EDGES of the dark forest A new absorption window into the composite dark matter and large scale structure (arXiv: 2301.03624)



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EDGES of the dark forest

and less-studied territory

Absorption signatures of dark matter is a promising

A huge parameter space is waiting to be explored!

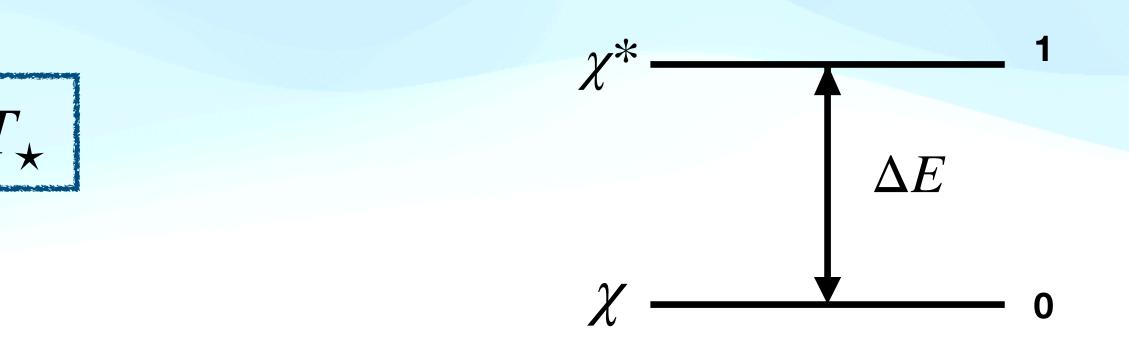
Dark matter as a 2-level system

Energy splitting

$$\Delta E = h\nu_0 = k_B Z$$

• Excitation temperature (T_{ex}) characterises the DM population in two states

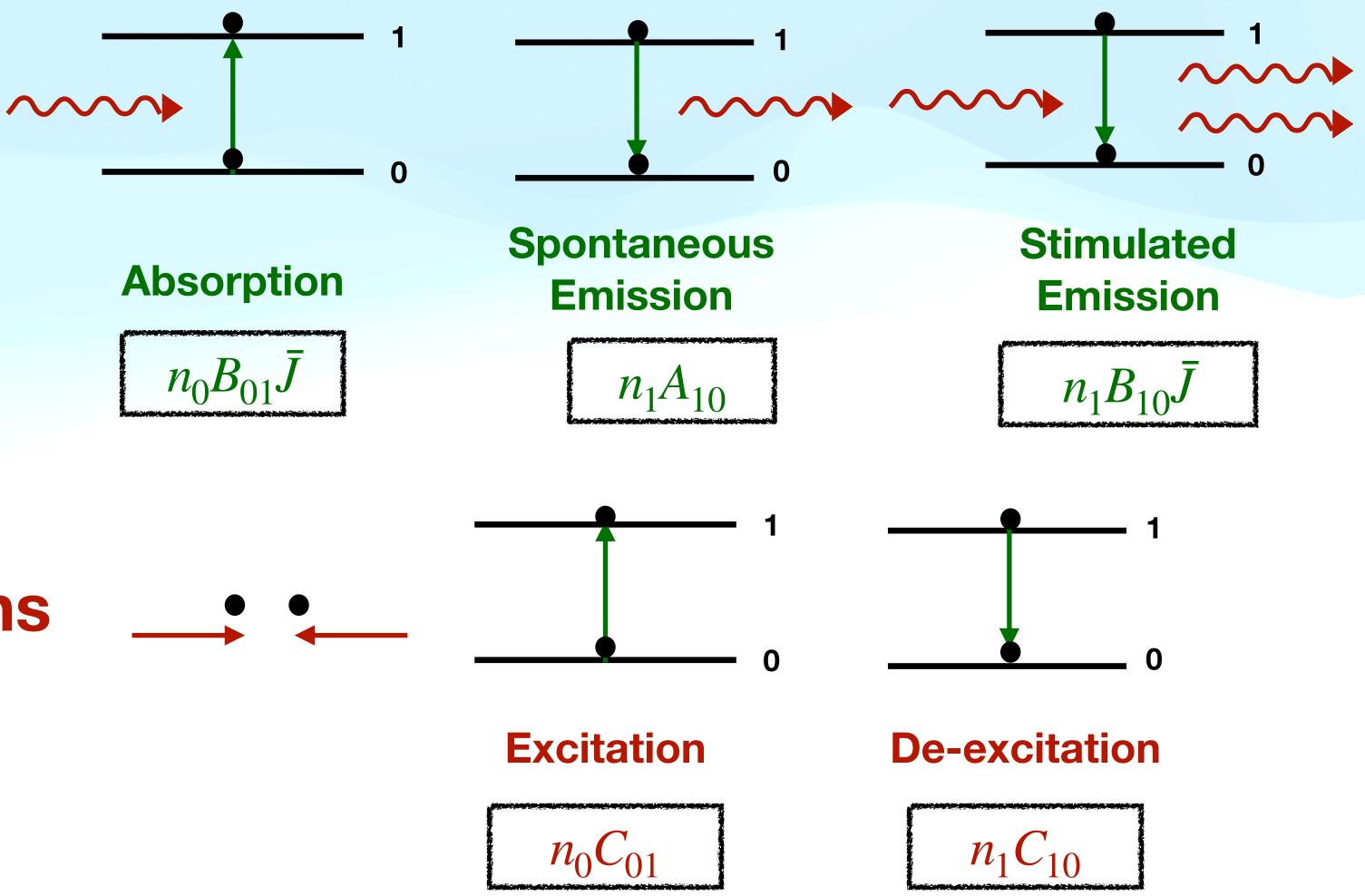
$$\frac{n_0}{n_1} \equiv \frac{g_0}{g_1} \exp\left(\frac{T_\star}{T_{ex}}\right)$$





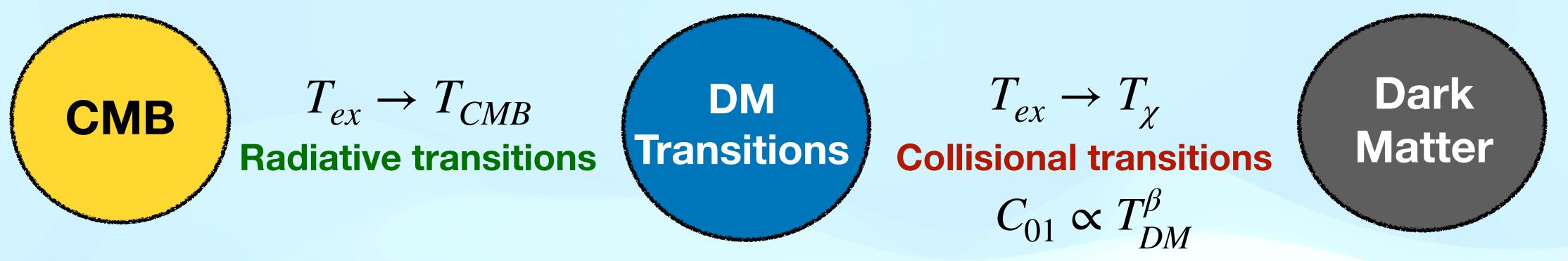
Transitions in 2-state dark matter

1. Electromagnetic Transitions



2. Collisional transitions

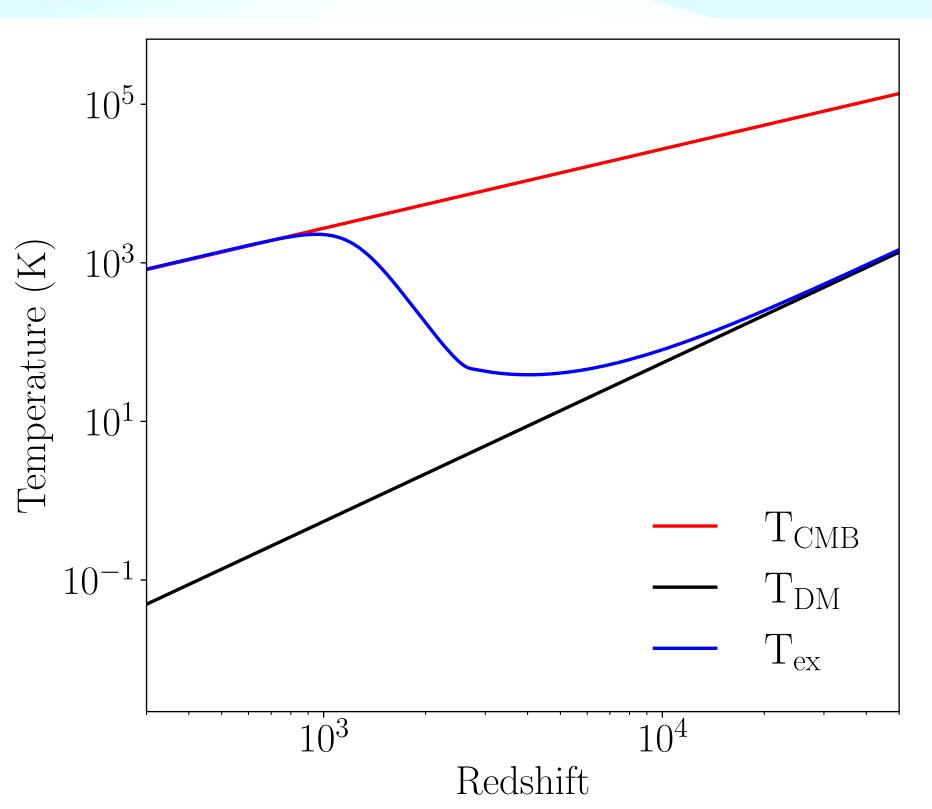
Global absorption feature due to DM in the CMB spectrum



- At high redshifts, collisions dominate and absorption begins
- As DM number density falls, radiative transitions take over and the absorption signal vanishes



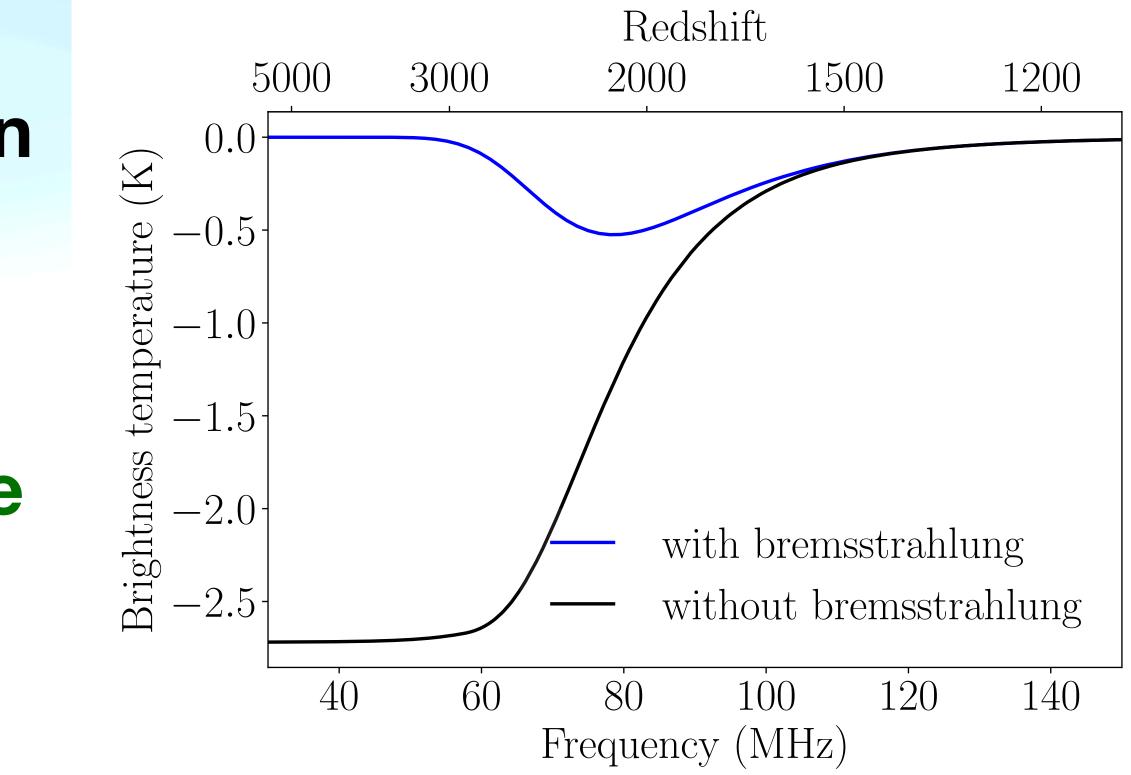






Bremsstrahlung decides the high redshift shape of the absorption feature

- Prior to recombination, bremsstrahlung is important in establishing a black body spectrum at low frequencies
- It brings the CMB temperature in equilibrium with the baryonic temperature

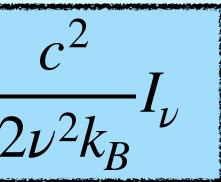


Global absorption feature gets contribution from dark matter + bremsstrahlung

Specific intensity into brightness temperature

$$\frac{dT_b(\nu)}{dz} - \frac{T_b(\nu)}{1+z} = \frac{d\tau_{\chi}}{dz} \left(-T_b(\nu) + \frac{h\nu}{k_B} \frac{1}{(e^{h\nu/k_B T_{ex}(z)} - 1)} \right) + \frac{d\tau_{br}(x)}{dz} \left(-T_b(\nu) + T_g \right)$$
Redshifting DM transitions Bremsstrahlung

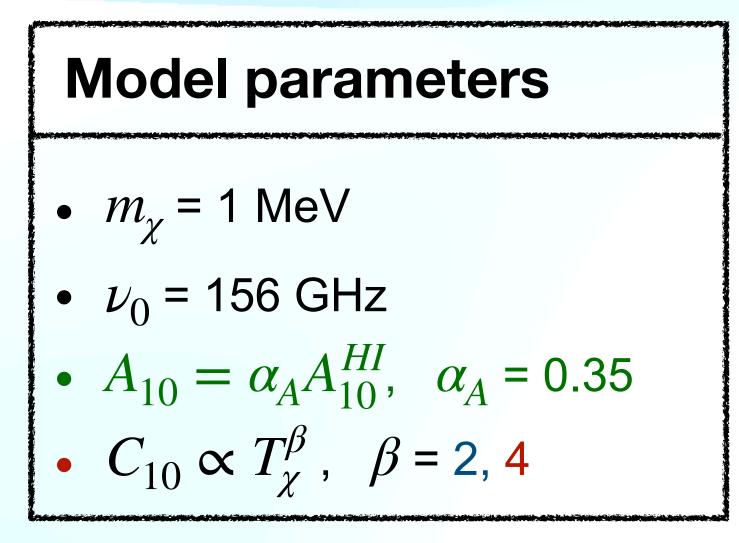
No approximation made between T_{\star}, T_{ex} and T_{CMB}

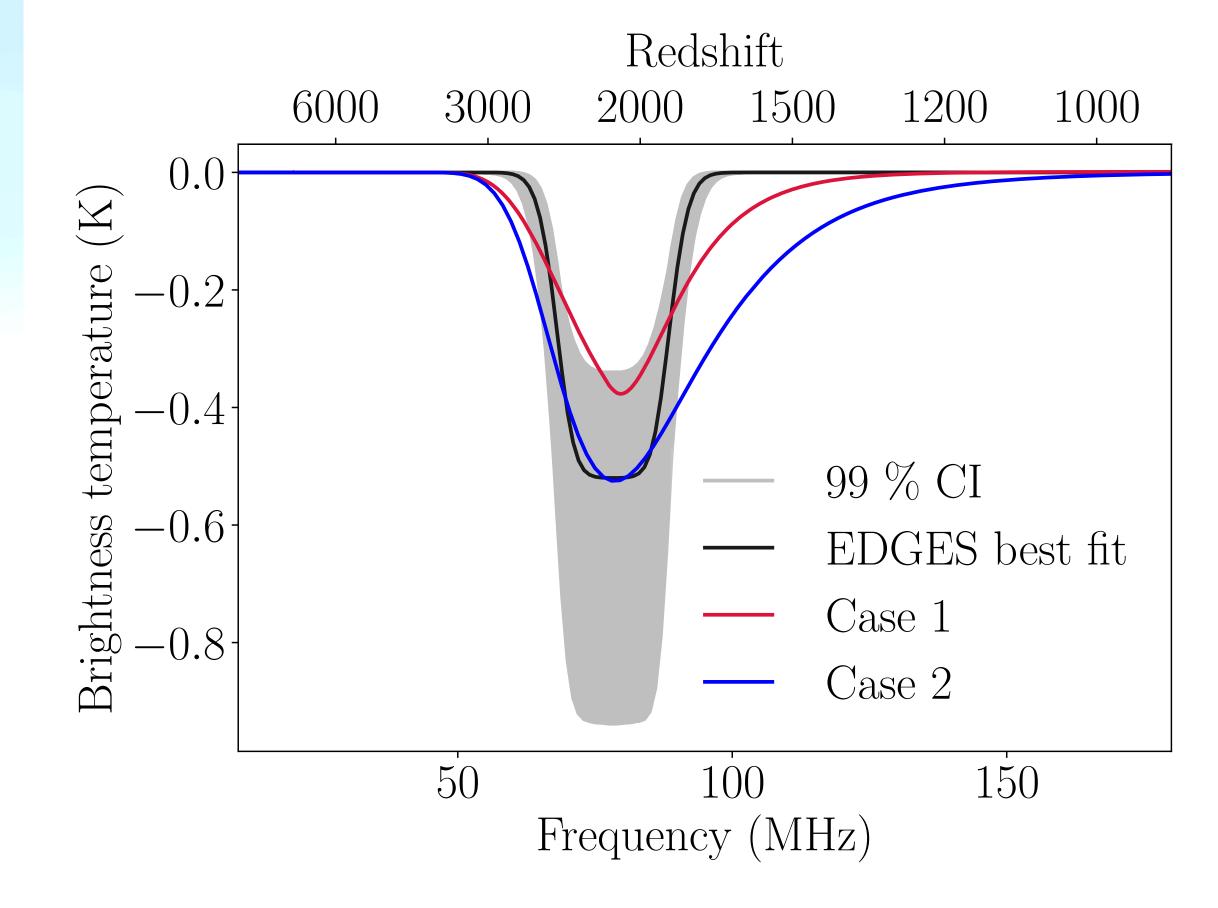


New term not present in the standard 21 cm cosmology

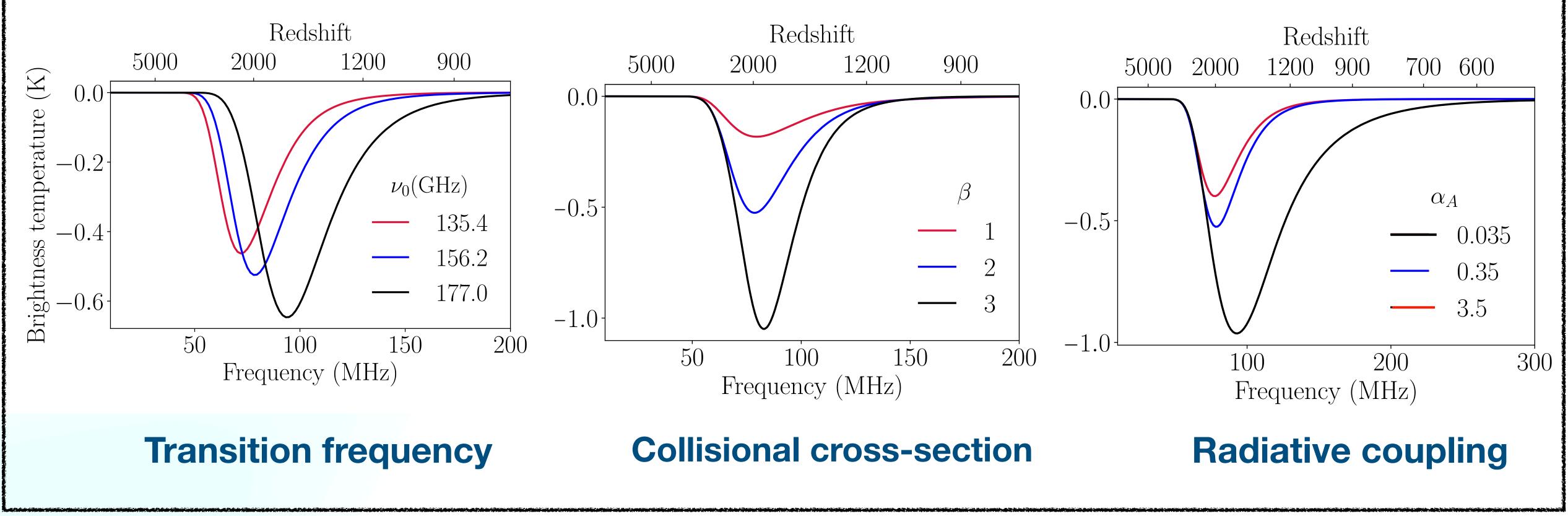
EDGES anomaly: absorption signature of dark matter in the CMB

- DM transition frequency $\nu_0 = 100 \times \nu_{21}$ as absorption happens at z ~ 2000





Global absorption feature is sensitive to dark matter self-interactions

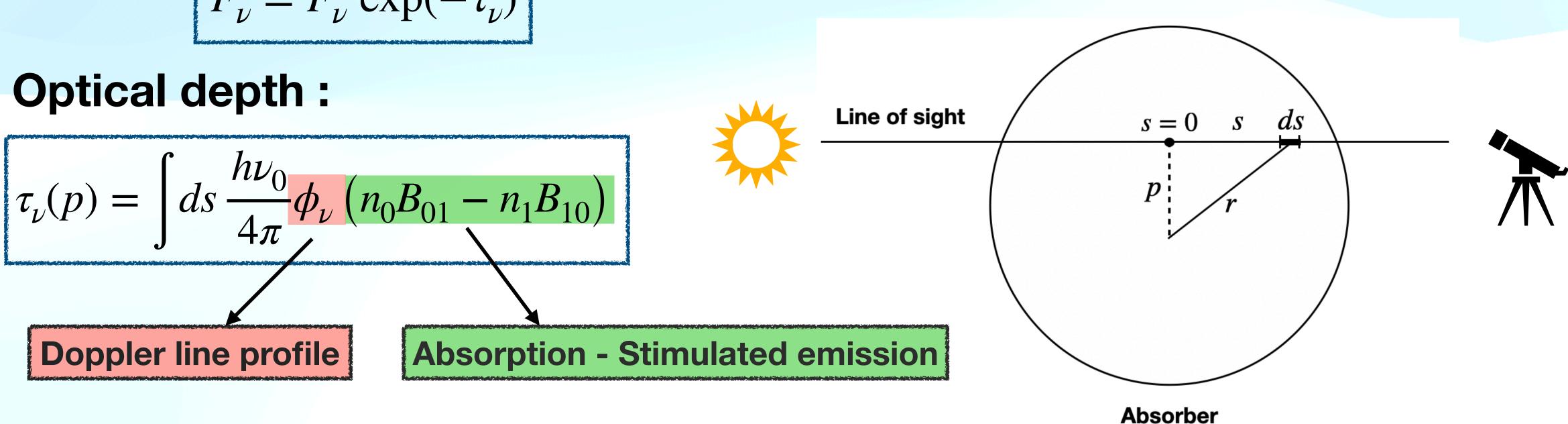


Absorption of background photons by a halo

Absorption is quantified in terms of optical depth

$$F_{\nu} = F_{\nu}^0 \exp(-\tau_{\nu})$$

• Optical depth :

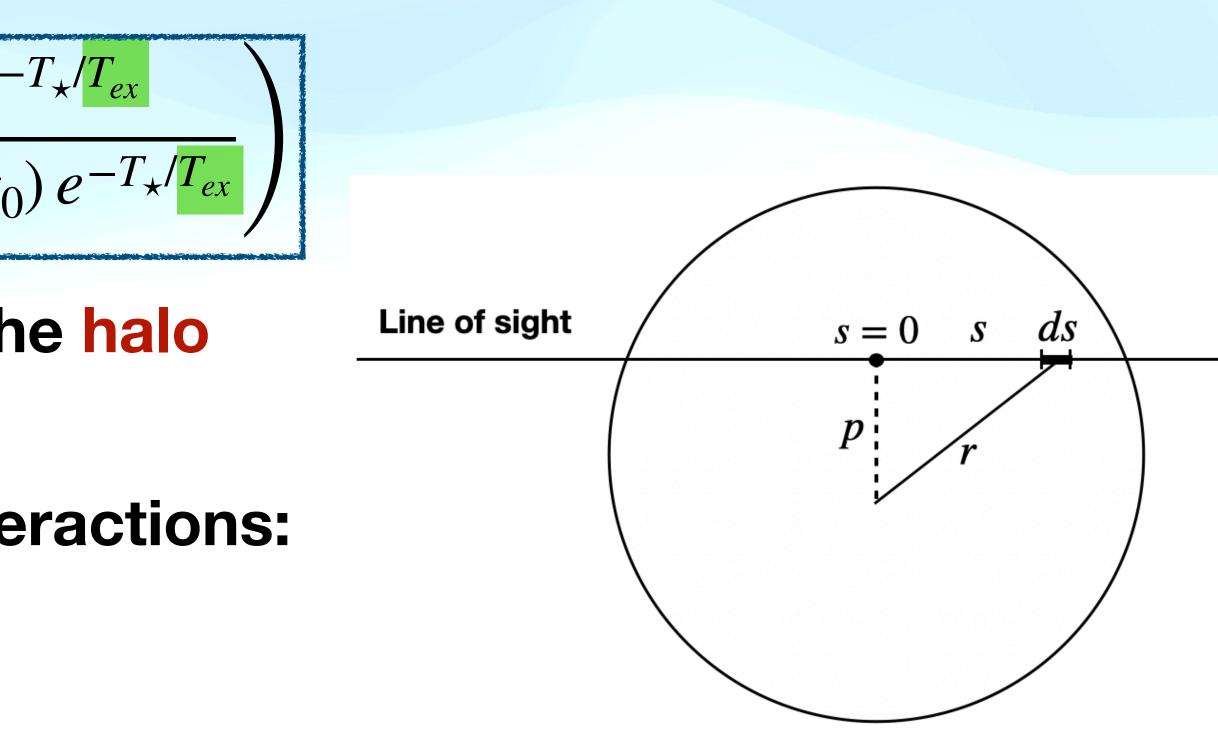


Absorption by a background photons by a halo

Optical depth :

$$\tau_{\nu}(p) = \int ds \, \frac{g_1}{g_0} \frac{A_{10}c^2}{8\pi\nu_0^2} \frac{\rho_{DM}}{m_{\chi}} \phi_{\nu} \left(\frac{1-e^{-\frac{1}{2}}}{1+(g_1/g_0)}\right)$$

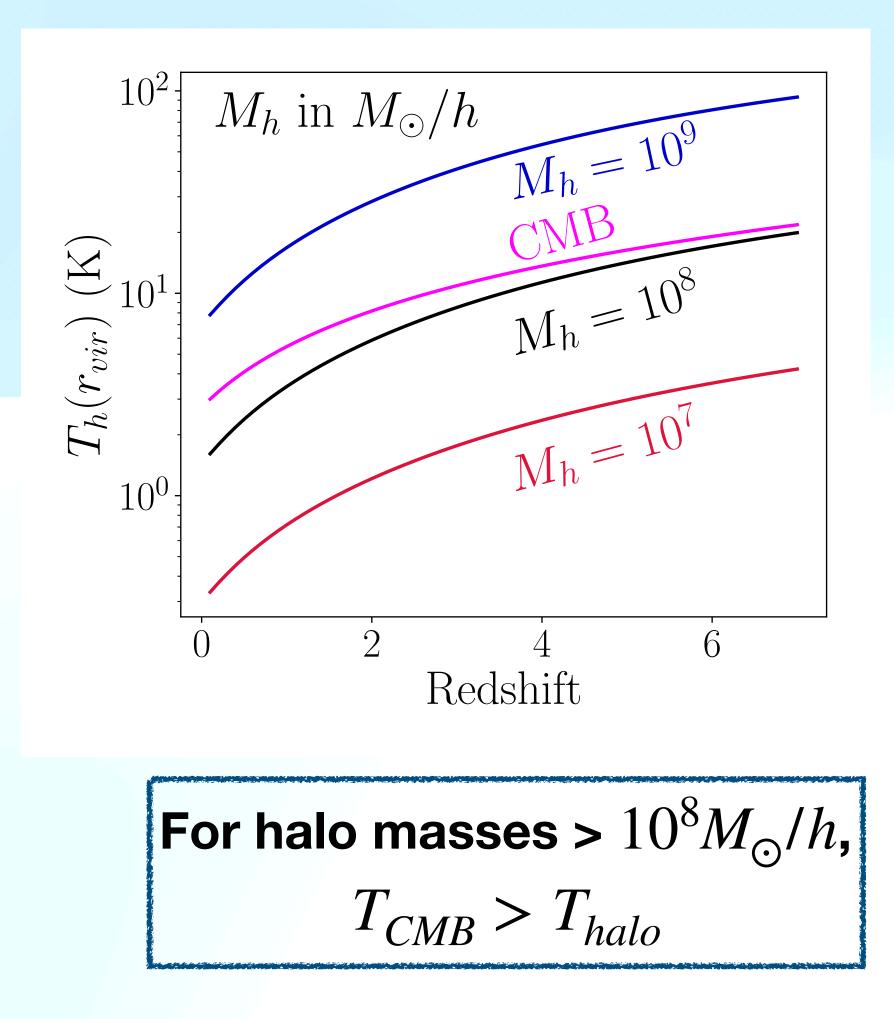
- **Doppler line profile is decided by the halo** temperature
- Two extreme cases for DM self-interactions:
 - **1. Collisionless :** $T_{ex} = T_{CMB}$
 - **2.** Collisional : $T_{ex} = T_{halo}$

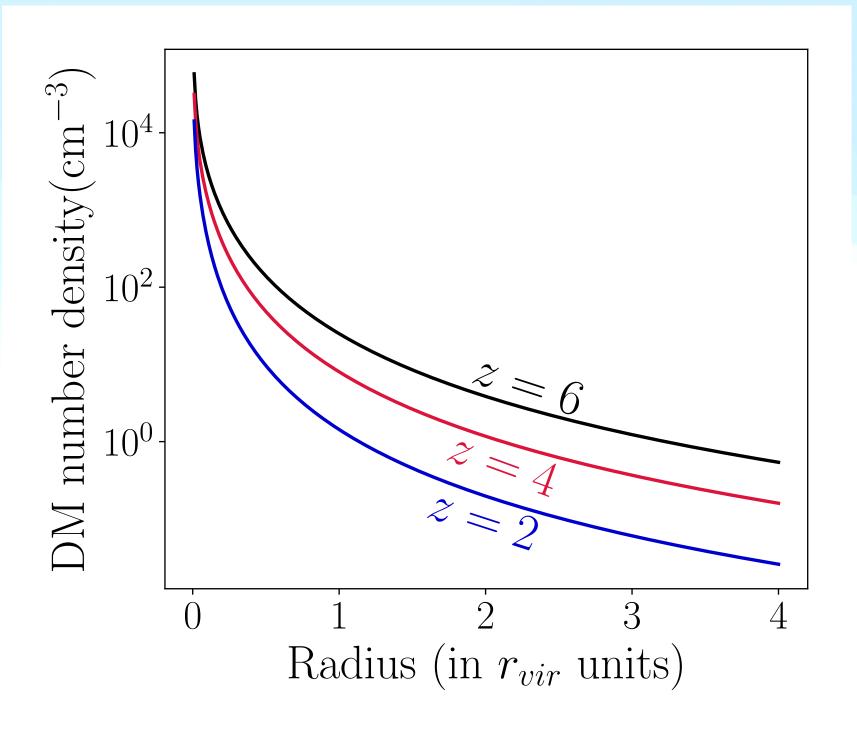


Absorber

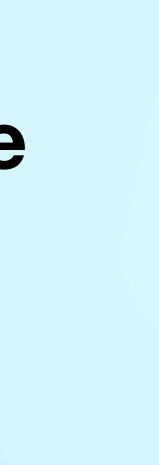


Properties of the halo decide the shape of the absorption line



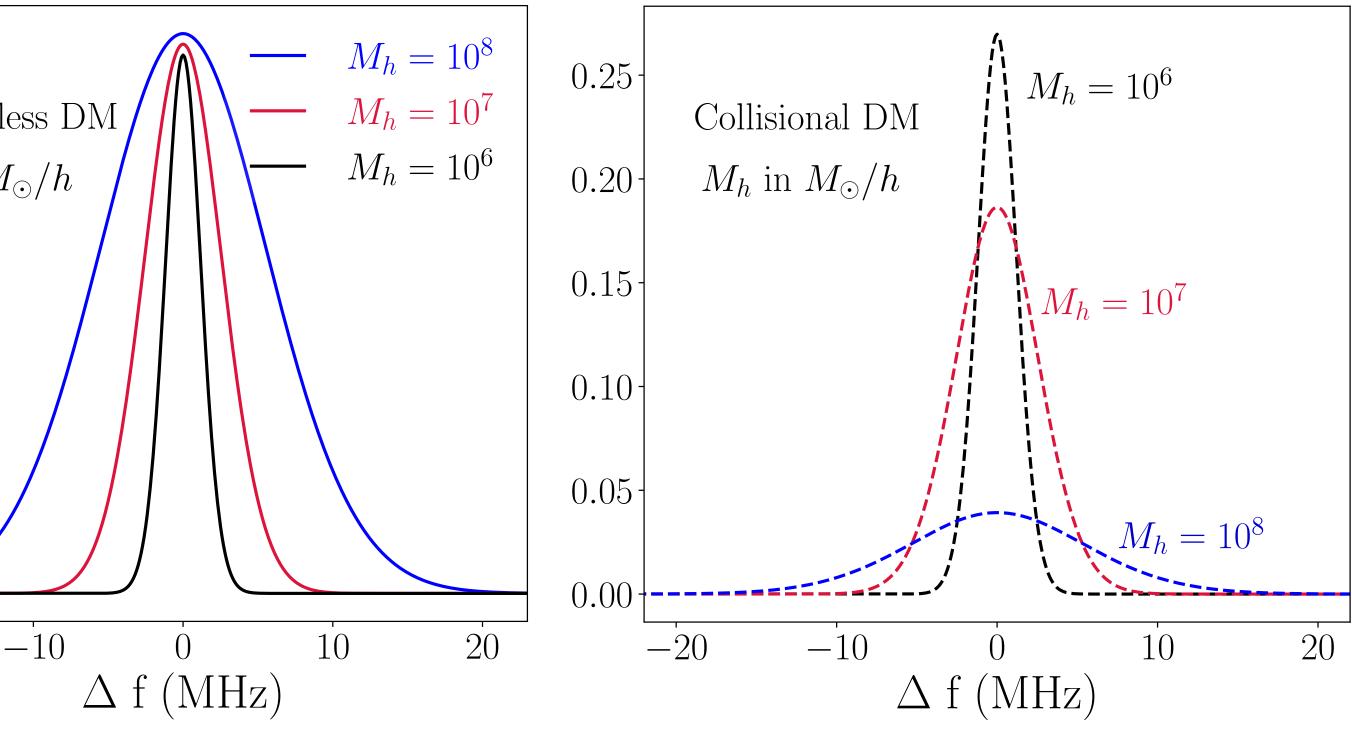


Dark matter number density increases with redshift



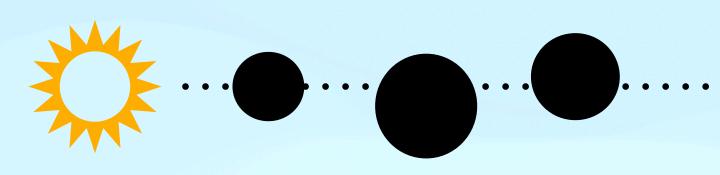
Dark line is extremely sensitive to dark matter selfinteractions

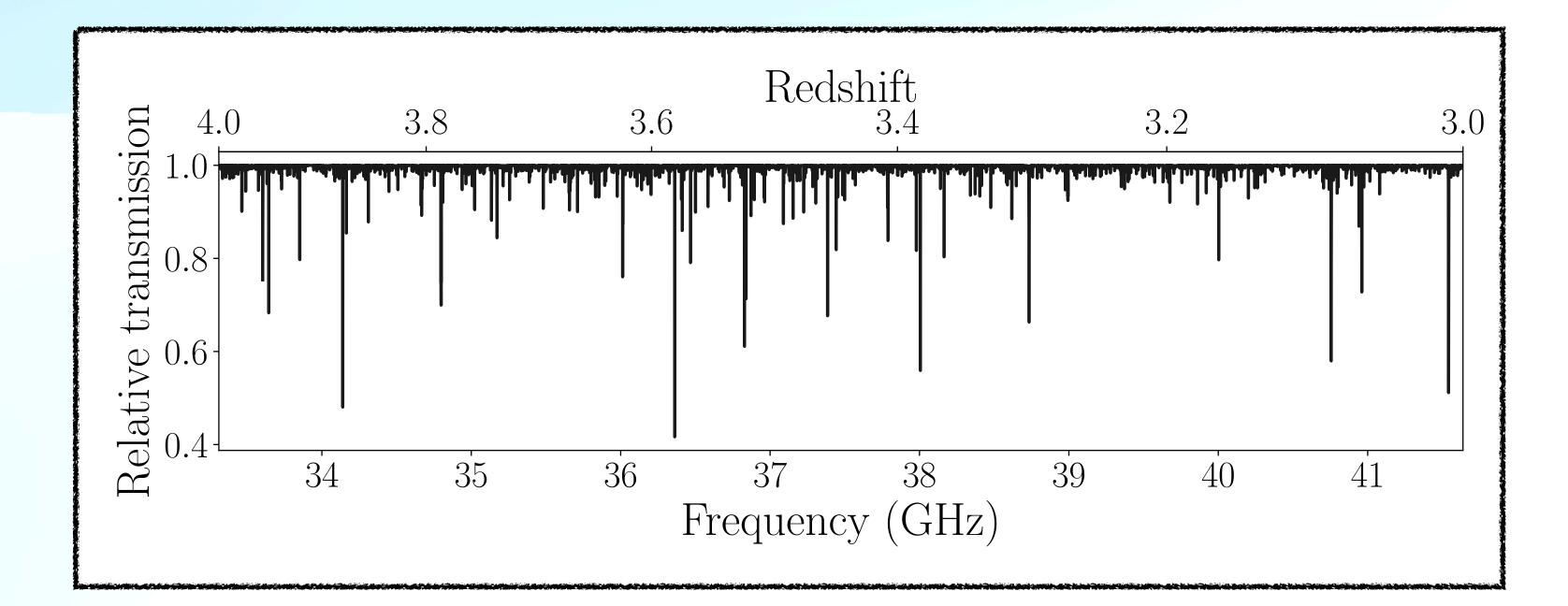
- Amplitude of the line is decided by $T_{\rm ex}$
- Width of the line is decided by $T_{\rm h}$
- Collisional DM has stronger absorption compared to collision less DM



Redshift z = 5**Impact parameter : 0.5** r_{vir}

Dark forest - absorption by multiple dark matter halos

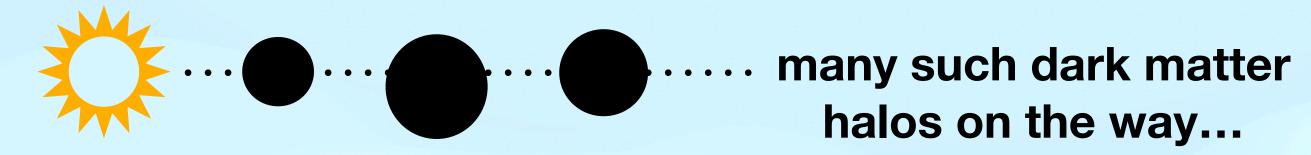




..... many such dark matter halos on the way...



Dark forest - absorption by multiple dark matter halos



- halo
- Randomly sample halo masses
- sectional area

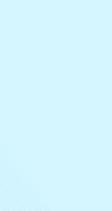


Probability of intersecting a halo = fraction of the total area occupied by the

Randomly impact parameter from uniform probability over the cross-

Furlanetto & Loeb 2002, Xu et al. 2011

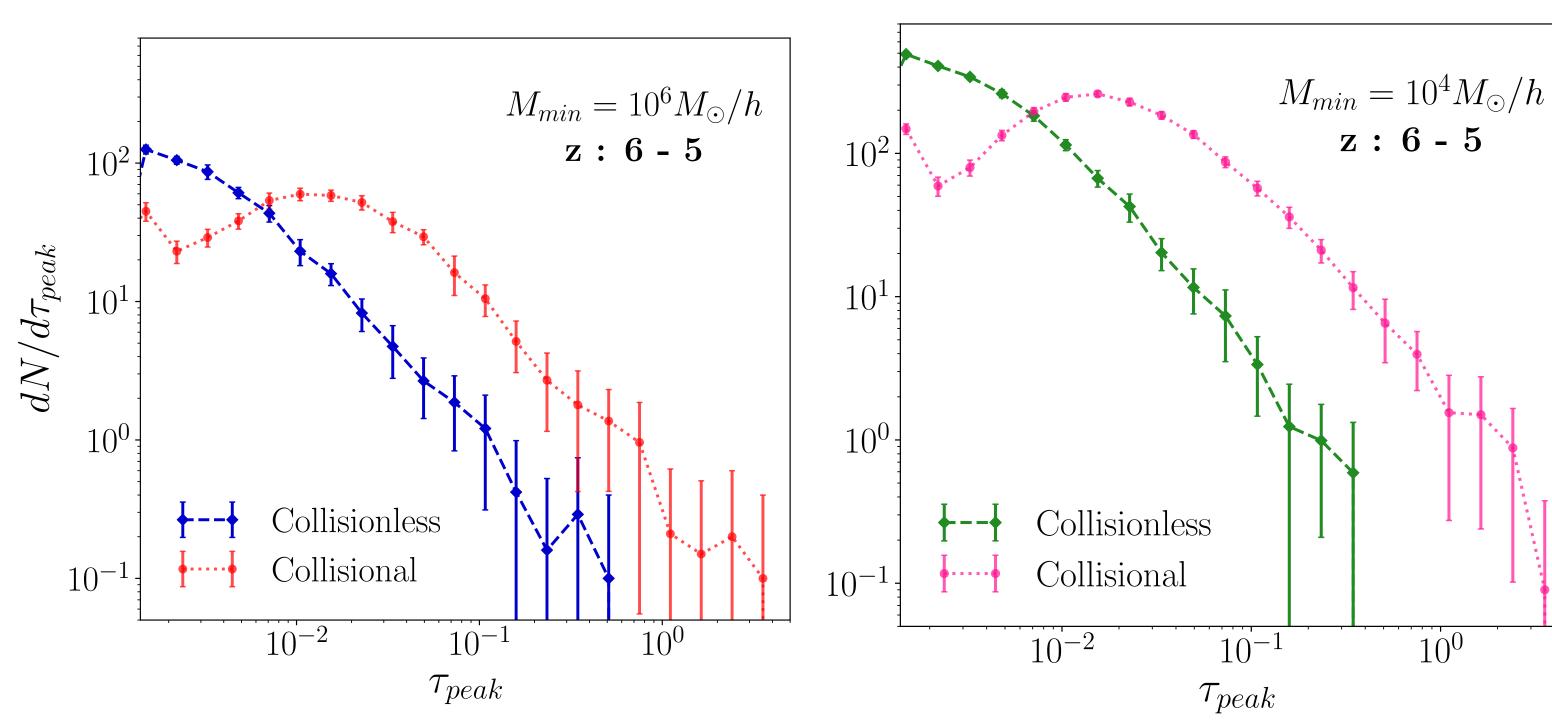






Absorption amplitude is sensitive to dark matter self-interactions

- Collisional DM has stronger absorption compared to **collisionless DM**
- Number of halos intersected increases as we decrease the minimum halo mass



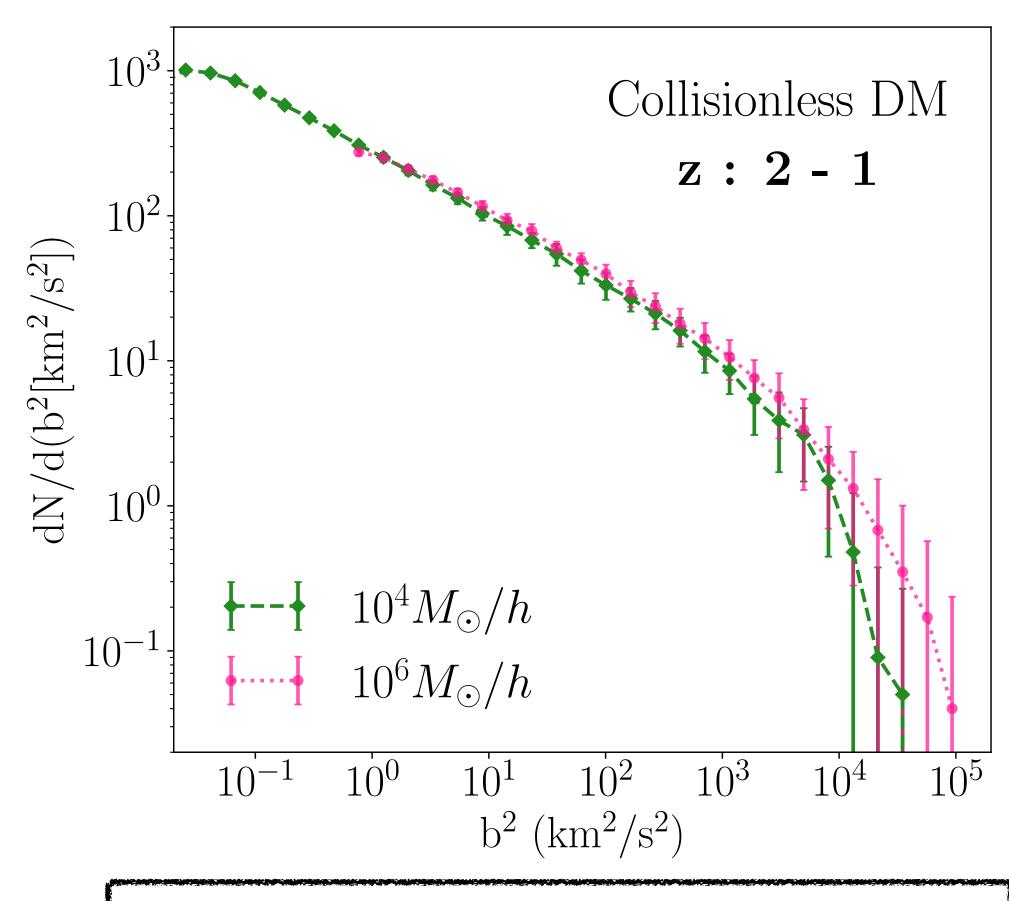
Distribution function for optical depth peaks



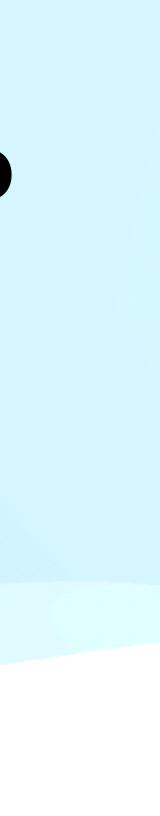


Line width is sensitive to the low mass end of the halo mass function

- Low mass halos give narrow lines in the dark forest
- Line width is independent of DM self interactions

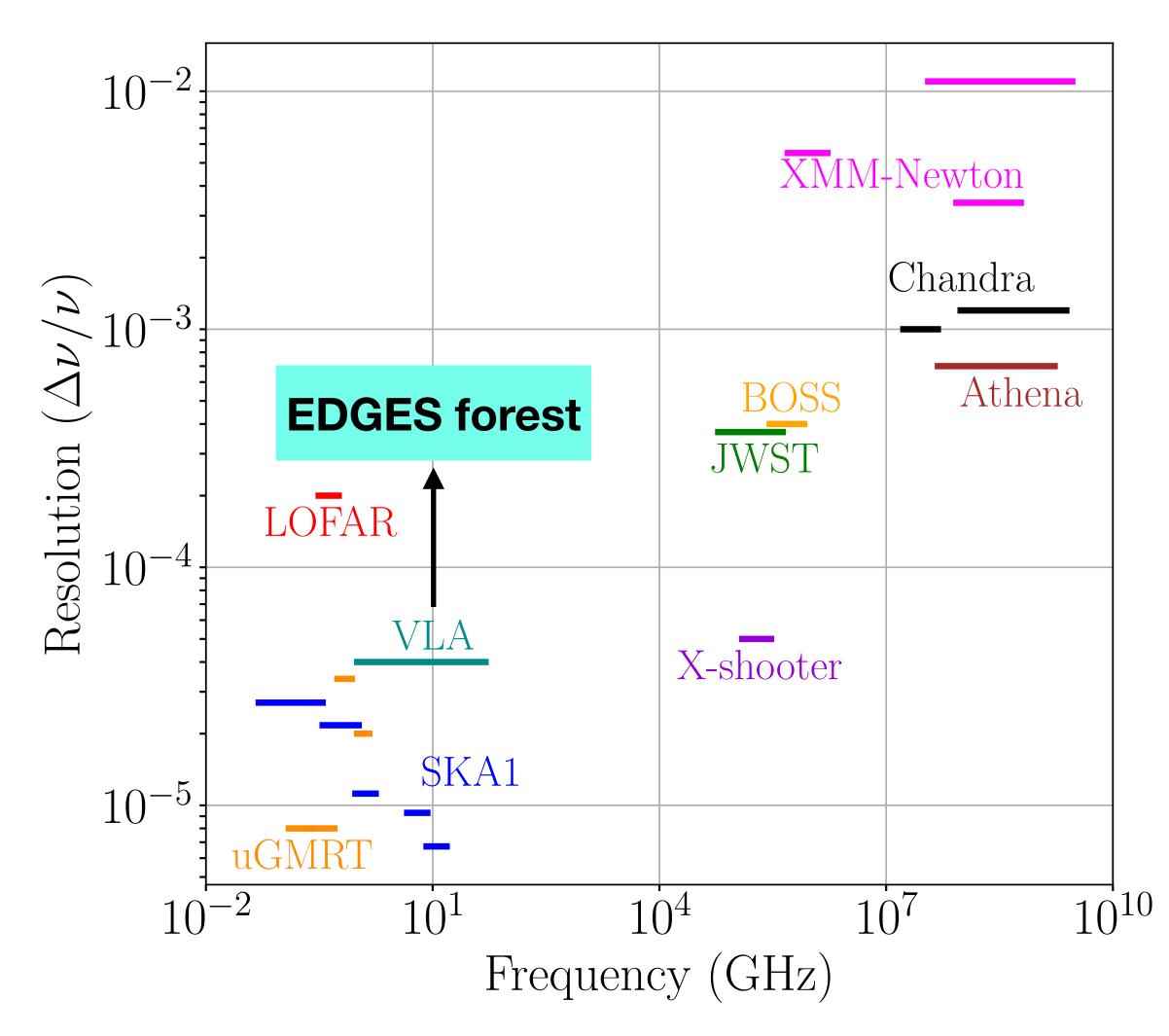


Distribution function for line widths



Detectability of dark forest

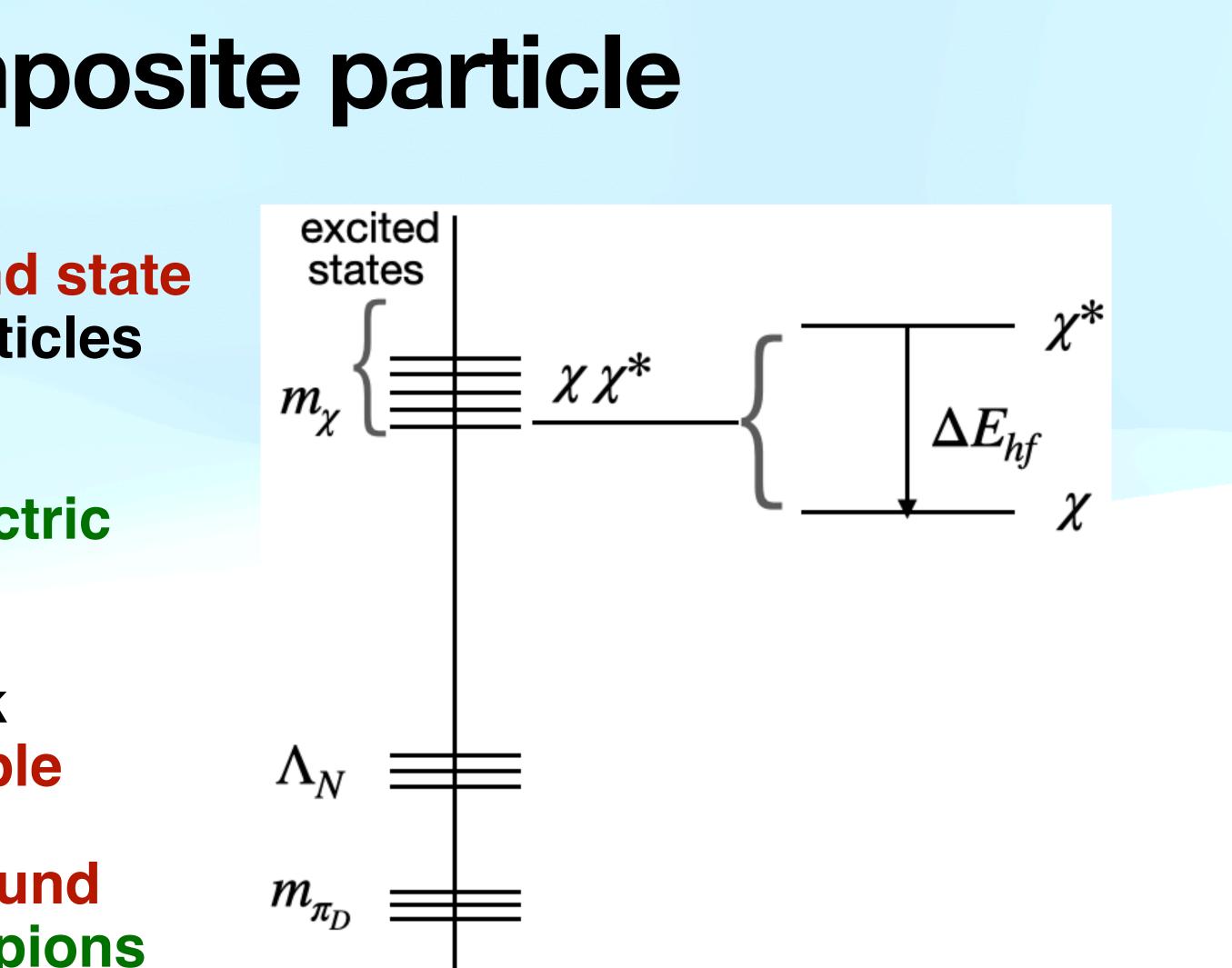
- Spectroscopic experiments in optical and radiowave band can detect dark forest !
- 20-40 GHz band of VLA falls in the EDGES forest band for a quasar at redshift ~ 4



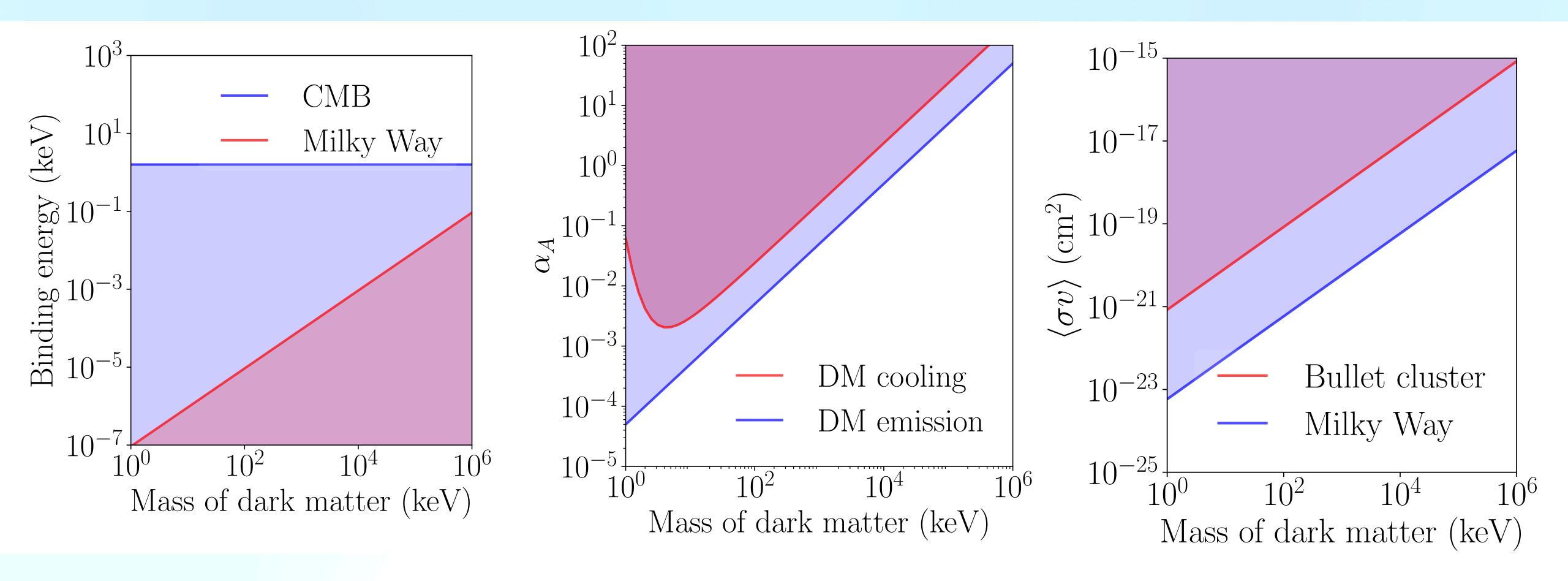


Dark matter as a composite particle

- Dark matter is a heavy-light bound state composed of two elementary particles (dark quarks) of the dark sector
- Dark quarks have + € and € electric charge
- Strong interactions between dark quarks make the dark matter stable
- The hyperfine splitting of the ground state gets corrections from dark pions



First constraints from CMB and Milky Way for $\nu_0 =$ 156 GHz



Key points

- spectrum of a background source.
- collaboration.
- Such absorption signatures can also occur as a "dark forest" in the
- One can already look for such signatures in the existing data!

 We propose unique experimental signatures for a class of composite DM models having electromagnetic transitions: absorption lines in the

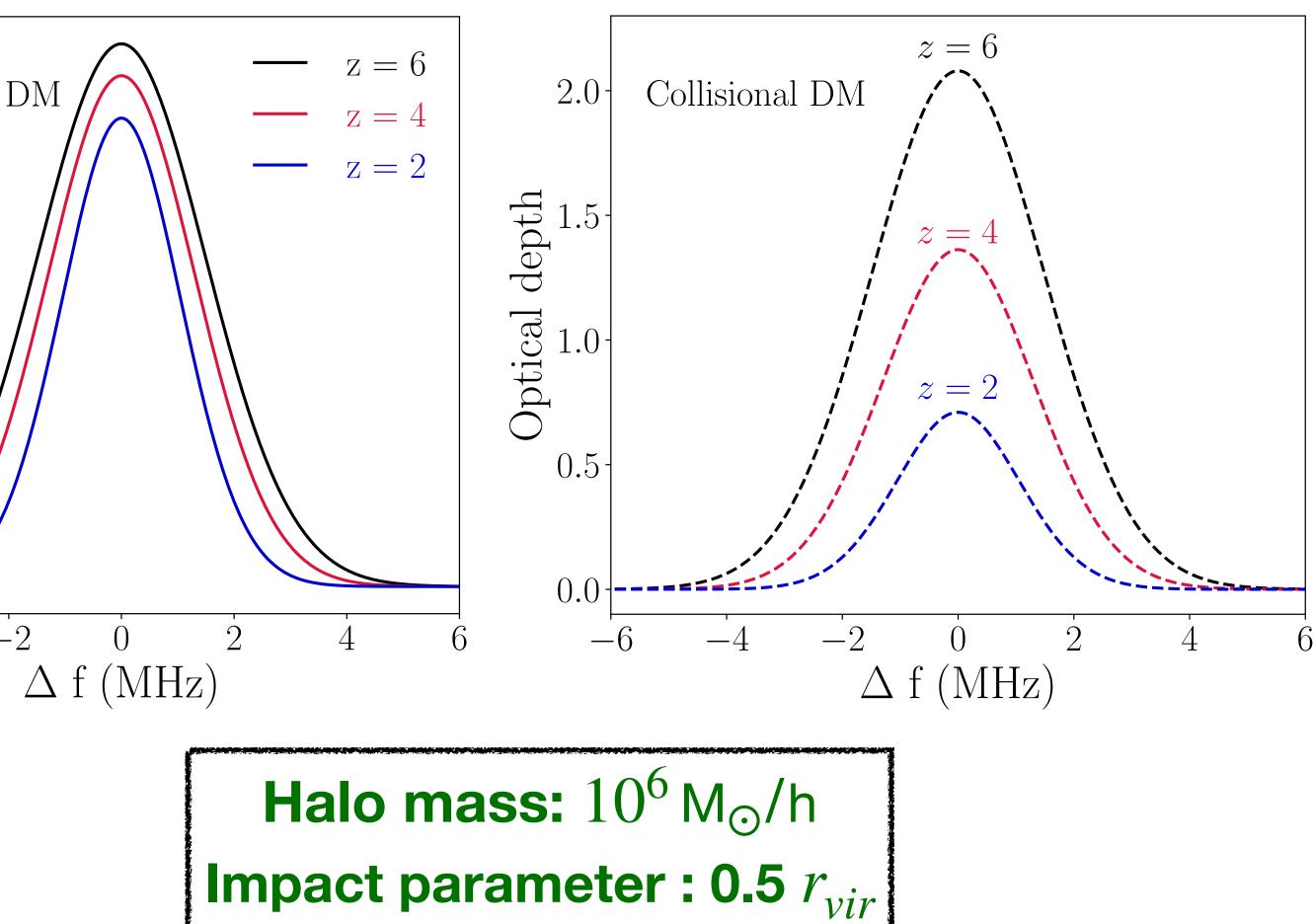
 Such absorption signatures can occur as global absorption feature in CMB which can explain the anomalous signal measured by the EDGES

spectrum of a quasar and reveal the history of dark matter substructures.

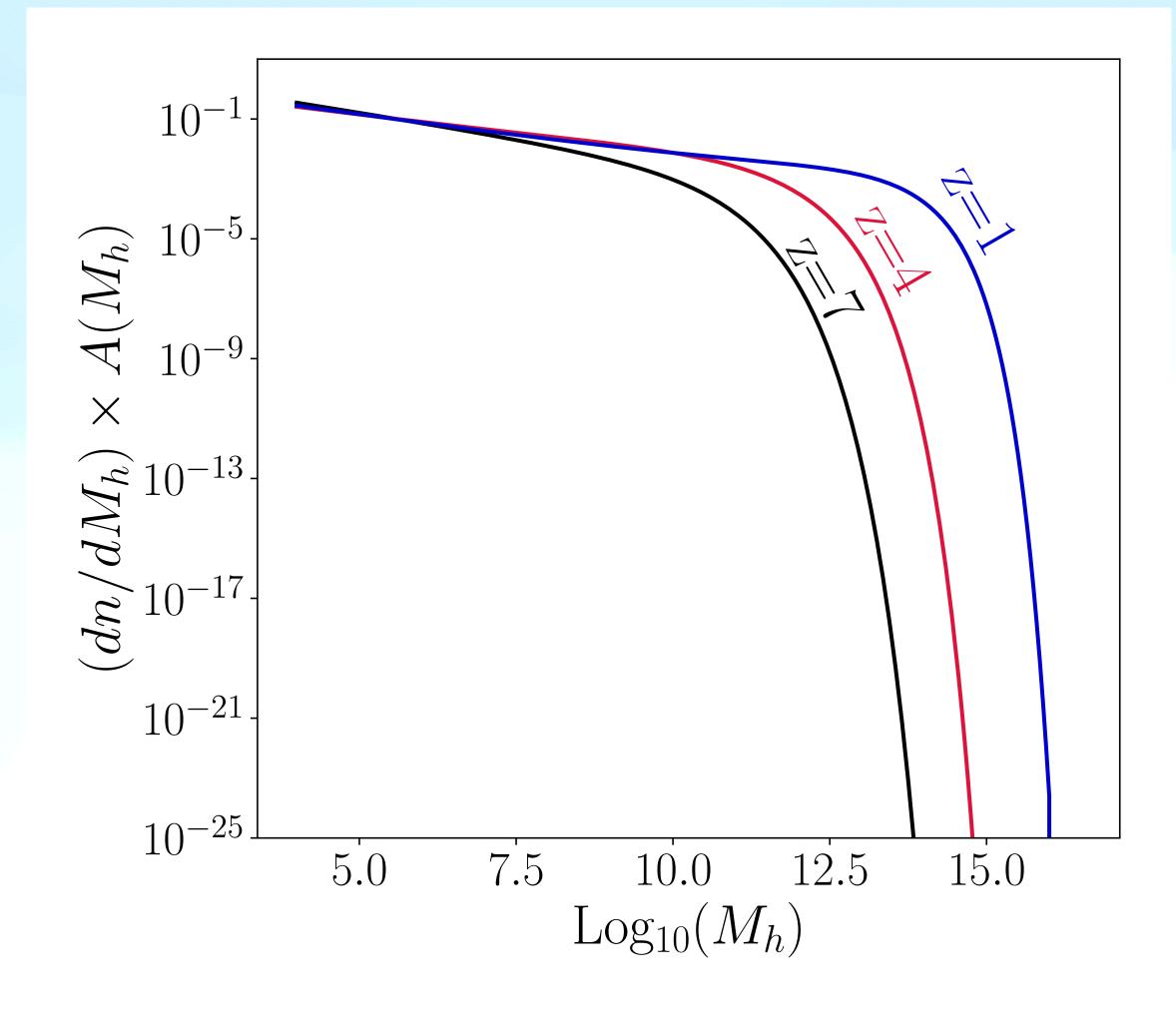


Dark line - absorption by a single DM halo

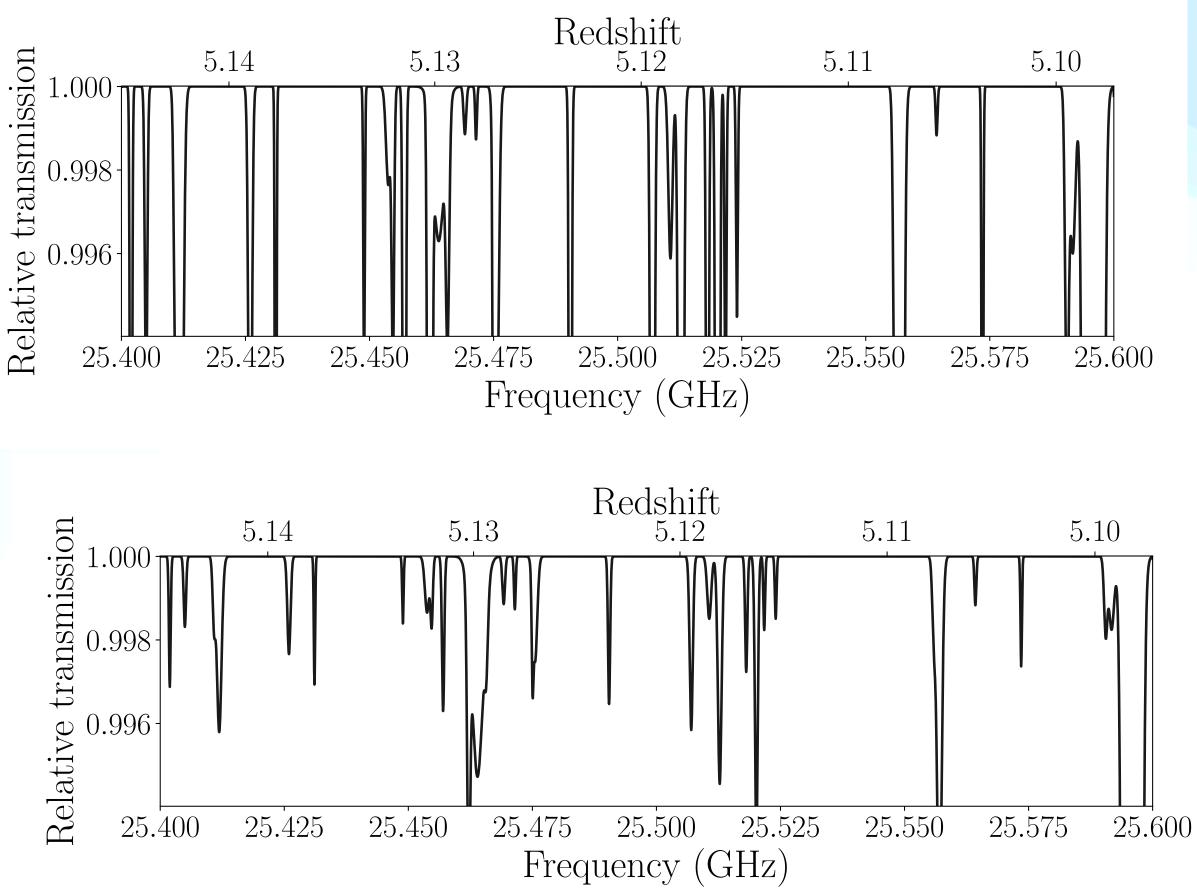
- Stronger absorption in collisional case compared to collisionless case
 Absorption increases with redshift
 Line width increases with
 - redshift

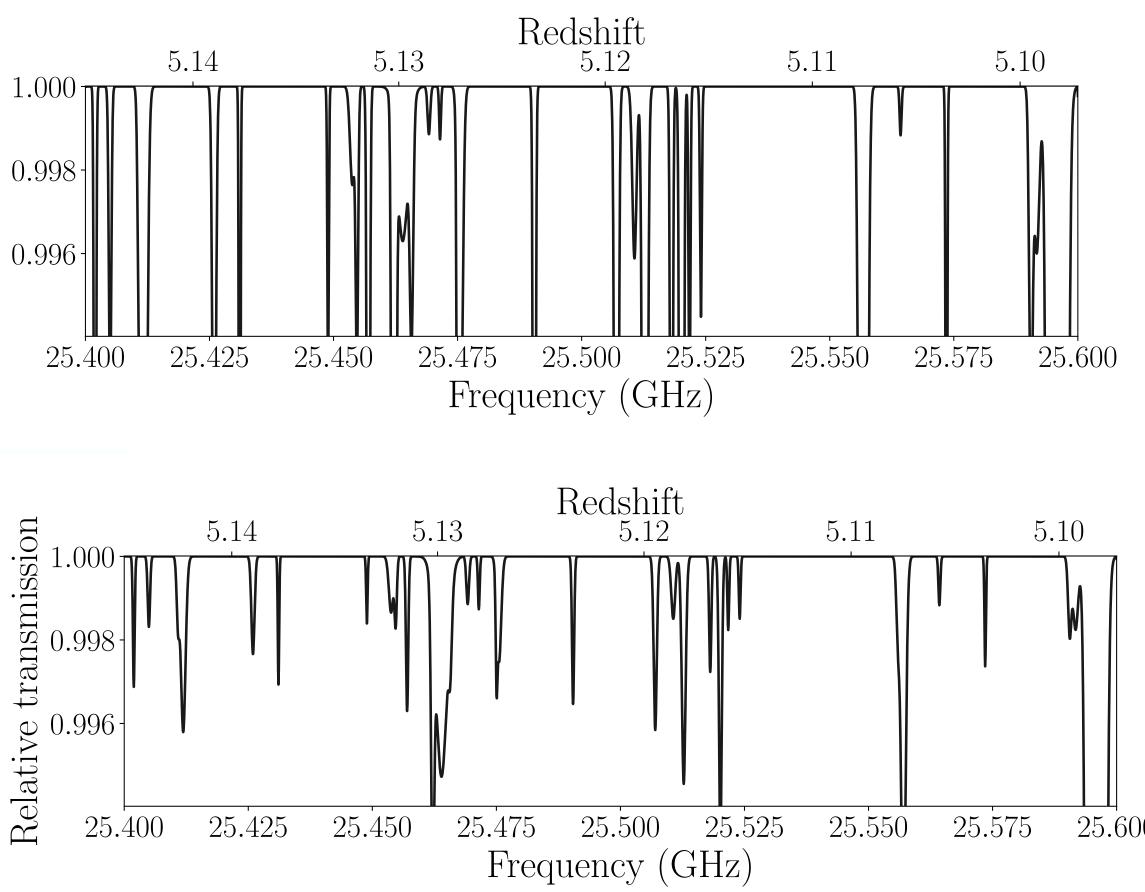


Probability of intersecting a halo



Overlap between absorption lines





Halo temperature (Ascasibar et al. 2004)

$$\frac{\rho}{\sigma^3}(r) = 10^{1.46} \left(\frac{\rho_c(z)}{v_{\rm vir}^3}\right) \left(\frac{r}{r_{\rm vir}}\right)^{-1.9}$$

$$T_h(r) = \frac{m_{\chi}}{3k} \left(\frac{10^{1.46}}{\rho(r)} \left(\frac{\rho_c(z)}{v_{\rm vir}^3} \right) \left(\frac{r}{r_{\rm vir}} \right)^{-1.9} \right)^{-2/3}$$

Dark matter model

	SU(N)	$SU(2)_L^D$	$SU(2)^D_R$	$U(1)_D$	$U(1)_{ m em}$
q_D	N	2	1	0	$+\epsilon$
q_D^c	\bar{N}	1	$ar{2}$	0	$-\epsilon$
Q_D	N	1	1	+1	$+\epsilon$
Q_D^c	\bar{N}	1	1	-1	$-\epsilon$

Table 1: The dark quarks in Weyl representation and their charges under gauge and global symmetries.

- Weakly coupled dark quarks in the UV
- terms of bound states
- flavour symmetry resulting in 3 dark pions
- Hyper-fine splitting gets correction from pions

At low energies, the theory is strongly coupled and is described in

Strong interactions generate quark condensate which breaks the

Scaling the hydrogen atom parameters

Radiative coupling: $A_{10}^{\text{DM}} \approx \epsilon^2$

Bohr radius: $r_{\rm HI} = \frac{\alpha}{E_{\rm binding}^{\rm HI}}$ Geometric
cross-section: $\sigma_{\rm DM} \approx r_{\rm DM}^2 \approx \left(\frac{\alpha_s(x)}{x}\right)$

$$2\left(\frac{\Delta E_{\rm hf}^{\rm DM}}{\Delta E_{\rm hf}^{\rm HI}}\right)^3 \left(\frac{m_e}{m_q}\right)^2 A_{10}^{\rm HI}$$

$$\frac{E_{\alpha}(m_{\chi})}{\alpha} \right)^{2} \left(\frac{E_{\text{binding}}^{\text{HI}}}{E_{\text{binding}}^{\text{DM}}} \right)^{2} r_{\text{HI}}^{2}$$

Outline

- Basic ingredients for photon absorption by DM
- A formalism for quantifying absorption by DM
- Dark forest in the quasar spectrum
- Global absorption feature in the CMB spectrum
- A proof of principle DM model
- Existing constraints on DM model parameters