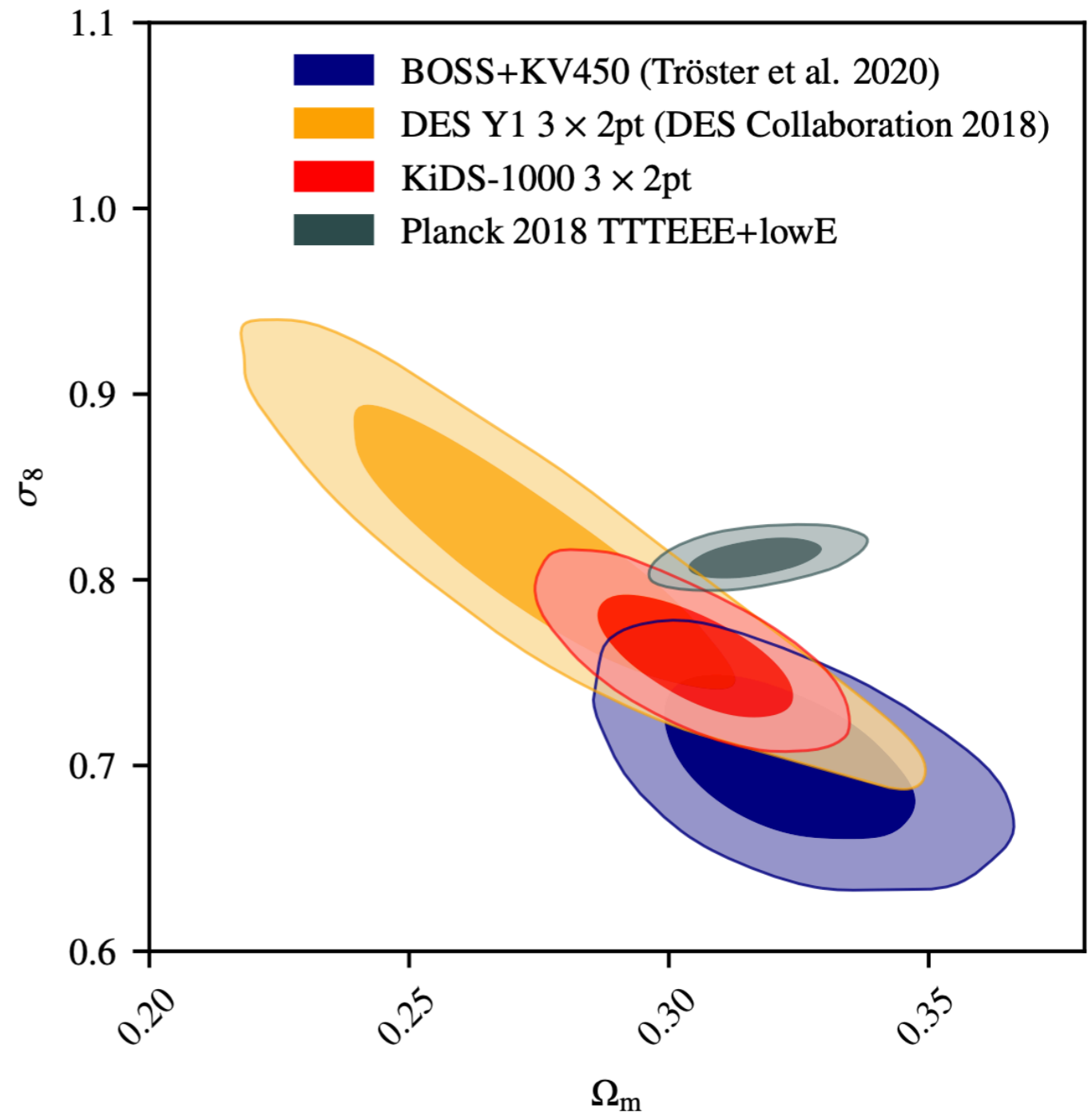


Figure credit: V. Bonvin and A. Shahib, available at 1907.10625

# Cosmological failings of $\Lambda$ CDM

- Clustering parameter  $\sigma_8$  measures amplitude of the power spectrum on scales of 8 Mpc/h
- There is a  $\sim 2.5\sigma$  tension between weak lensing and CMB measurements
- CMB measurements assume  $\Lambda$ CDM. Weak lensing data requires extensive cleaning and processing



*Di Valentino et al. 2008.11285*

# Lyman- $\alpha$ data



# Lyman- $\alpha$ data

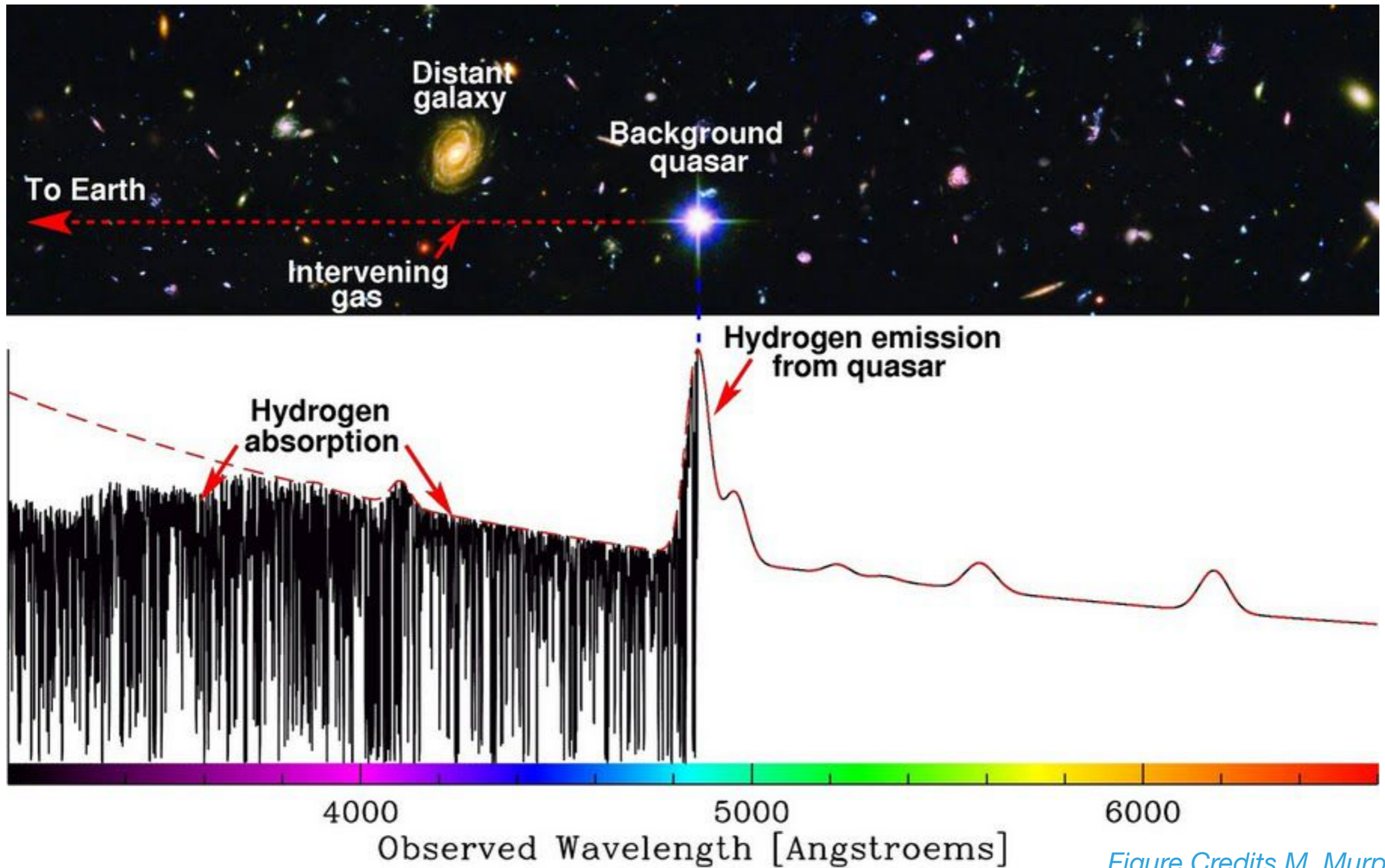
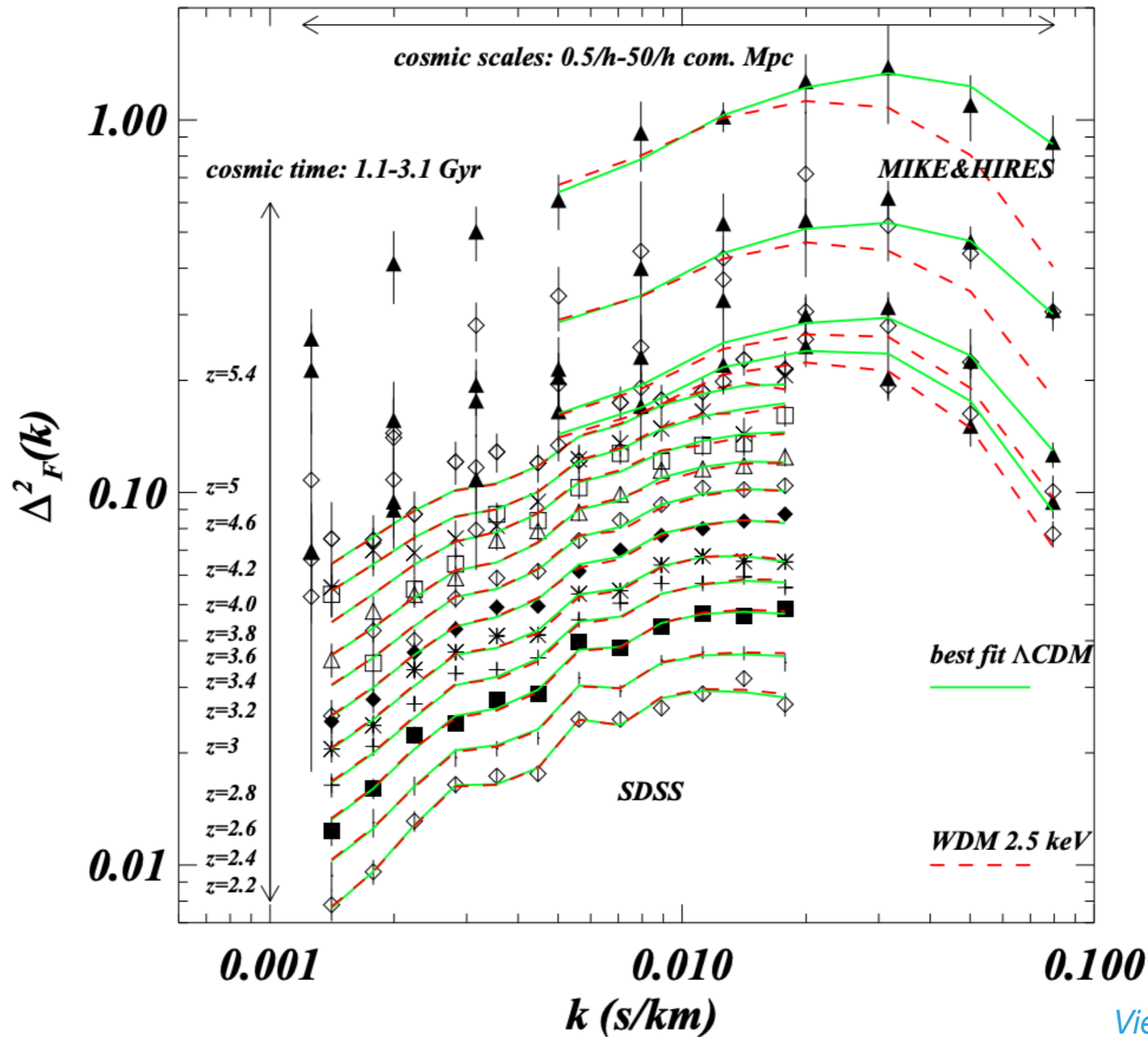


Figure Credits M. Murphy

# Lyman- $\alpha$ data

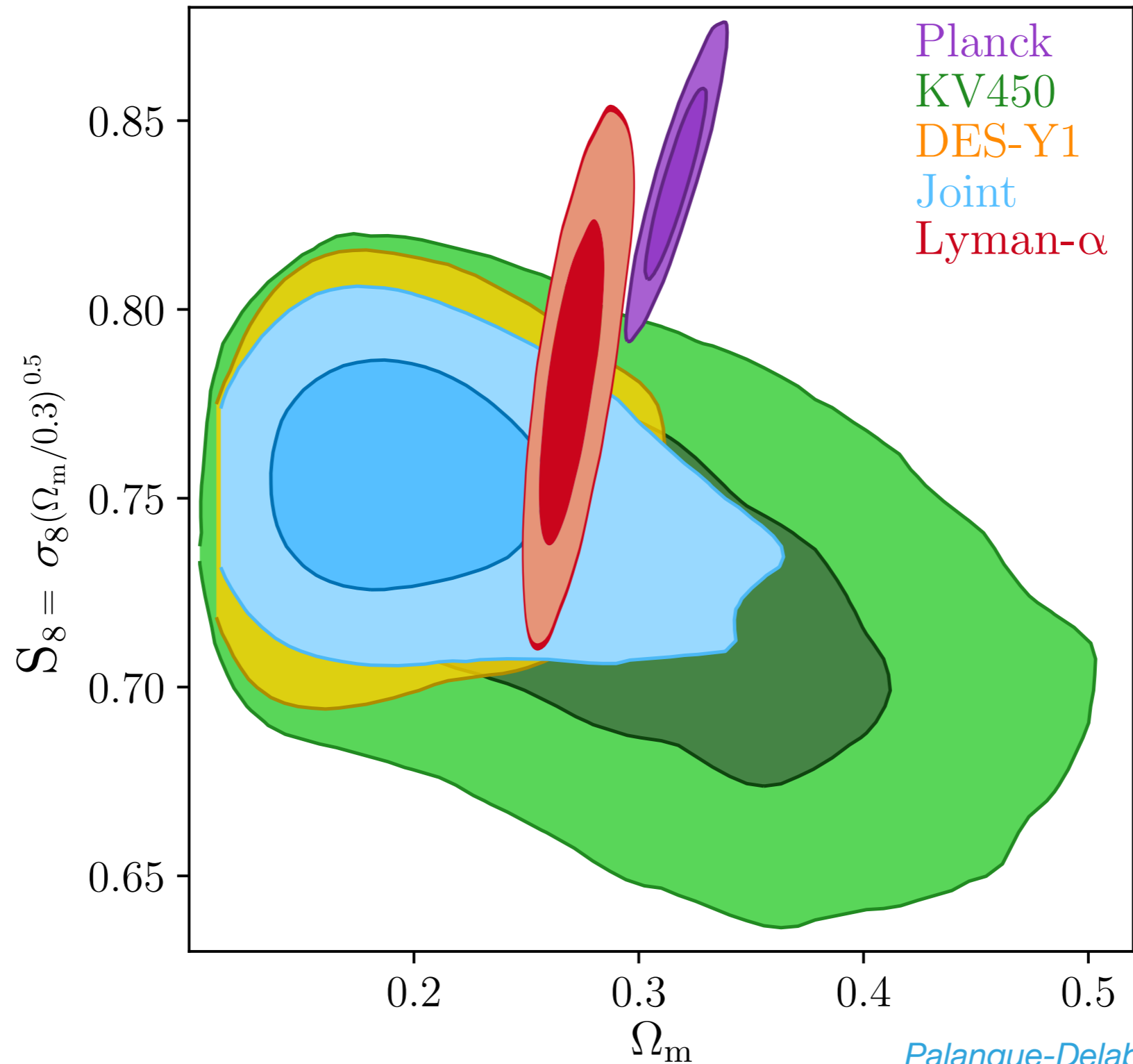
- Absorption lines produced by the inhomogeneous IGM along different line of sights to distant quasars
- Allows us to trace hydrogen clouds  $\rightarrow$  smallest structures
- Provides a tracer of the matter power spectrum at high redshifts ( $2 \lesssim z \lesssim 5$ ) and small scales ( $0.5 h/\text{Mpc} \lesssim k \lesssim 20 h/\text{Mpc}$ )
- Can constrain models that affect small scale structure formation
- IGM filament modelling requires nonlinear evolution: this needs hydrodynamical simulations  $\rightarrow$  parameter scans are not feasible

# Lyman- $\alpha$ data and $\Lambda$ CDM



Viel et al. 1306.2314

# Lyman- $\alpha$ data and $\Lambda$ CDM



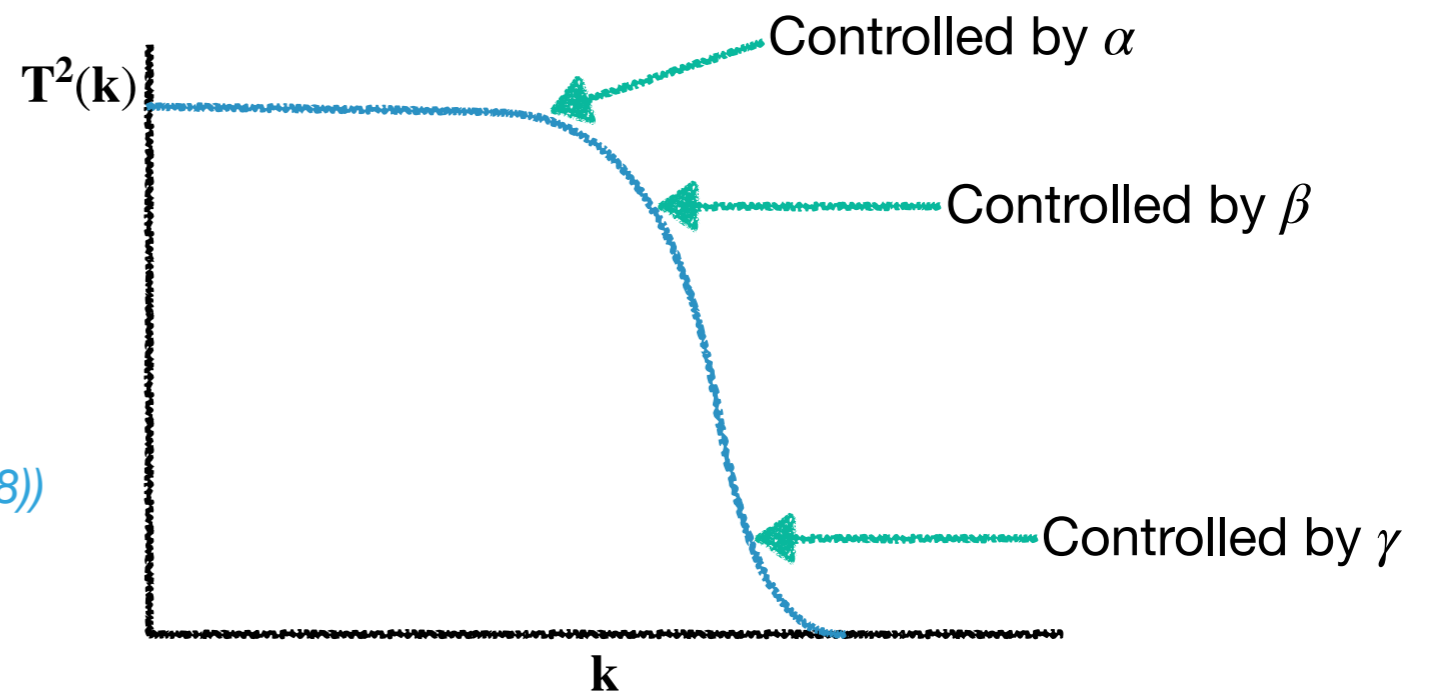
*Palanque-Delabrouille et al. 1911.09073*

# How to use Lyman- $\alpha$ data

- MontePython likelihood for Lyman- $\alpha$  data
- Inspired by WDM: focus on the *shape* of the suppression caused by NCDM models

$$T^2(k) = \frac{P(k)_{\text{nCDM}}}{P(k)_{\text{CDM}}} = [1 + (\alpha k)^\beta]^{2\gamma}$$

(initially proposed in Murgia et al. (1704.07838))



- Use a grid of hydro sims for over 100 different benchmark  $\alpha\beta\gamma$ , with a corresponding  $\chi^2$  given by Lyman- $\alpha$  data (MIKE/HIRES)
- Interpolate in grid to obtain a  $\chi^2$  from Lyman- $\alpha$  data for any NCDM model that can be described by  $\alpha\beta\gamma$

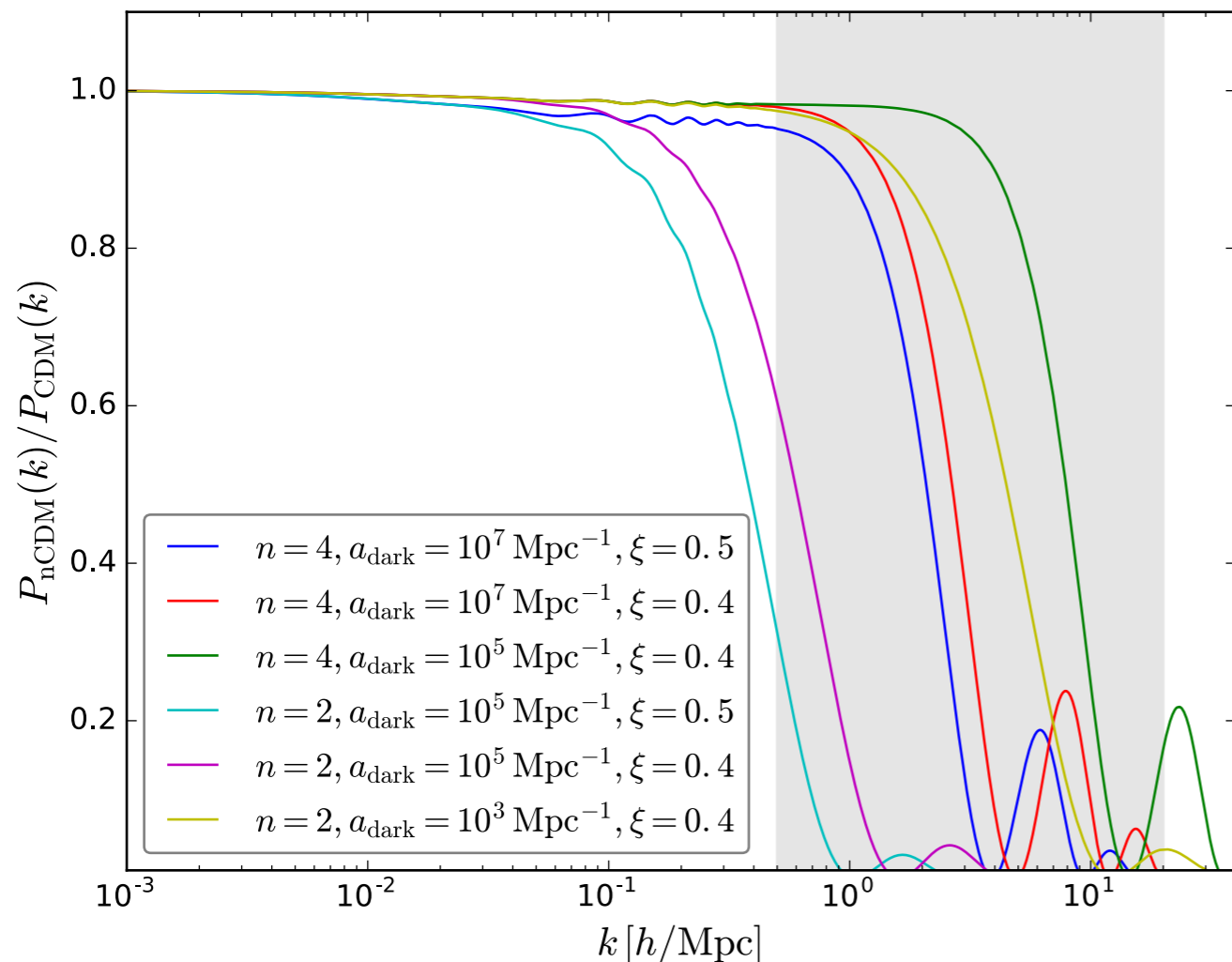
# DM - DR interactions



# DM-DR model

Archidiacono, **DCH**, Murgia, Bohr, Lesgourgues, Viel 1907.01496

$$f_{\text{idm}} = 1 \quad m_{\text{DM}} = 1 \text{ GeV}$$

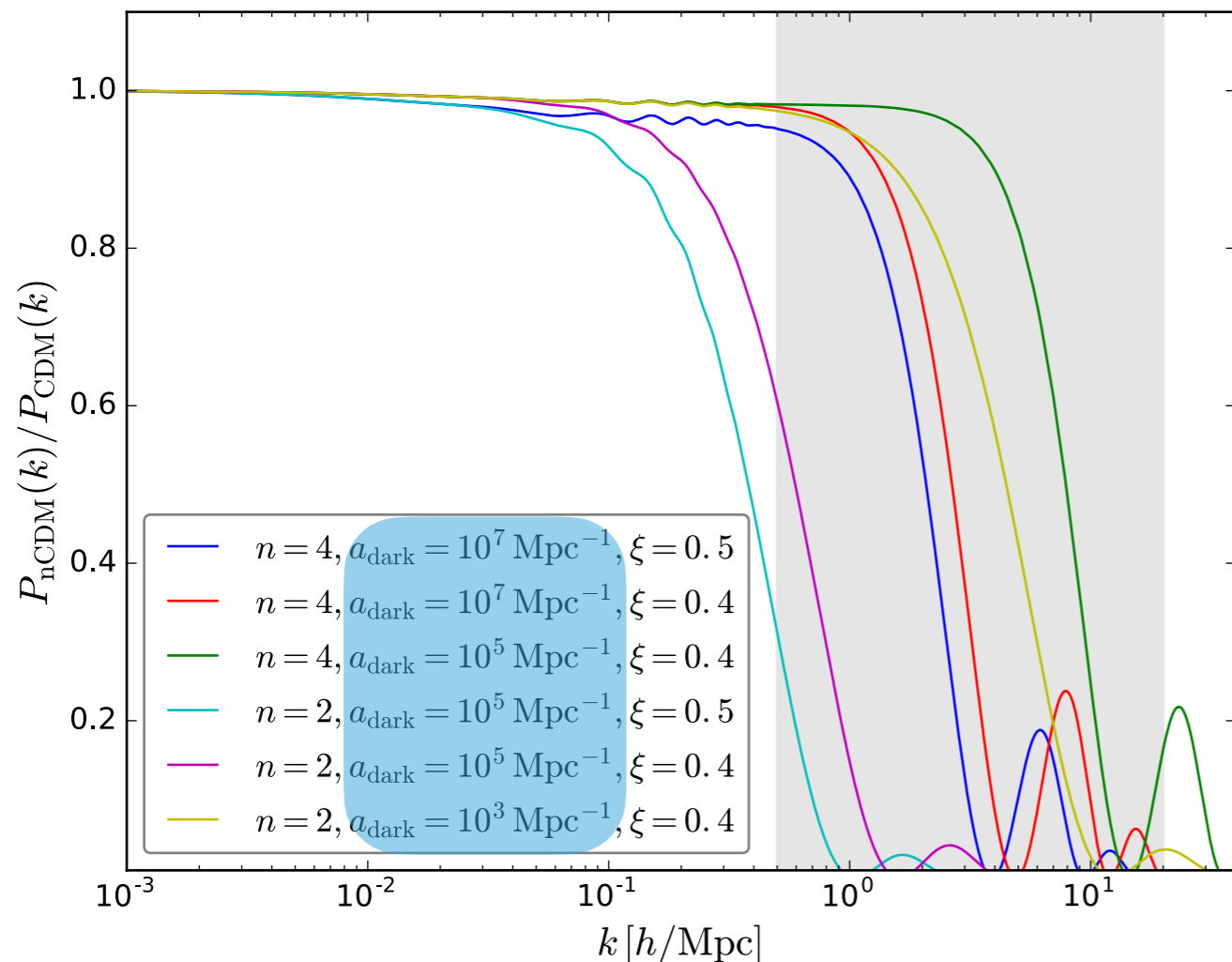


- Dark Matter - Dark Radiation interactions induce a suppression of the matter power spectrum on small scales
- For general interactions, we use ETHOS formalism ([Cyr-Racine et al. 1512.05344](#))
- We consider only the process  $\chi\tilde{\gamma} \leftrightarrow \chi\tilde{\gamma}$ , with no DM or DR self-interactions
- Relevant parameters: amplitude of scattering rate  $a_{\text{dark}}$ , amount of dark radiation  $\xi = T_{\text{dr}}/T_{\gamma}$ , temperature dependence of scattering rate  $n$ , dark matter mass  $m_{\text{DM}}$ , and fraction of interacting dark matter  $f_{\text{idm}}$

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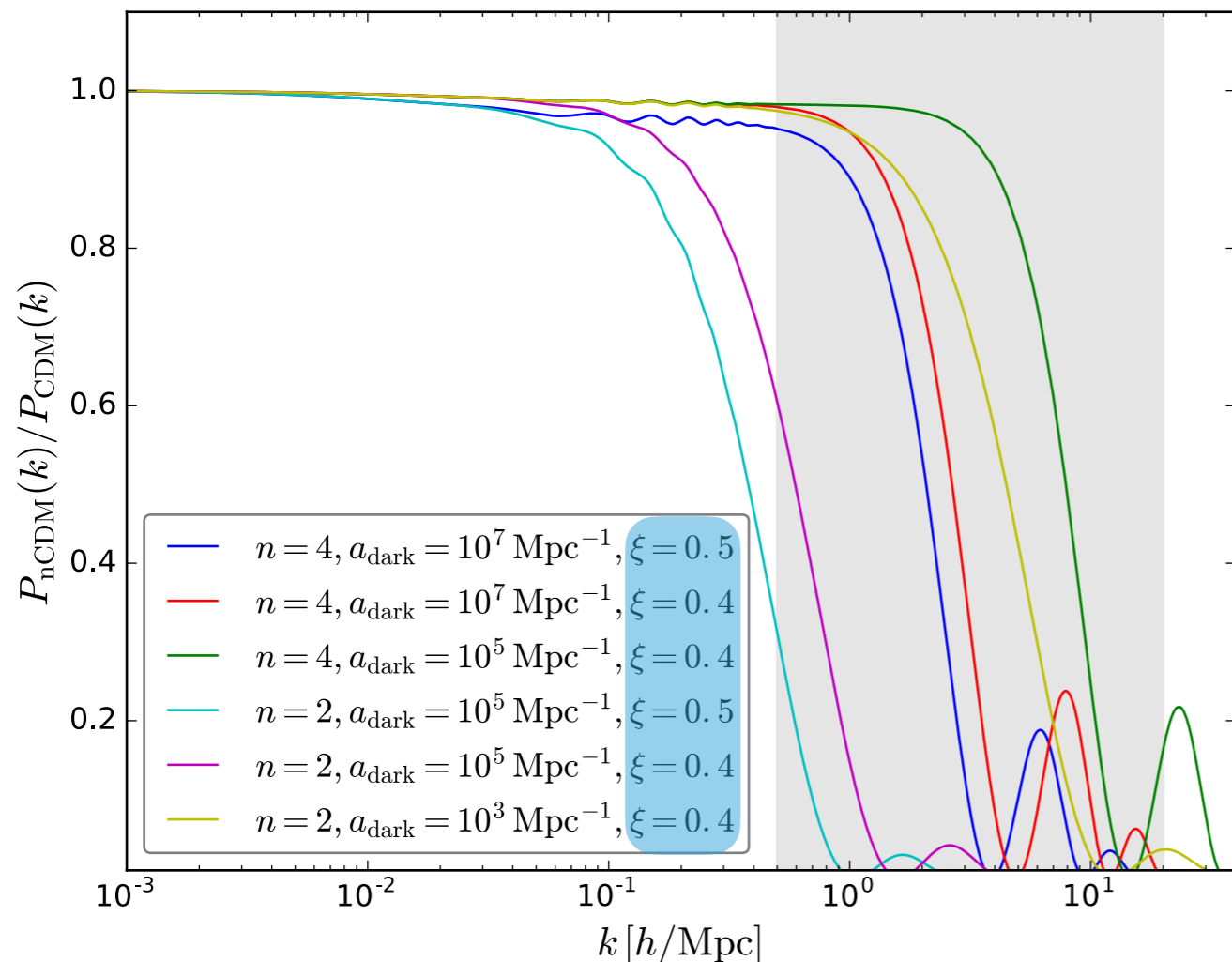
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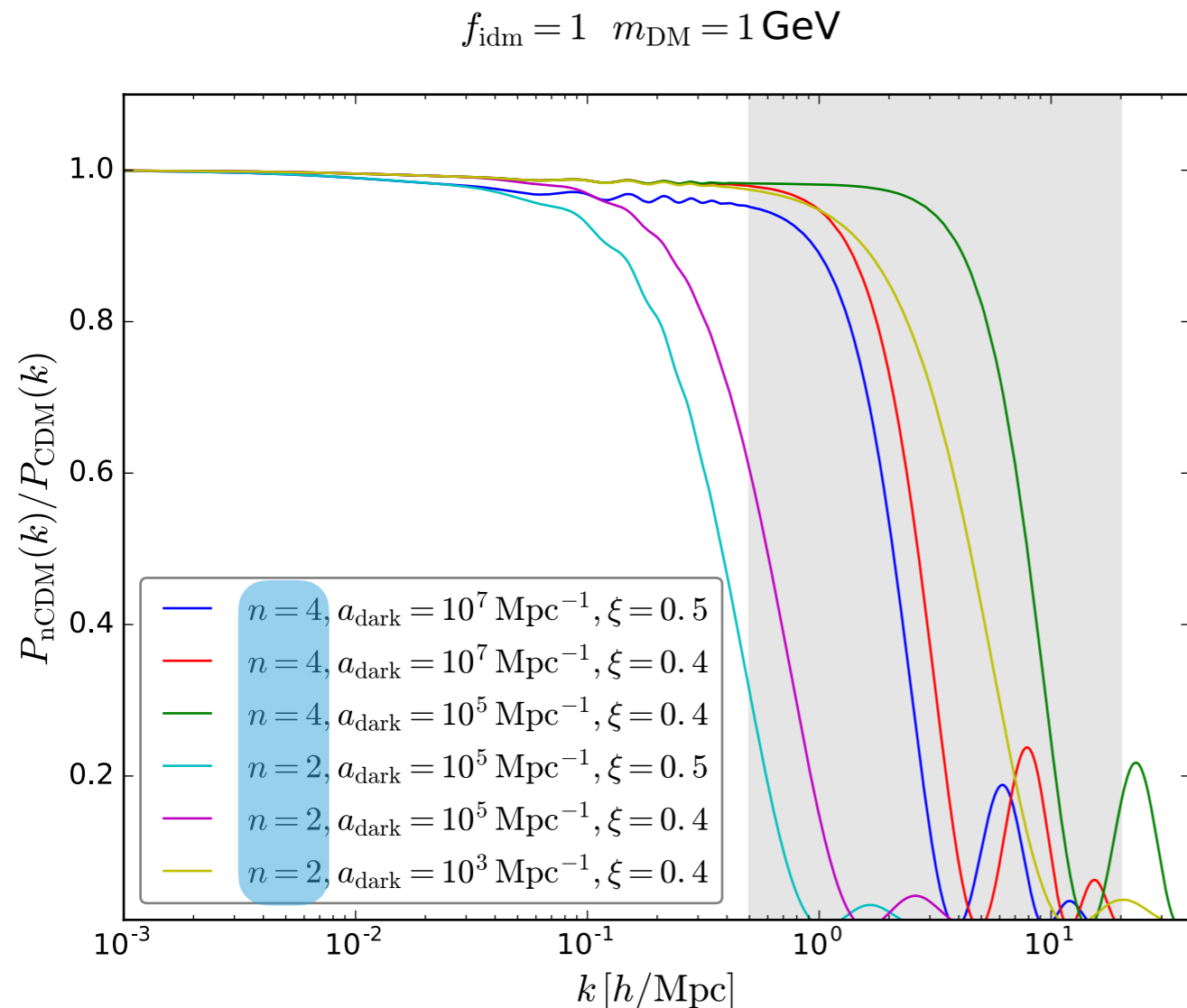
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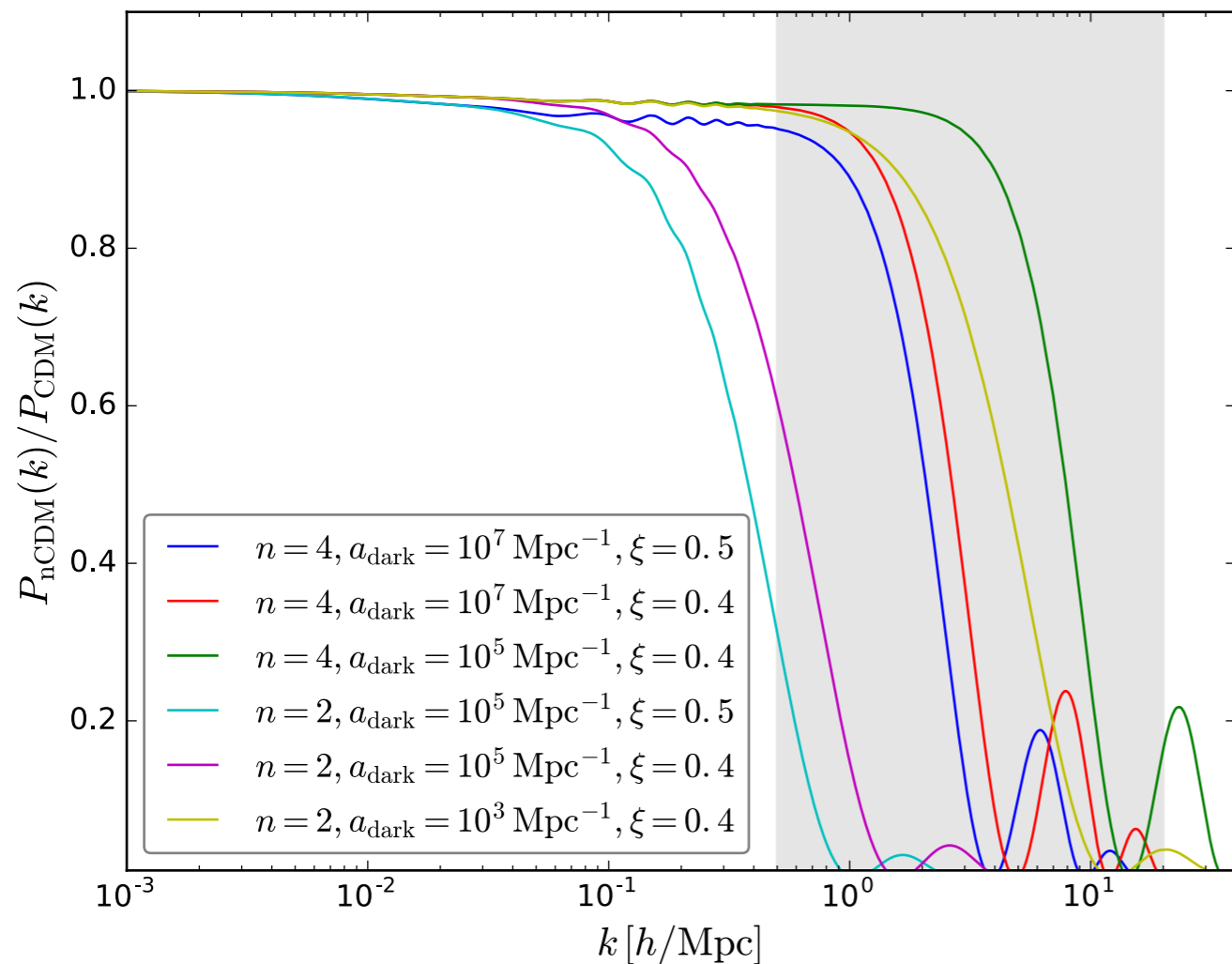


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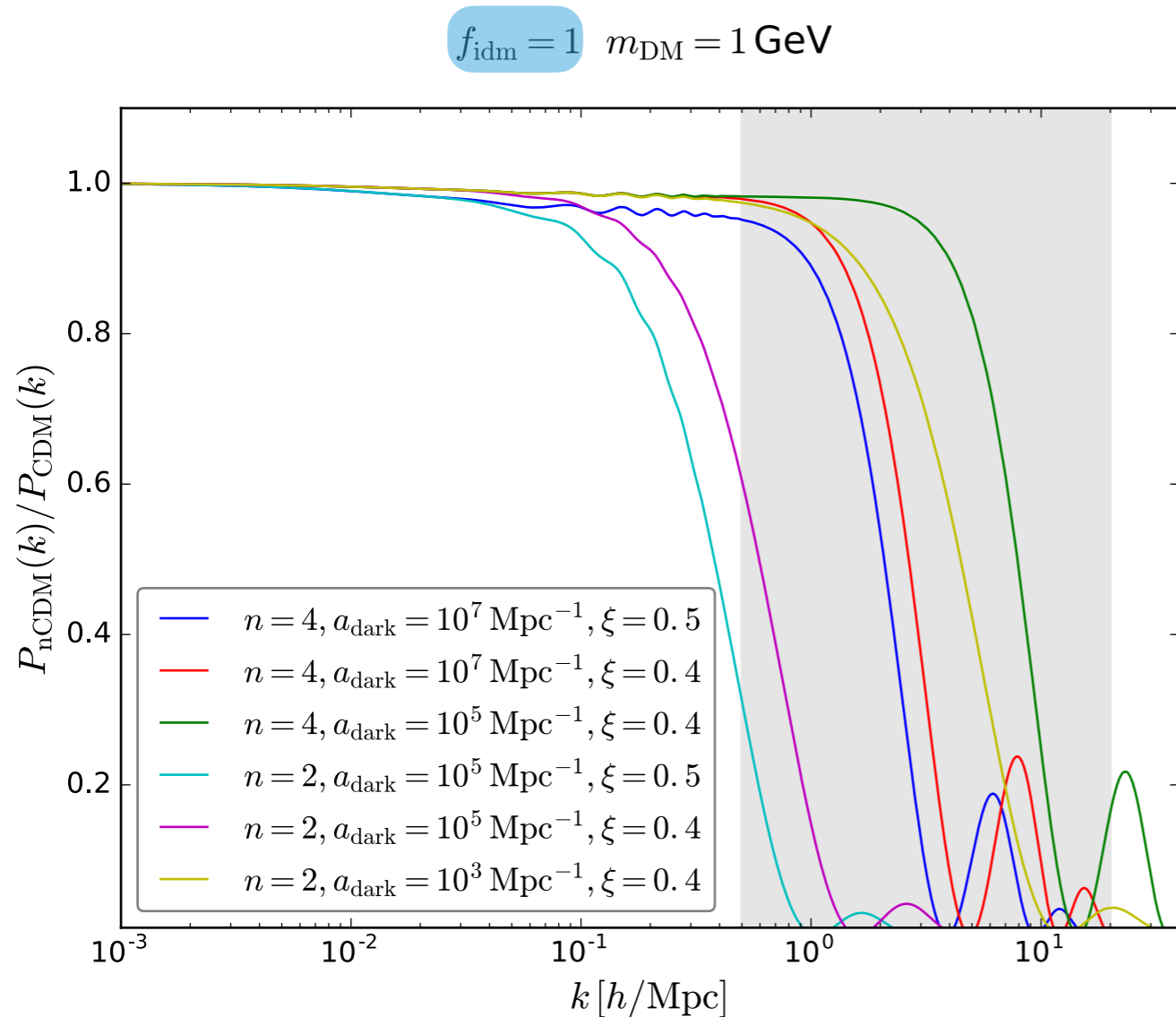
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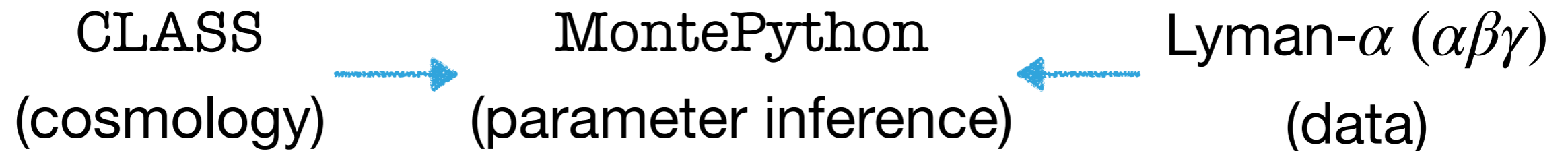
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# Solving the tensions

- Case of  $n = 4$  can explain missing satellites ([Archidiacono et al. 1706.06870](#))
- Later kinetic decoupling results in the matter power spectrum being suppressed on small scales  $\rightarrow$  number of satellites is reduced
- Case of  $n = 0$  may solve  $H_0$  and  $S_8$  tensions (*e.g.* [Buen-Abad et al. 1505.03542](#))
- DR acts like extra  $N_{\text{eff}}$   $\rightarrow$   $H_0$  increases to maintain  $z_{\text{eq}}$ , collisional damping with DR suppresses DM growth, leading to a small scale matter power suppression  $\rightarrow$  lower  $S_8$
- The combination of relativistic particles and the DM-DR coupled fluid allows us to avoid constraints that kill other solutions to these tensions (extra Silk damping, added lensing, ...) (*See* [Becker, \*\*DCH\*\*, et al. 2010.04074](#))

# Testing the set-up

- Pipeline:

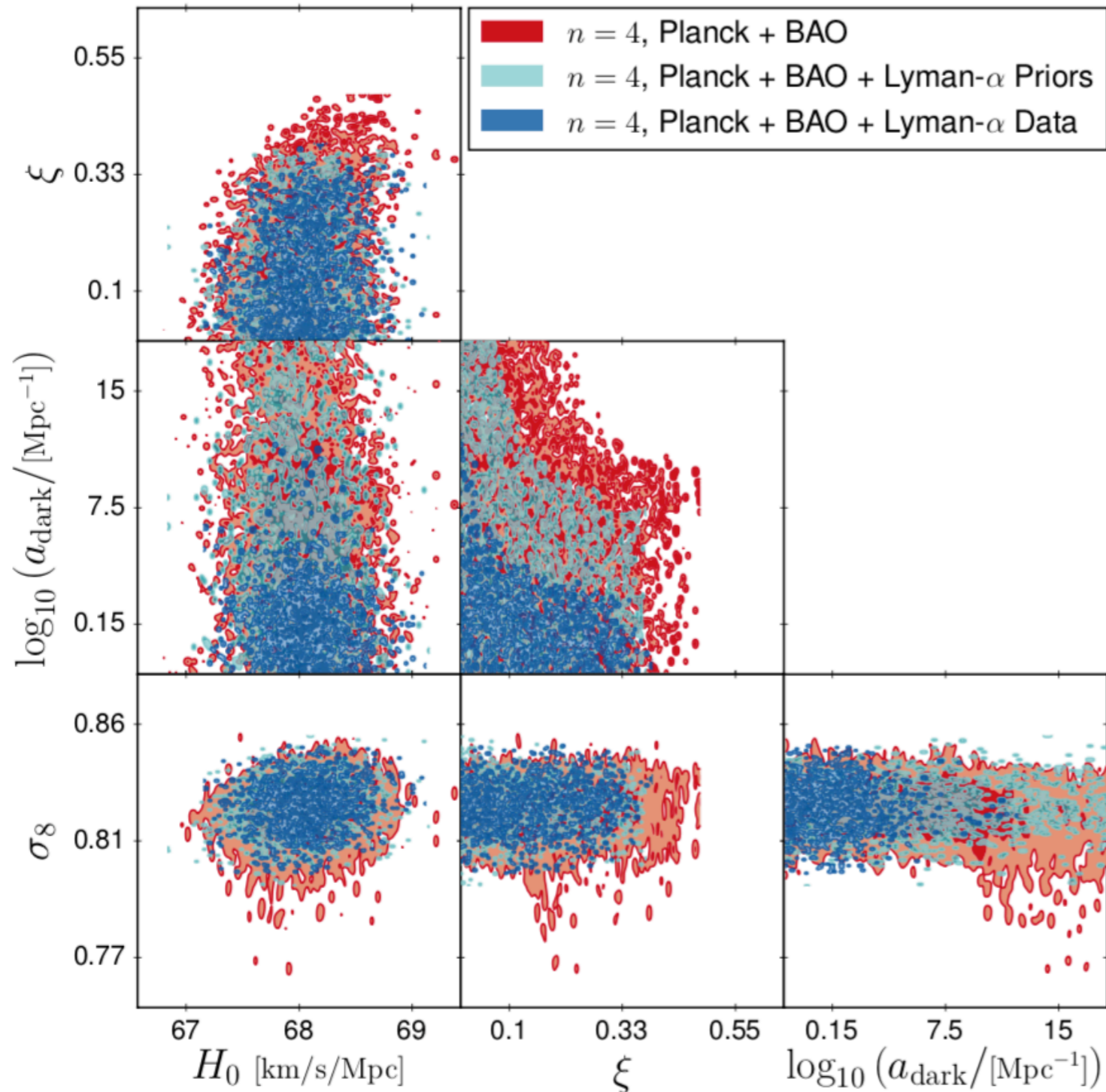


- We will run MCMCs for the cases of  $n = 4$  and  $n = 0$  using Planck, BAO, and Lyman- $\alpha$  data
- Several checks in the likelihood to see if method is applicable → “no-data” runs



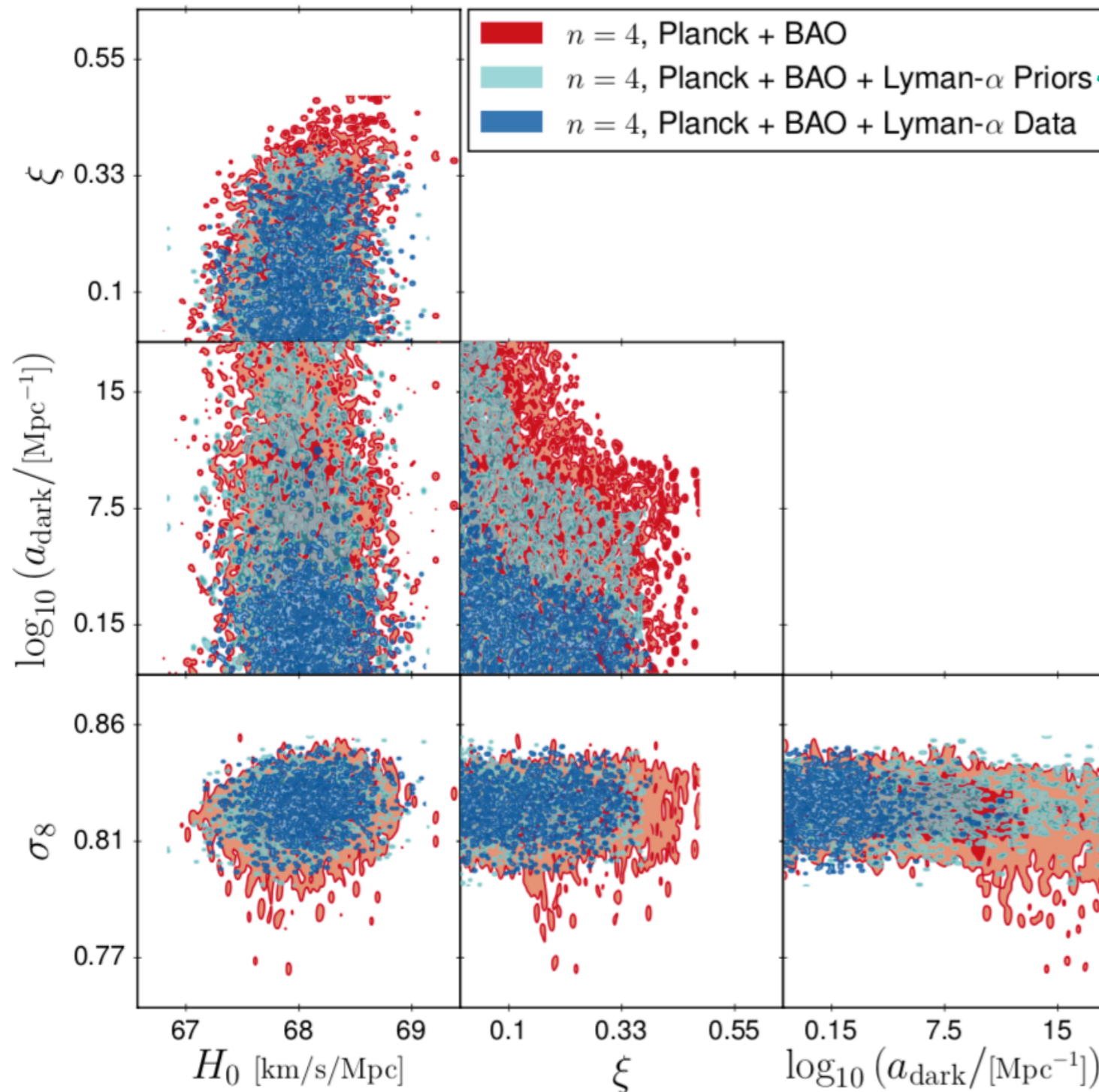
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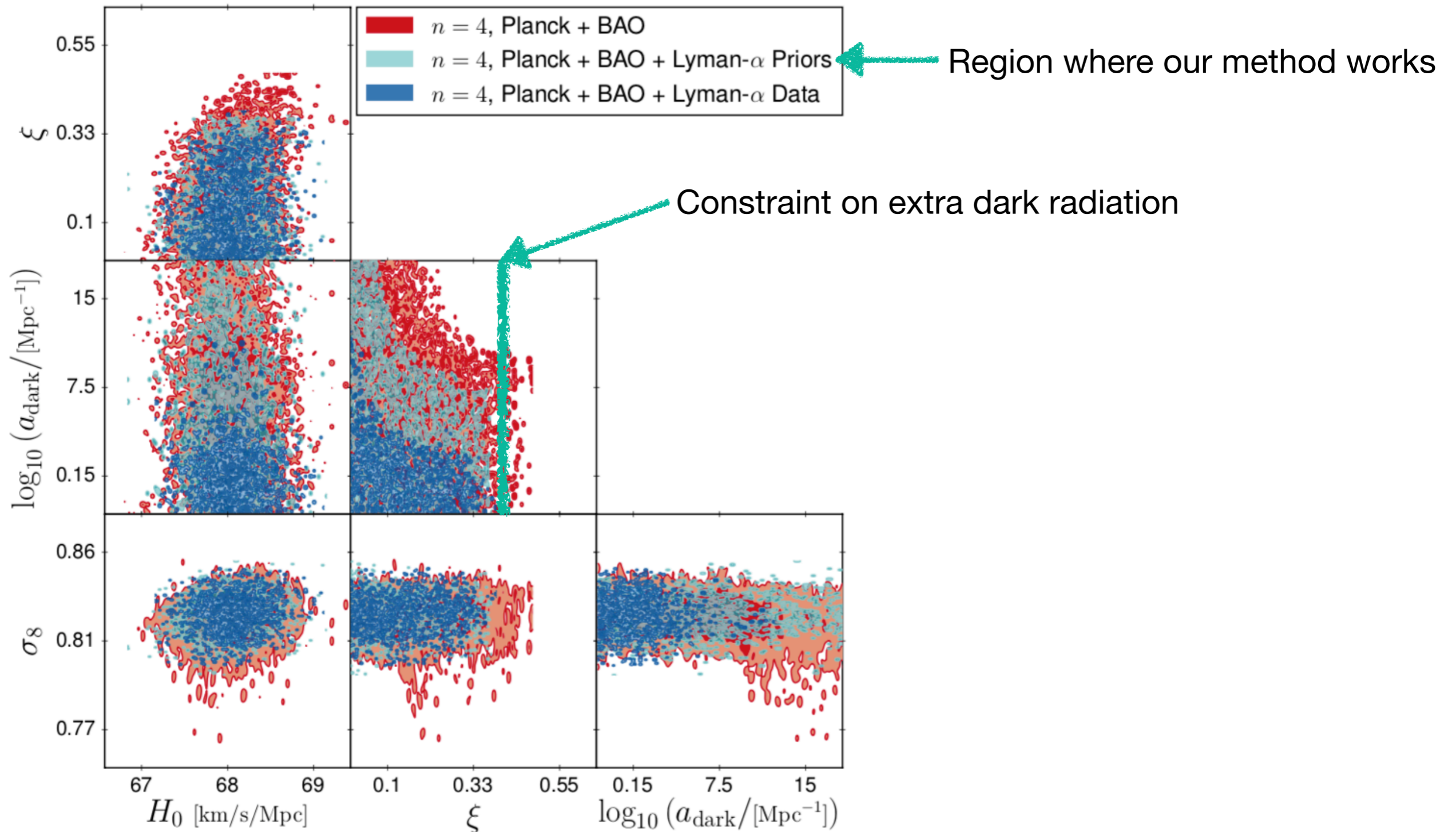


Region where our method works



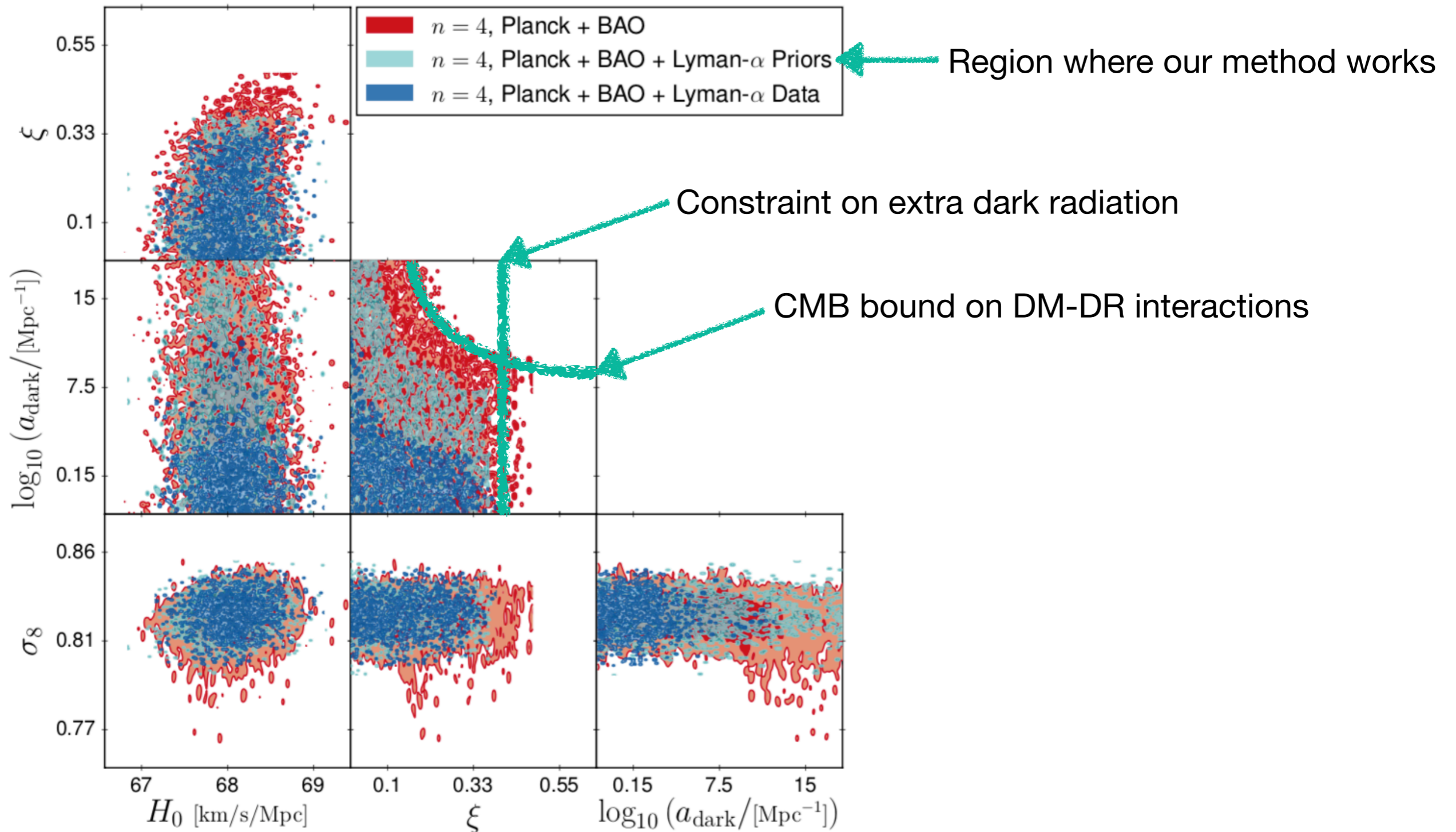
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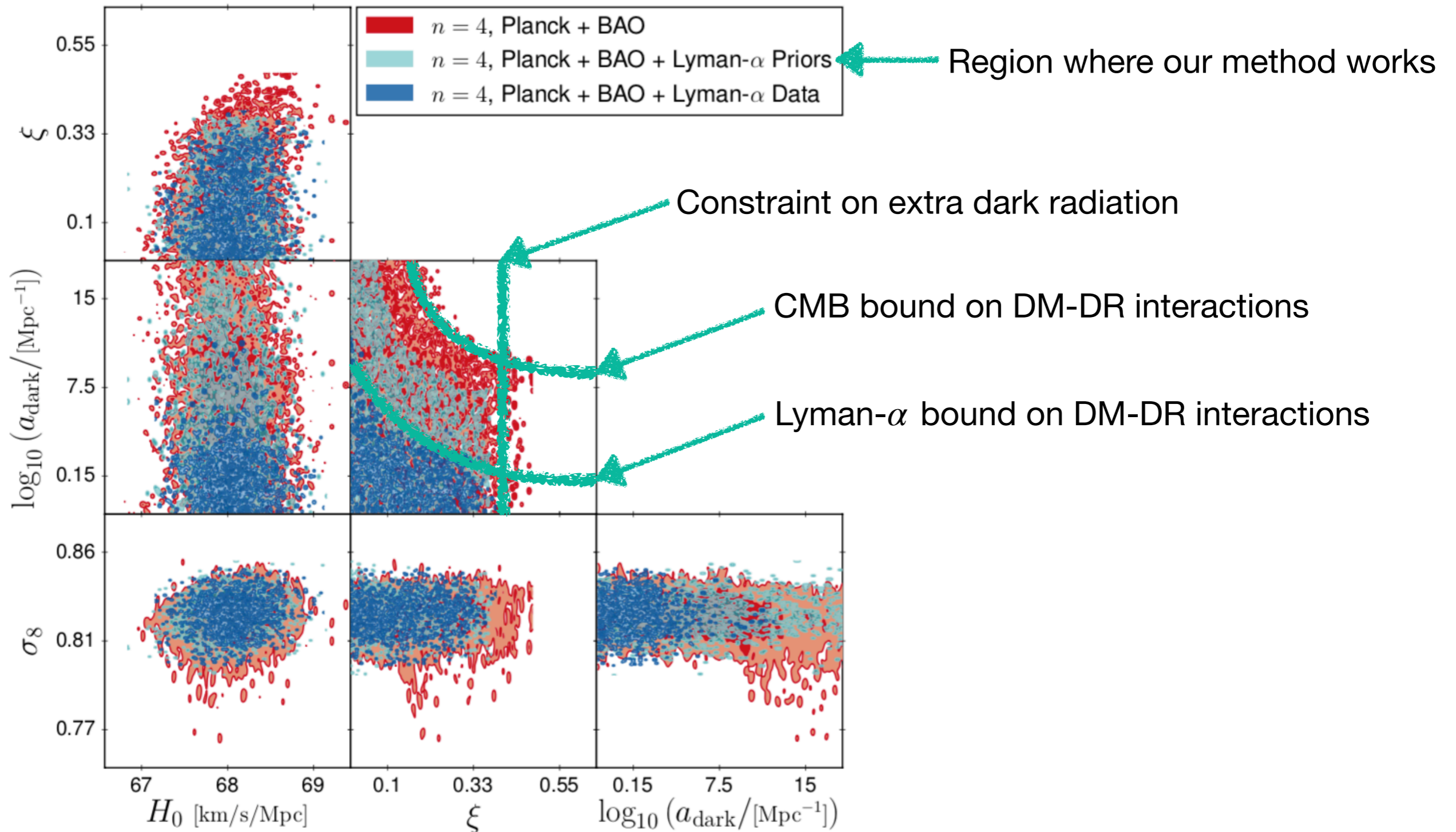
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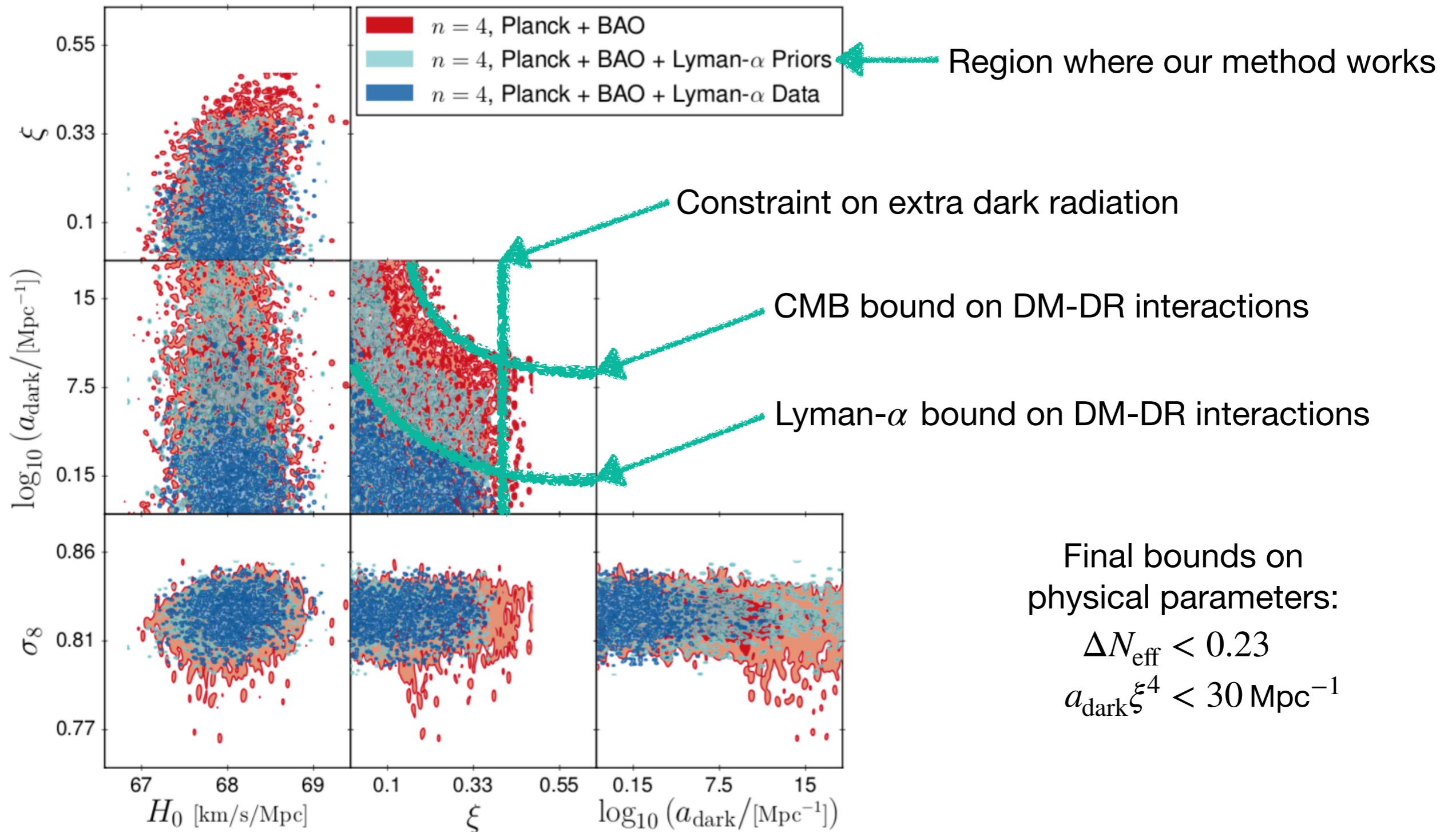
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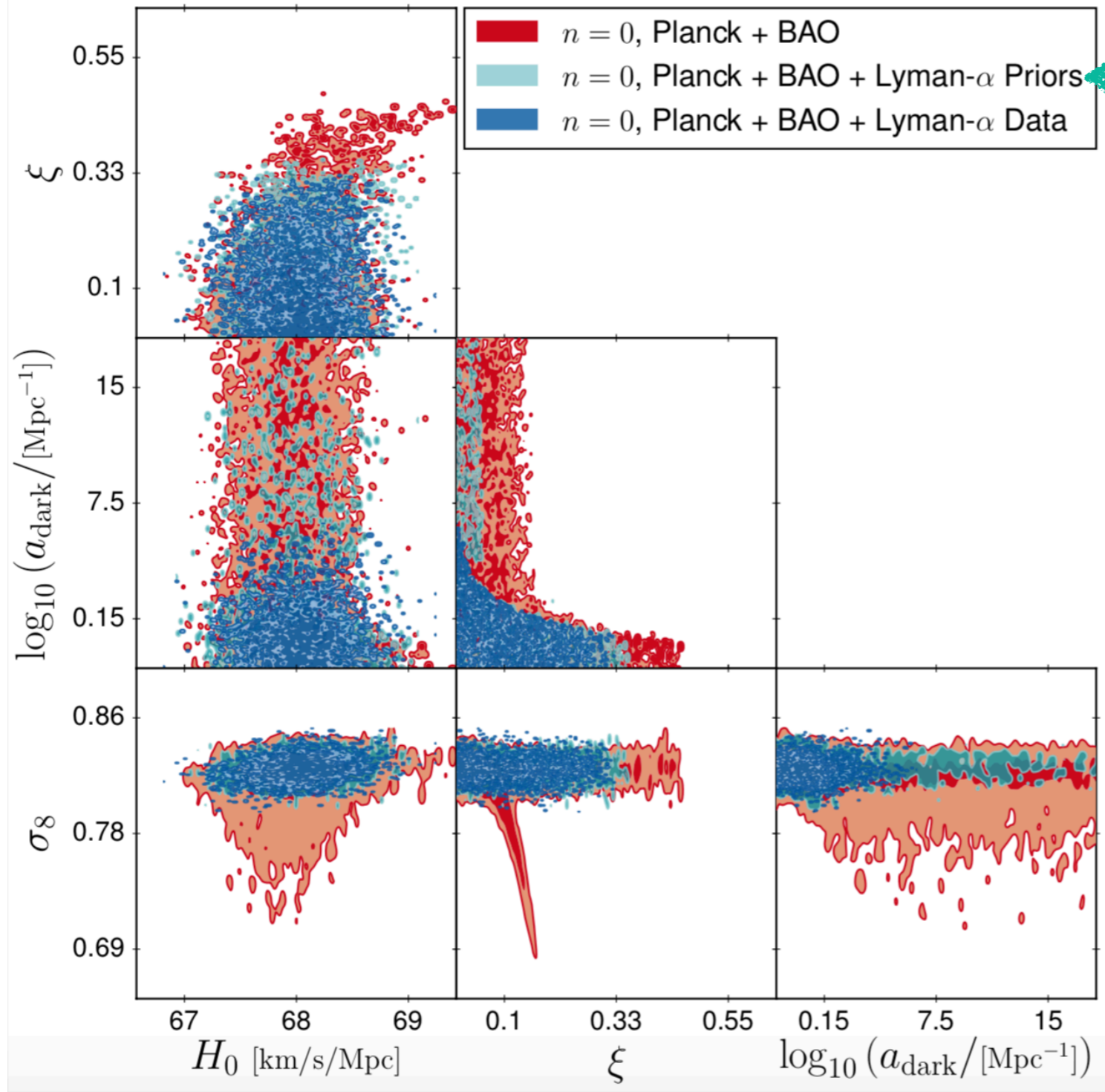
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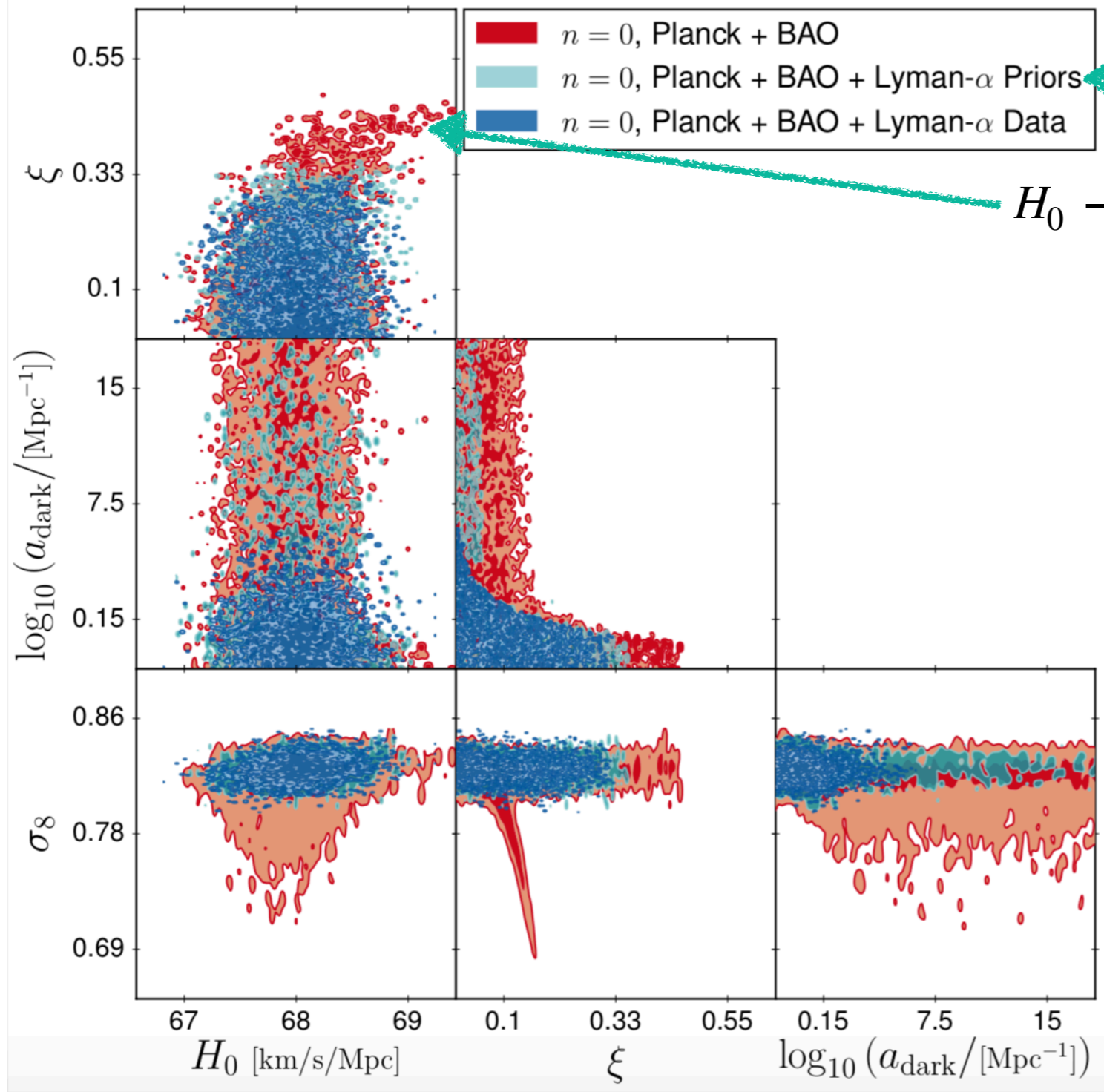
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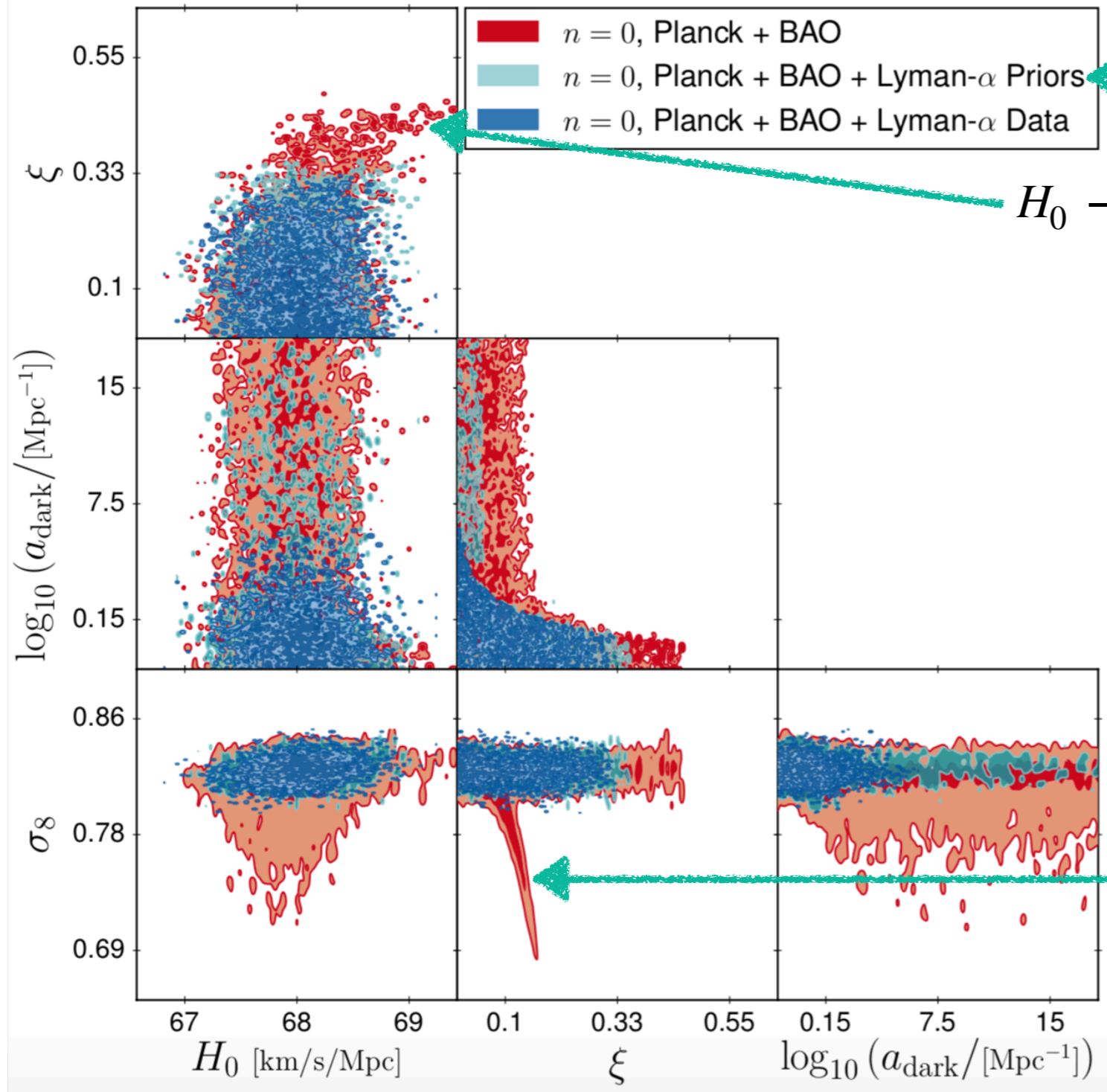
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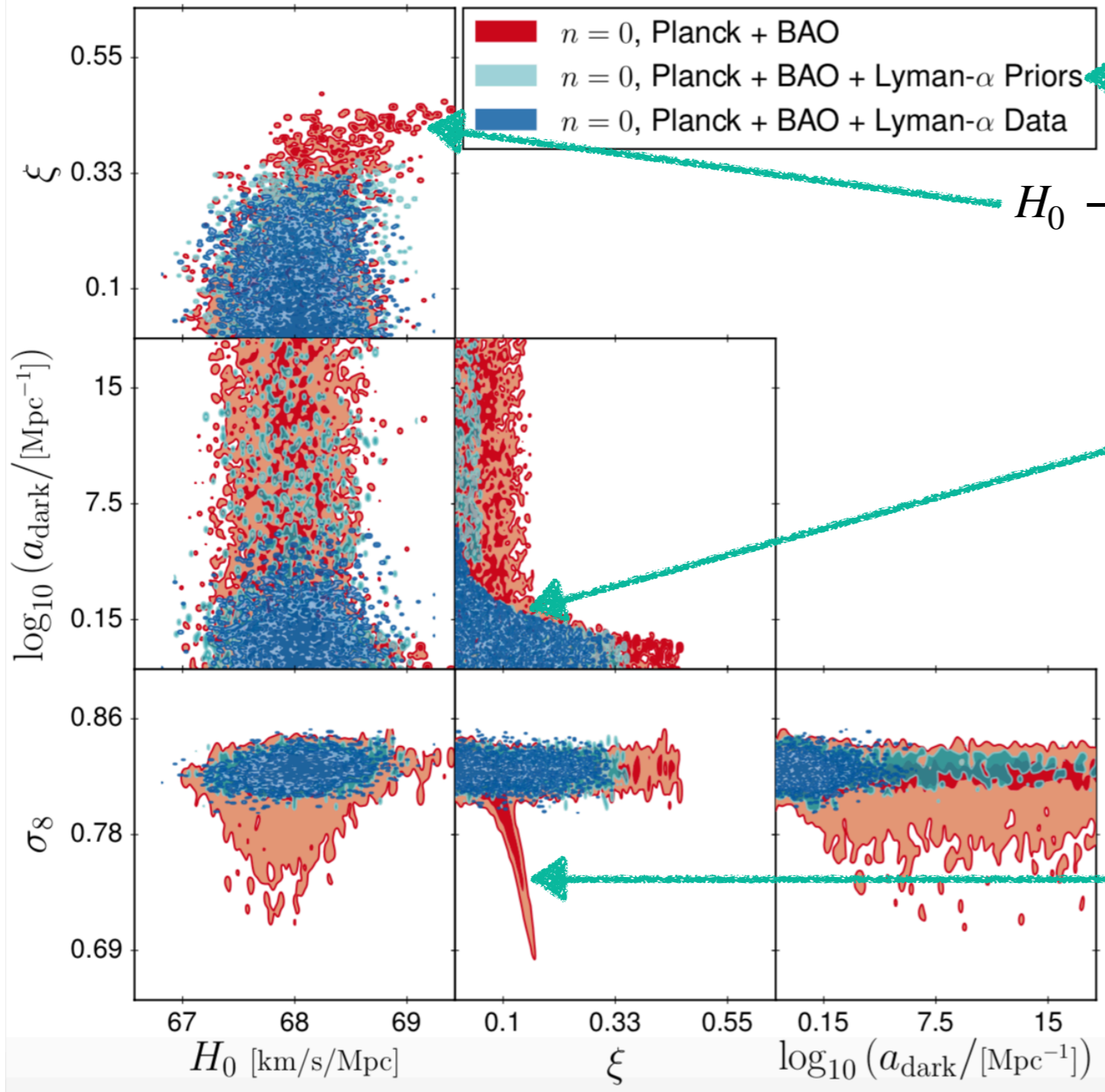
Region where our method works

$H_0 - \xi$  degeneracy: more dark radiation leads to higher  $H_0$  values

$\sigma_8 - \xi$  degeneracy: with the right amount of dark radiation, we can get lower  $\sigma_8$  values

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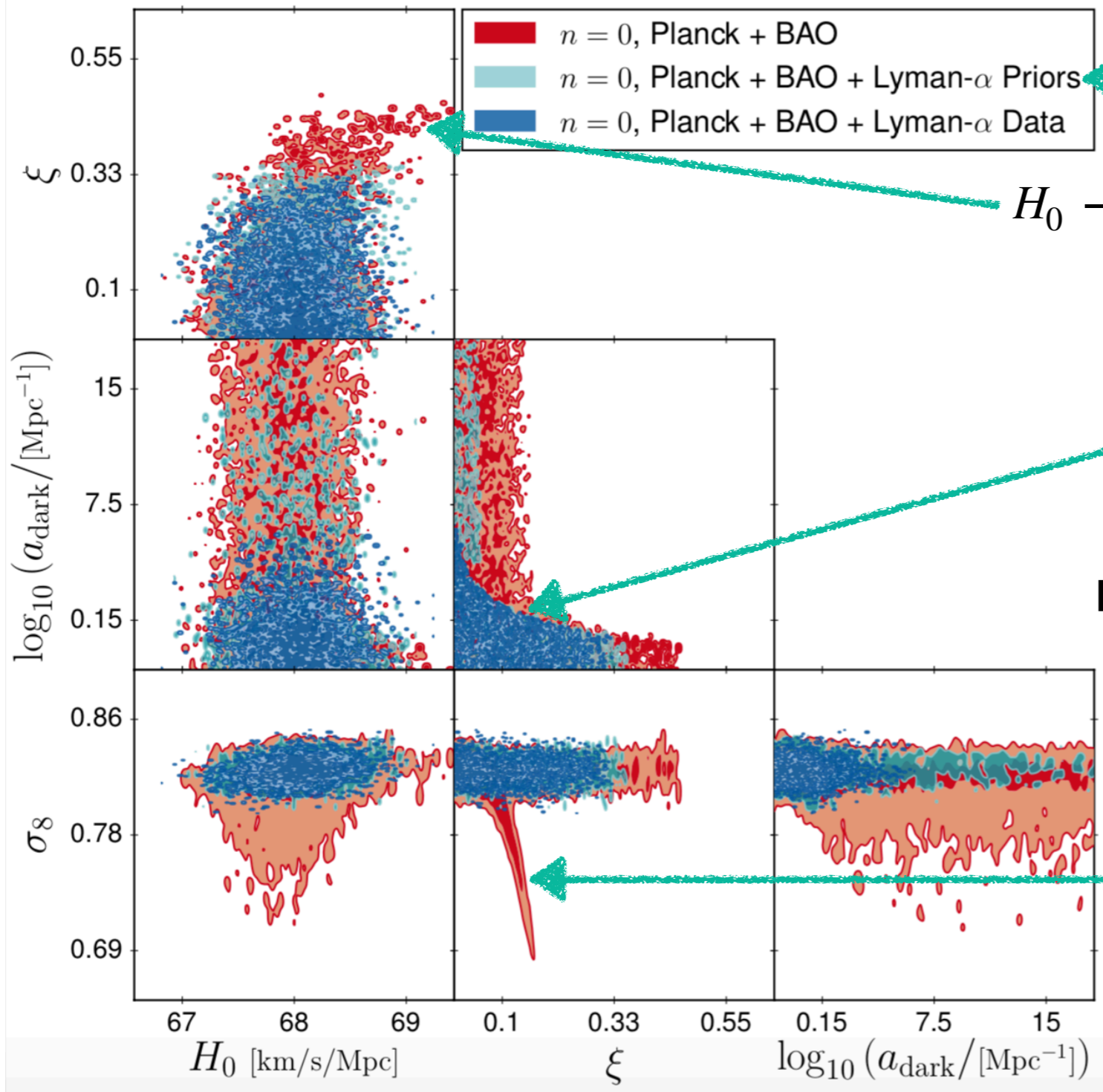
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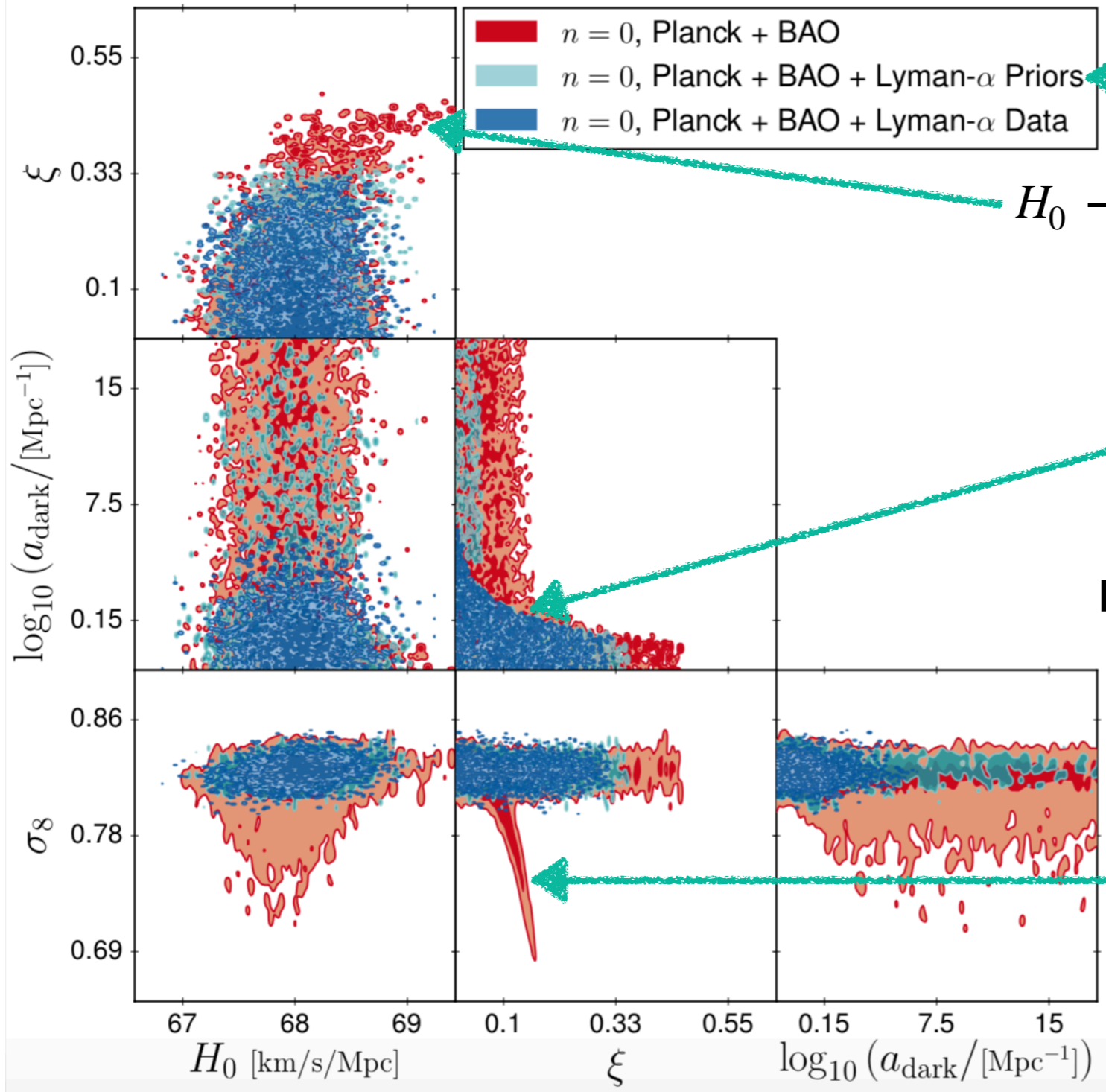
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**Solution:** expand our grid of simulations!

$\sigma_8 - \xi$  degeneracy: with the right amount of dark radiation, we can get lower  $\sigma_8$  values

# DM - neutrino interactions

# Dark matter - neutrino interactions

- Massive neutrinos interacting with DM through a constant scattering term (similar to Thomson scattering)

$$u_{\text{iDM}\nu} = \frac{\sigma_0}{\sigma_{\text{Th}}} \left( \frac{m_\chi}{100\text{GeV}} \right)^{-1}$$

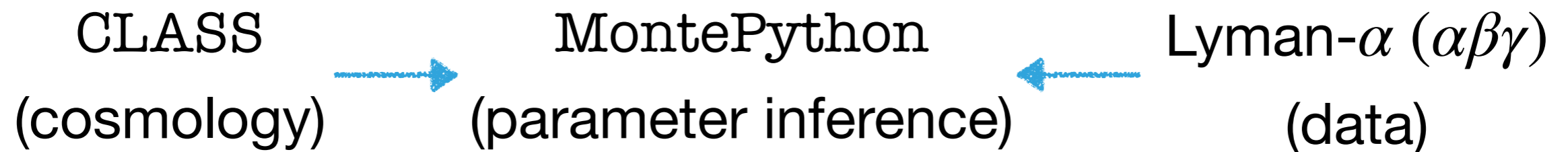
- We remain agnostic on the underlying particle physics model
- Additional drag between the two species erases structures on small scales → can suppress matter power spectrum
- Can potentially solve the  $S_8$  tension

# Set-up

- Recently Mosbech et al. (2011.04206) implemented this model in the cosmology code CLASS
- This model was only constrained using Planck + BAO data
- A full analysis using Lyman- $\alpha$  data has never been done for this model
- We will test if Lyman- $\alpha$  data constrain and potentially favour these interactions
- Check if this model is still a potential solution to the  $S_8$  tension

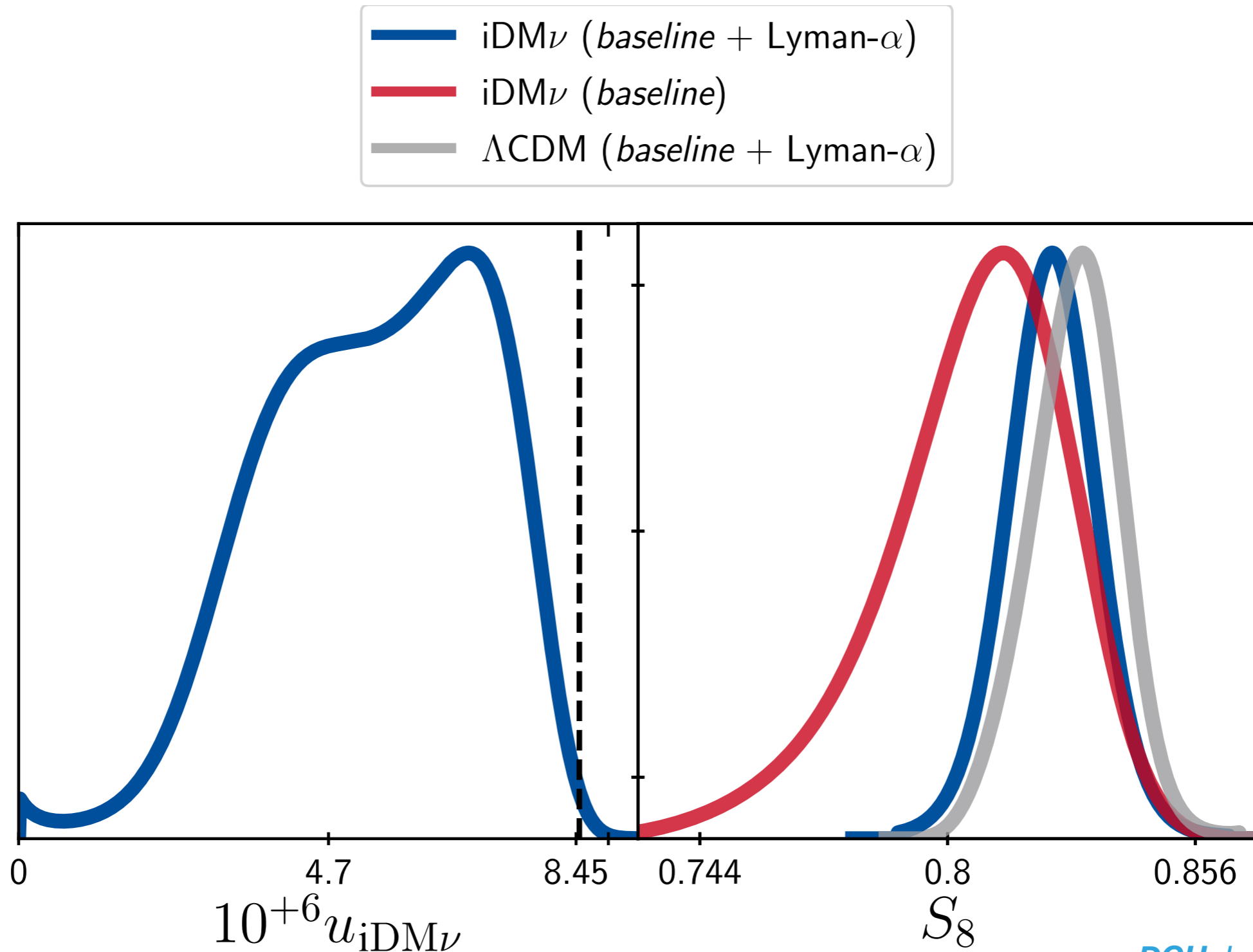
# Testing the set-up

- Pipeline:



- To test the cosmology code we reproduced the results for interacting DM-neutrinos using Planck and BAO data
- To test the likelihood we ran the case of massive non-interacting neutrinos, obtain consistent upper bound on sum of neutrino masses

# Hints of interactions

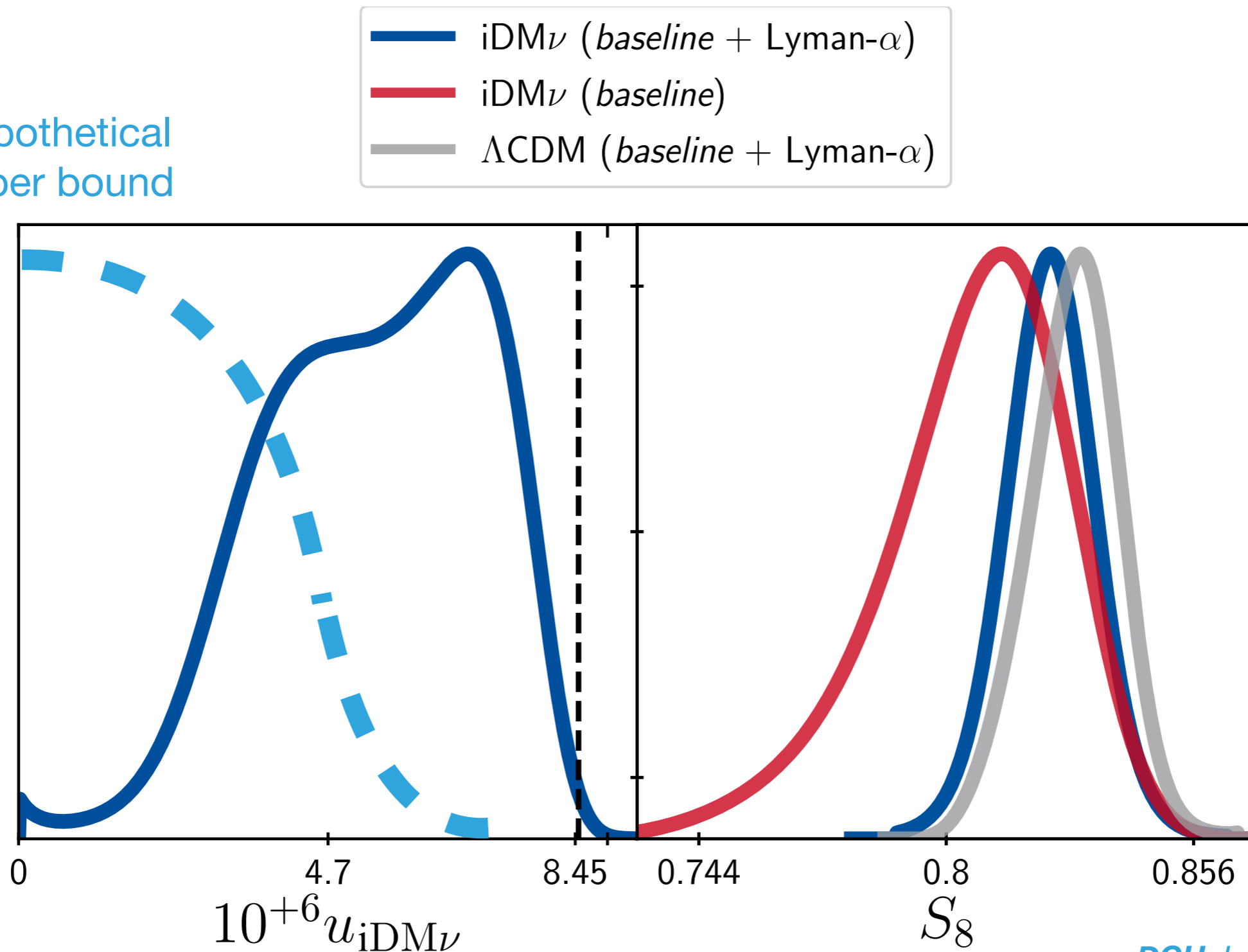


DCH, Lucca 2110.04024



# Hints of interactions

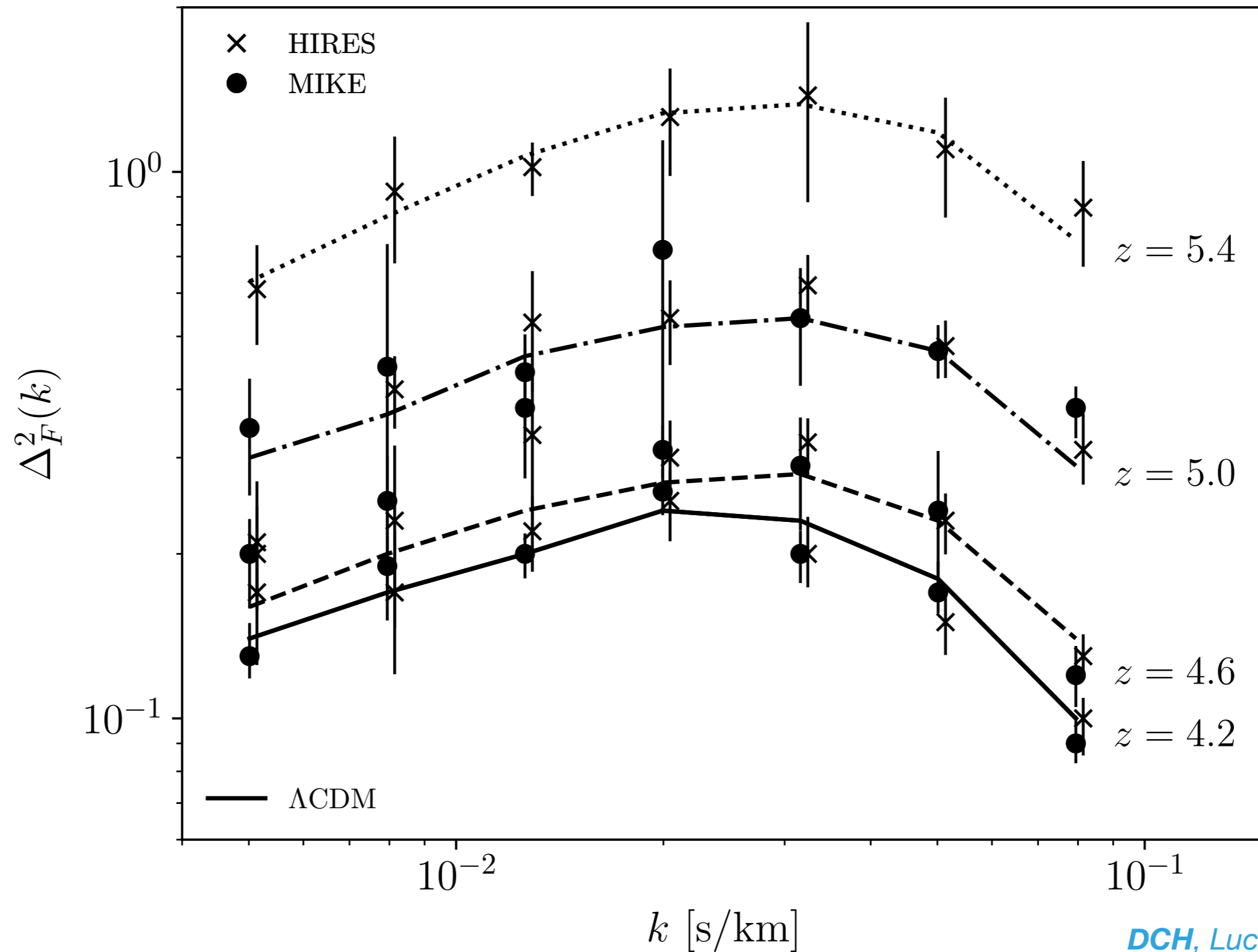
Hypothetical upper bound



DCH, Lucca 2110.04024

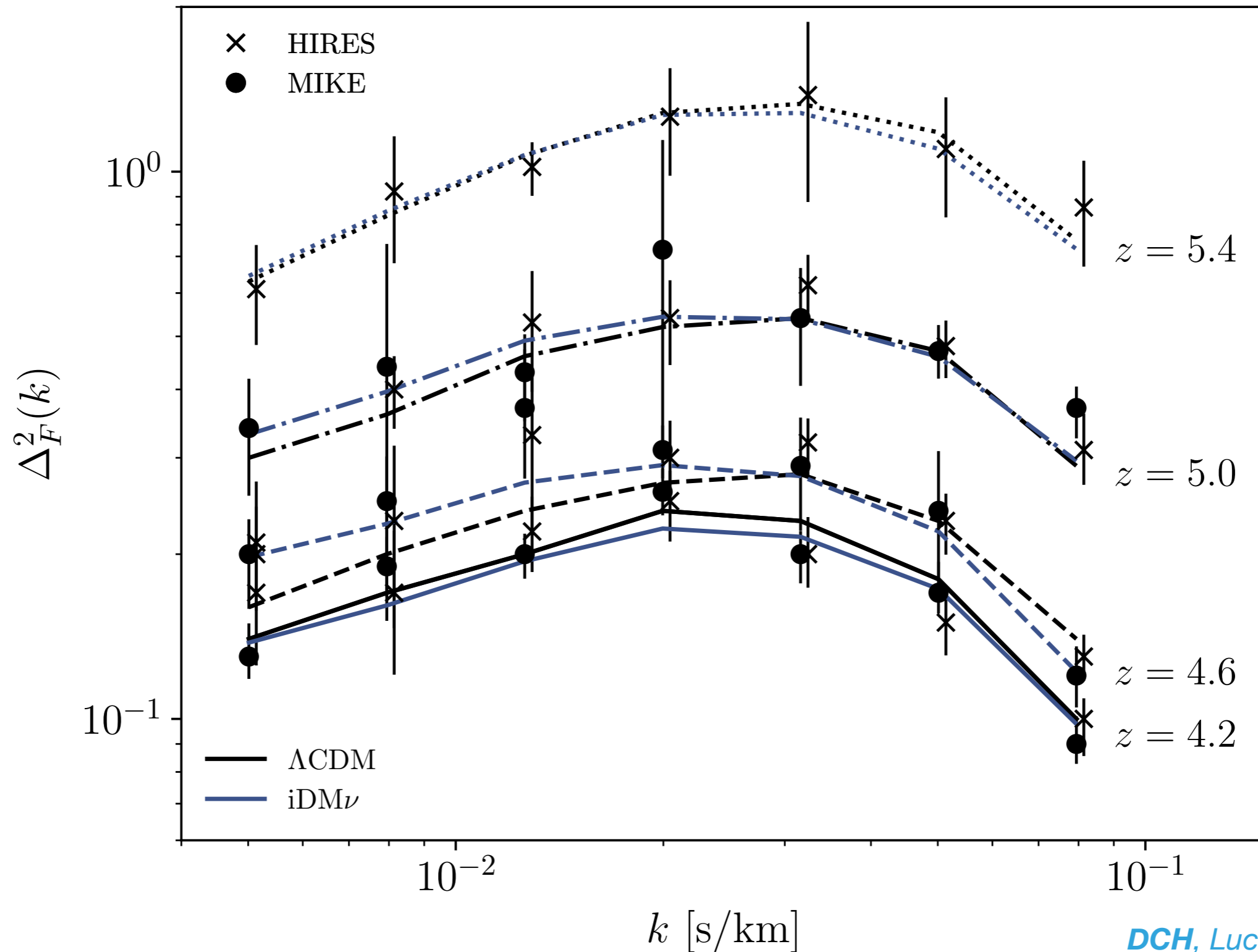


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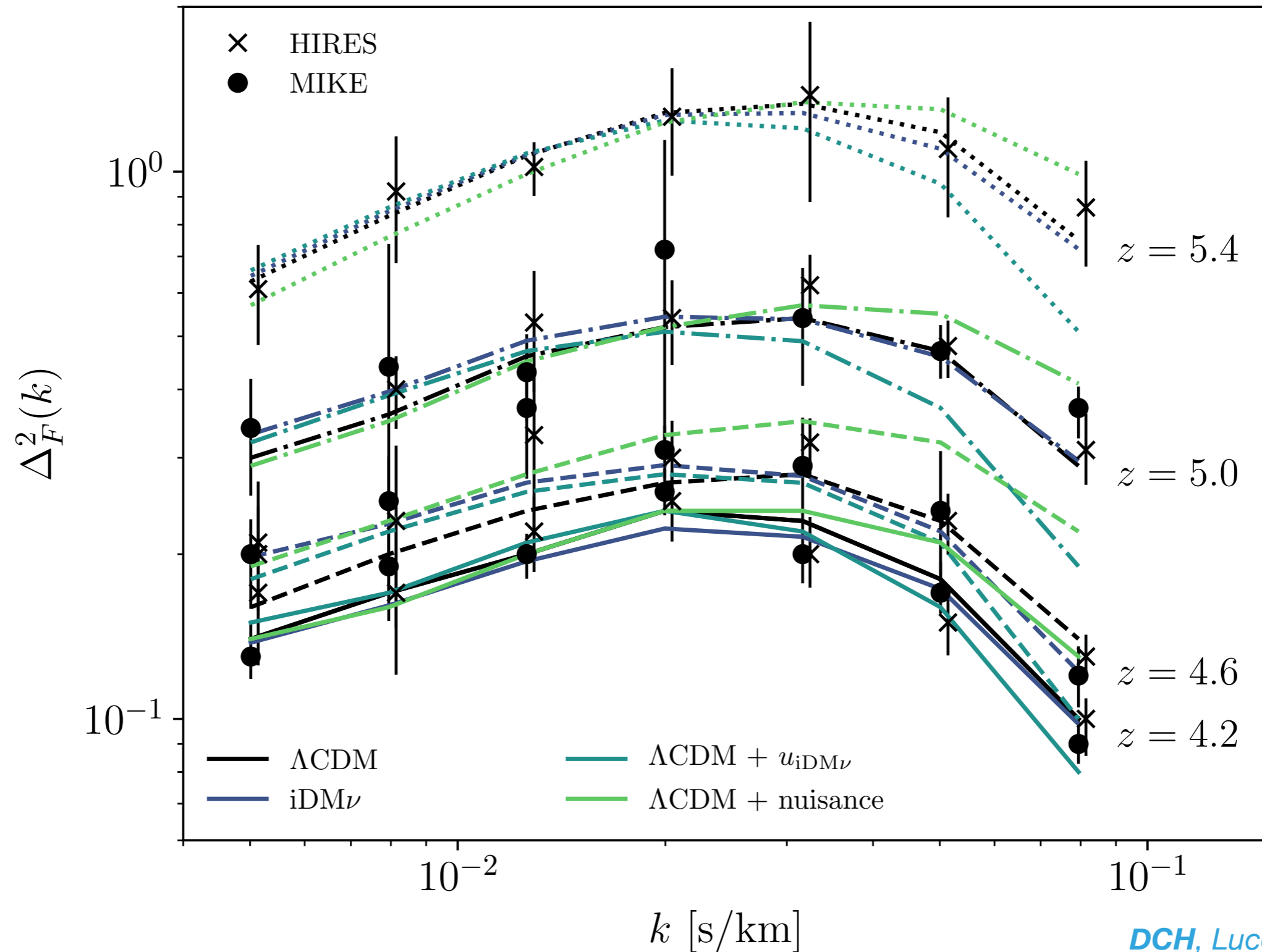
DCH, Lucca 2110.04024

# Hints of interactions



DCH, Lucca 2110.04024

# Hints of interactions



DCH, Lucca 2110.04024

# Beware: potential issues

- The slope of the Lyman- $\alpha$  flux ( $n_{\text{eff}}$ ) appears in the grid parameters
- Grid constructed for  $n_{\text{eff}}$  in the range  $[-2.3474, -2.2674]$  and only extrapolated to the range  $[-2.6, -2.0]$
- Our best-fit gives  $n_{\text{eff}} = -2.507^{+0.038}_{-0.087} \rightarrow$  border case
- Need dedicated simulations to test if  $(\alpha\beta\gamma)$  method works for these  $n_{\text{eff}}$  values

# Beware: potential issues

- The IGM temperature appears as an astrophysical/nuisance parameter
- In our best-fit we have a lower temperature than expected
- But the expected values were derived from Lyman- $\alpha$  data assuming  $\Lambda$ CDM and might not be applicable in the interacting model
- Detailed hydro sims varying the IGM temperature will clarify this

# What next?

- Expand grid of simulations to models with plateaus (e.g. DM - baryons, mixed models)
- Check if boundaries of grid are well-described
- Include broader range of temperature variations
- Refine interpolator to include XQ-100 data as well



# Summary

- Cracks in the standard CDM paradigm call for new models
- NCDM models have a significant impact on small scales observables, making Lyman- $\alpha$  data crucial to constrain them
- We obtained state-of-the-art constraints on DM-DR interactions
- We showed that Lyman- $\alpha$  data prefer non-zero interactions between DM and massive neutrinos at  $3\sigma$
- Grid needs expanding for more models, further checks needed on astrophysical parameters
- The preference for a non- $\Lambda$ CDM flux is independent of the numerical details and of the specific model

**Thank you for your attention**